



# PHYSICS NOTES

**MORE!!** 



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Scientific Reasons & Short Answer Questions

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## Multiple Choice Questions

	lutriple choice	QUESTIONS
	Chapter	1
	THE SCOPE OF	PHYSICS
Physics	can be defined as the study	of

	(a) C	Chemical Properties of matter		
	(b) F	Physical properties of matter		
	(c) F	Relation between matter and energ	gy	
	(d) E	Both (b) and (c)		
2,	Physics	s can be defined as a branch of so	ience	based on a:
	(a) A	Aberration and analysis of facts		
	(b) I	Experimental observation and qua	antitat	ive measurement.
	(c) 1 (d) 1	Mathematical calculation and inte	erpreta	ation.
3.	1	Replication and verification of know	own ta	cts.
٥.	proper	ranch of physics deals with the st	udy if	production propagation an
			St	atics (d) Acoustics
4.	High e	magnetics (b) Optics (c) energy physics deal with the:	31	aucs (a) resusting
**	(a)	Study of electron behaviour (b)	-04	udy of electronic charges
	(c)	Study of mechanics of energetic	ordies	
	(d)	Study of properties and behaviou	ir of e	ementary particles.
5.	The ar	ncient Greeks originated the idea	theate	
	(a)	Matter and energy are the same	thing	
	(b)	Perpetual motion is not possible		
	(c)	Matter is discontinues		ACMEDIA TO A CONTROL
	(d)	Matter does not exist in differen	form	s
6.	Archir	medes the Greek physicist has m	ade s	ignificant contributions in
	the fie	eld of.		
	(a)	High energy physics and electro	nics	1 DEC 17 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
	(b)	Nuclear and atomic Physics		
	(c)	Mechanics hydrauties and hydr	ostati	cs
	(d)	Special theory of relativity		
7.	Al – B	Beruni is famous for finding out	the	
	(a)	Distance of moon from earth		
		Mass of the earth		
	(c)	Diameter of earth's orbit		
	(d)	Circumference of the earth		
8.		book "Kitab-ul-Qanoon-ul-Maso		
	(a)	Iben-e-Sina	(b)	Al-Razi
	(c)	Abu-Rehan Al-Beruni	(d)	Ibn-al-Haitham
9.		Asalam was awarded noble Prize		
	(a)	Electronics	(b)	Radiations
	(c)	Optics	(d)	Grand unification theory
10.		first book on analytical "Hisab-t	ıl-jabı	
	(a)		(b)	Al-Beruni
	(c)	Al-Razi	(d)	Ibn-e-sina
11.	"Kita	ab-ul-Manazir" the famous book	on o	ptical is written by
	(a)	Ibn-e-Sina	(b)	Al-Khawrzmi
	(c)	Jabir-bin-Hayan	(d)	Ibn-ul-Hailham

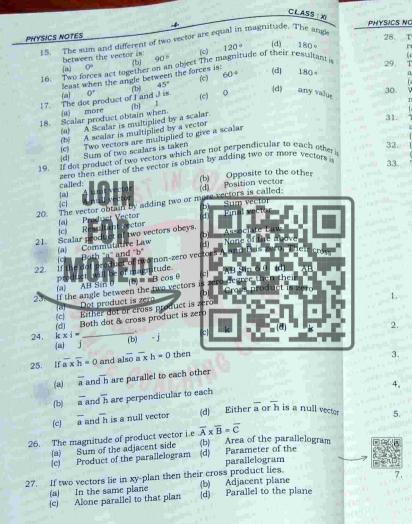
3.

PHYS	<ol> <li>In international system of units, the temperature, intensity of light and</li> </ol>	ne leng	and light and	quanti	tv are	
	t international system of units	quant	ity or as		2 016	
14	2. In Internace intensity of light ar		V-ste			
	temperature, m	(b)	only (b) and (	c)		
	called	(d)	only (b) and	unite		
	called (a) Derived (c) Fundamental (d) Written of the flowing physical quality with the condition of the flowing physical quality with the condition of the flowing physical quality with the flowing physical qua	ntity V	vill be different	units 8	15	
	(c) Fundamental physical qua	1111				
13	Written of the flowing the compared to that of others	(b)	Tensioq			
-	compared to that of outer	(d)	Electromotive	Force		
	(a) Weight	(a)	me quantity?			
	(a) Weight (c) Buoyant Force Which one of the following is not the follo	ne of Sa	Toures	6	i) BTU	40
	which one of the following	(c)	304,00		, BIG	
14	(a) Horse (b) Calors					
	(a) Lunit of current is	(b).	One			Eliza-
15	(a) one volt (c). One ampere The famous mathematical and the	(d)	One ohm-m			
	(a) one voit	found	er of algebra wa	as.		
	(c). One ampere	(b)	AL Khwarizm	ii .		
16	The famous mathematic	(0).	Naserudin tu	si		g v
10		(d).	1100			
	A1 Hemilia		mina a	d) F	Oran .	ж.
100		(c)	Time	u) 1	ressure	
17.	(a) Distance (b) Light		THE RESERVE AND ADDRESS OF THE PARTY OF THE	and the same of		-
		(b)	Kelvin Ampe	e watt		-
18.	Some of the basic School Ampere mole	(d).	Meter Second	i watt		418
	(a) Second volt	(u)	1000	-	- A	48
	(c). Candela Mole volt 10-9 second are equivalent to:		Nano Secono			
19.	to a second are equivalent	(b)-	Vano Second			80 T
19.	Deci Second	(d).	Micro secono	I Ion	-	6 Y
	ARTICO CONT					
		(c).	Centigrade	d). F	arad	
20.		(c)		- 1		-
	(a). Fahrenhort		10-6	d)	08 mm	441
219	One Angstron equal	(c)	100		mm	gen.
24.	(a) 10-8 cm (b) 108 m In Physics the term dimension rej	oresen	t the			
	In Physics the term "dimension	tity I		- 171	ALC: NO	600
22.	In Physics the term dimension	400				e.
	(a) mechanical nature of quantity chemical nature of quantity	-			a en ell'	60
		- 13				Silv I
	(b) chemical nature of quantity (c) Physical nature of quantity (d) electric nature of quantity	<u>''</u>				
	teatric nature of quant					-
02	of pressille is.	(c)	ML-2 T-4	(d) 1	ML T-1	æ.
23.	(a) ML-1 T-2 (b) ML-2 T-3 Which one of the following represent	+ tha	dimension of p	ower:		
	(a) of the following represen	it the c	MI 2 T-3	(d) 1	ML-2 т	48
24.	Which one of the MLT2	(c)	MIL I	(4)	ME - I	48
	(a) L <sup>2</sup> T <sup>2</sup> Which one of the following represent	t dime	ension for the	unit of	torque.	
25.	Which one of the following represent	(c)	M <sup>2</sup> LT <sup>2</sup>	(d) ]	MLT2	
20,	Which one of the following T2  (a) M <sup>2</sup> LT <sup>2</sup> (b) ML <sup>2</sup> T <sup>2</sup>	Femare			Contract to	
	id in a similicant	ngure		(d)		ш.
26.				(4)	L	
	(a) 2 (b) 4 The dimension of angular momentum (b) heat	m sim	nilar to that of			
27.	The dimension of angular moments	(c)	Plank's cons	tant	(d) wor	rl
10,000	(a) energy (b) heat	(0)				V
	(a)a					_

13.

#### Chapter 2 SCALARS AND VECTORS

	The state of the s	WINE TO SERVICE	The same of the sa
1118	Which of the following is a vector quantit	v	The same of the sa
1	(a). Mass (b)	SI	peed
	(c). Temperature (d).	Ac	eceleration
2.	Which one of the following is scalar?		A 1 A 1 A 1 A 1 A 1 A 1 A 1 A 1 A 1 A 1
	(a) Acceleration(b) Velocity (c)	Fo	orce (d) Work
3.	In contrast to a scalar a vector must have	ve a.	
	(a) Direction (b)	W	leight
	(c) Quantity (d)	N	one of the above
4.	Which is the following group of quantiti	es re	present the vectors:
	(a) Acceleration, Force, Mass (b)	N	Mass .Displacement, velocity
	(c) Acceleration, Electric flux force		
	(d) Velocity, Electric field momentum	1	
5.	The following physical are called vector	s"	
	(a) Time and mass (b)	): 1	remperature and density
	(c) Force and Displacement		Length and volume
6.	Vectors are physical quantities which	are c	ompletely specified by:
	(a) Magnitude-only (b	0	Direction only
	(c) Magnitude and direction only (d	)	A 8: B
7.	Scalar quantities have:		
			Only directions
	(c) Both magnitude and direction (		None of these
8.	A unit of a vector A is given by:		
	IVIUNE		"Cally or a "" " \$100 To 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
	(a) $a = \frac{A}{a}$ (b) $a = Ax   A$ (	c) -	$a = \frac{1}{a}$ (ci) $a = a$
9.			Three (d) Four
	(a) one (b) Two	c)	
10.	When a vector is multiplied by a nege		remains unchanged
	(a) 13 1C C C C C C C C C C C C C C C C C C	(b)	may be changed or not
	(c) make and angle of 60°	(d)	may be charged of abolied at
11.	A vector which can be changed by di	spiay	parallel to itself and applies at
	any point is known as:		AV 11
	(a) Parallel vector	(p)	Null vector
	(c) Free vector	(d)	position
12.	A vector in any given direction whose	e ma	ignitude is unity is called:
	(a) Normal vector	(b)	parallel vector
	(c) Free vector	(d)	unit vector
13.	The position vector of a point p is a	vecto	or that represent its position with
	respect to:		
	(a) Another vector	(b)	Center of the earth
	(c) Any point in space	(d)	origin of the coordinate
			system
14.	Negative of a vector has a direction		that of the original vector.
17.		(b).	
		(d)	
	(c) Opposite to	(4)	memed to



28.

30.



Traveling in circle

Changing its direction of motion

in equilibrium

Accelerating

CLASS: XI A car is moving with uniform velocity then its acceleration is. PHYSICS NOTES increased (d) Decreased (a) Zero (b) constant (c) and the time axis is equal to the The area between a velocity time graph (b) Distance Velocity 10. Terminal velocity is usually defined as the Velocity of light in water Velocity at which air resistance balance gravity (a) (c) All of the above Width and length The laws of motion deal with: (b) Viscosity and density Force and acceleration (d) Vertical and horizontal (a) Swimming is possible on account of: Second law of motion (b) Newton's law of gravitation (c) Third law of motion

The statement to every action there is always equal and opposite. First law of motion the statement of: Newton's gravitational fired Newton's Inite law F = ma, is the mathematical expression of Newton's 2nd law of Newton's In law of motion Newton's law 14. 15. Newton's first law of motion gives definition of law of motion Both(a) & (b) (d) (b) inergal Different for different Different for different vertical positions. (d) Both A (c) Different for different state of the object will move with Constant deceleration Constant speed The force of friction, generated to resist the motion, occurs 18. connecting media in, Solids. The concept of force might, best be described as The push or pull A quantity, tending to change body state of rest or state of motionof a body Energy in motion Power transmitted from one place to another Stoke's law holds for Motion through free space (b) bodies of all shapes horizontal motion of particles (a) motion through a viscous medium (c) (d) When the body is stationary There is no force acting on it The force acting on it are not in contact each other (a) The forces acting on it are balanced with it (b) (c) The body is in vacuum

(d)

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26.

27.

28.

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31.

32.

22.	The coefficient of frictional force between two surfaces in contact does
	NOT depends amon
	(a) The normal force passing one against the other
	(b) The area of surfaces
	(c) Whether the surfaces are stationary or in relative motion
	(d) whether a lubricant is used or not
23.	The frictional resistance between its various layers of fluids is called
	(a) Viscous drag (b) Viscosity
	(c) Friction (d) Up thrust
24.	If there is no external force applied to a system then the total momentum
	of that system:
	(a) Turn to zero (b) remains constant
	(c) is maximum (d) is minimum
25.	If two bodies of equal mass collide elastically then
	(a) their velocities are added to each other
	(b) their velocities are subtracted
	(c) their velocities do not changed
	(d) they excharge their velocities
26.	If the rate of change momentum with respect to time is zero then.
	(a) The momentum is a function of time
	(b) The momentum is not conserved
	(c) The momentum is constant
0.79	(d) Some force acts If linear momentum of a particle in doubled, its kinetic energy will.
27.	
	(c) be truedrupled (d) Remains unchanged
28.	A collision in which momentum conserved but K.E is not conserved is
	called
	(a) Elastic collision (b) In clastic collision
	Both A & B (d) Cather A or B
29.	Momentum of a moving mass is the amount of
	(a) Energy possessed by body (b) Inertia possessed by a body
	(c) work possessed by a body (d) Motion possessed by a body
30.	The time rate of change of linear momentum of a body is equal to
50.	
	(a) The approx sorder
31.	is also called to quantity of motion:
	(a) Acceleration(b) Momentum (c) Force (d) Energy
32.	The net force acting on the body of 10 kg moving with uniform velocit
	of S-1 is:
	(a) 40 N (b) 4 N (c) 4 N (d) zero.
20	The releasity of the hadries is seened to 10000 they live a manage time.
33.	
	the body increase to:
	(a) 50 % (b) 100 % (c) 10 % (d) 35 %
	The state of the s

PHYSICS NOTES

Chapter 4

MOTION AND TWO DIMENSION A. Maximum range attained by a projectile can be found by the formula  $2V_y^2 Sin2O$  (d)  $2V_y^2 c$ (a) g 2g

In the absence of air friction projectile has maximum range when fired a 60° with the horizontal 30° with the horizontal (c) 30° with the vertical During the projectile motion, the horizontal component of velocity Does not change but remains constant. (d) Increases with time.

The maximum reight of a projectile is directly proportional to. nitial velocity Square of the friction between the tyres of cycle and road vanished. 4. (a) (d) The friction between the types

A body is moving in a circle at a constant speed which of the following nut the body is true? There is no force acting on There is force acting at a tangent to the circle. 5. There is force acting towards the centre of the circle (a) ich a body rotates about an axis expressed (b) Angular acceleration (d) None of these Velocity Angular momentum The rate of charge of angular displacement is. angular acceleration Angular momentum velocity The acceleration in uniform circular motion. (a) varies inversely with the velocity of the particle varies inversely with the radius of the orbit. 8. varies directly with the square of the velocity. (b) (d) is both (b) and (c)

If a body is rotating in a circle with variable linear speed, it must have only centripetal acceleration. (b) Only tangential acceleration 9. Only centripetal additional acceleration (d) None of these (a) The direction of angular velocity can be find out by Angular displacement 10. Left hand rule Right hand rule (a) (d) (c) Direction of movement If a particle moves in a circle describing equal angles in equal intervals Direction of movement Angular velocity change and linear velocity constant. then Angular velocity constant and linear velocity constant (a) Angular velocity constant and linear velocity changes. (b)

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di (a

15.

19.

20.

21. 22.



The rate of change of angular displacement with time is called None of these Linear velocity 12. (b)

Angular acceleration. None of these (d) Angular velocity (c)

3.	The centripetal acceleration produced in a rotating body is commonly
100	due to the change in of the velocity.
	(a) Magnitude (b) Direction
	(d) None of these
14.	An object is hunched in an arbitrary direction in space with a certain
	initial velocity and of moves freely under gravity. Its path will be a.
	(a) Straight line (b) circle
1.5	(c) parabola (d) hyperbola  The velocity component with which a projectile covers certain vertical
15.	The velocity component with which a projectile cover
	distance is minimum at the moment of (a) Projection (b) Hitting the ground
	(c) Highest point (d) None of these
16.	A projectile has its speed maximum at the moment of
	(a) Projection (b) Hitting the ground
	(c) Both of these (d) None of these
17.	The horizontal range of a projectile depend upon.
	(a) The angle of projection (b) The velocity of projection
	(d) None of these
18.	If a projectile is projected at an angle of 35°, it hits certain target. It will
	have the same range if it is projected at an angle of
	(a) 45° (b) 55° (c) 90° (d)
19.	The linear and angular velocity of a particle, moving about the centre of a
1,50	aisola of radius r are related by
	circle of radius r, are related by (a) $v = \overline{\omega} \times r$ (b) $v = \overline{r} \times \overline{\omega}$ (c) $\omega = v \times \overline{r}$ (d) $\omega = r \times v$
	(a) $v = \omega \times r$ (b) $v = r \times \omega$ (c) $\omega = V \times r$ (d) $\omega = X \times r$
20.	A ball is thrown at 40 m/s with the angle of projection of 30° with the
	horizontal, the vertical velocity, of the projectile after 1 sec.
21.	A car moving at a constant speed of 20 ms 1 on a circular path of radius
	100m what is the acceleration?
	(a) 0.4 ms <sup>2</sup> (b) 6 sec (c) 4.0 ms <sup>3</sup> (d) 33 ms <sup>2</sup>
22.	The missile is fired at 20 m/s at 60° with respect to the horizontal, the
44.	horizontal and vertical component of the velocity at the maximum height
	is respectively:
	(c) 10 m/s, 0 (d) 0, 10 m/s
23.	A 100 kg body is rotating in circular path of radius 200m, at 50 m/sec.
	find the centripetal force acting on the body.
	(a) 225 N (b) 125 N (c) 525 N (d) 500 N
24.	If a body covers 5 rotations in 2 seconds, around a path of radius 2m the
-	linear velocity of body is
	(3) $(3)$ $(4)$ $(5)$ $(7)$ $(7)$
25.	
	(a) $\pi/6$ (b) $\pi/30$ (c) $\pi/180$ (d) $\pi/360$

(b).

(d)

Liner momentum

Angular momentum

conserved.

(a)

Force

Torque

(a

A (a

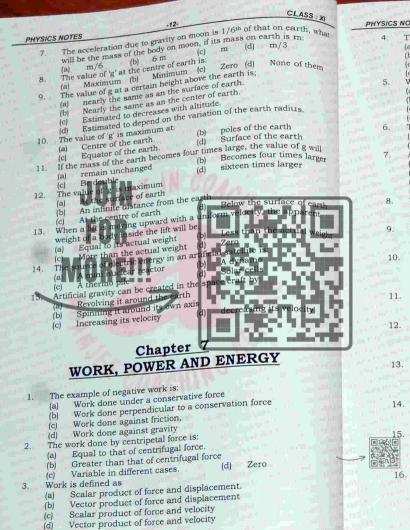
YSICS N	NOTES -11- CLASS ; XI
16.	According to law of conservation of angular momentum. $\Gamma = dt/dt$ .
	(a) $\Gamma = dl$ (b) $\Gamma = dt/dl$ (c) $I = dexcir,$ (d)
17.	A body acted is said to be in equilibrium when it:
	(a) Move with a variable velocity
	(b) Moves with a uniform velocity (c) Moves very fast in space (d) Moves very slow in space (d) Moves very slow in space (d) the region of the
1.0	A body is said to be in if it is at rest or is moving with uniform
18.	A body is said to be in if it is at lest of is moving velocity.
	(a) Period motion (b) Rotator motion
	(a) Ashitana motion (d) Equilibrium
19.	A body will be in translation equilibrium if the vector sum of external
13.	forces acting on a body is
	(a) Maximum (b) Minimum (c) Square (d) Zero
20.	the body itself the corresponding
	rotator motion is called the:
	(a) Spin -motion (b) Orbital motion
	(c) vibratory motion (d) To-and for motion
21.	The object in equilibrium may not have any:
1	(a) force acting (b) Acceleration
	(c) velocity (d) Torque acting upon it
	EUD I HAND SOLD II
	Chanter 6
	Chapter 6
	GRAVITATION
	WILLIAM DECITION TO PROPERTY OF THE PARTY OF
1	The force of attraction acts along the.
1.	
	(a) axis of rotation.  (b) Line joining the interacting bodies.
June 1 m	(b) Line joining the interacting bodies. (c) Line perpendicular to the interacting (d) None of these
	The range through which the gravitation force acts is:
2.	
3.	According to the law of universal Gravitation.
	(a) Every body in the universes attracts every body.
	(b) The force of attraction is directly proportional to the product of
	their masses
	(c) The force of attraction is inversely proportional to the squire of
	their distance.
	(d) All of the above
4.	Force of gravitational attraction of earth on other bodies is given by:
	(a) $F = G \frac{M_F m}{G}$ (b) $F = G \frac{M_1 m}{G}$
	121 1 = (1 - 0

(b)  $F = G \frac{r}{G}$ (d)  $F = R_1^2 \frac{M_1 m}{m}$ (a)  $F = G \frac{R_E^2}{R_E^2}$ (c)  $F = R_1^2 \frac{M_1 m}{G}$ 

The force of attraction or repulsion between two bodies is:
(a) Inversely proportional to the distance

Directly proportional to the distance Inversely proportional to the square of the distance

None of the above



(d)

10,00	
4.	The work done on a body under going a certain displacement is given by:
100	(a) The area under a force vs. time curve
	(b) The area under a force vs. distance curve
	(c) The area under a velocity vs time curve
	(d) The area under an acceleration vs time curve
5.	Work is always done in a body when
	(a) A force action on it
	(b) It covers some displacement.
	(c) Force moves it in its direction or in opposite directions
	(d) The resultant force on its is zero.
6.	The work given to the machine is called:
	(a) Input (b) Output (c) Velocity ratio (d) Mechanical advantage
	(c) velocity ratio
7.	All of them are true accept:
	(a) Work is defined as the product of force and distance.
	(b) Joule is the unit of work.
	(c) Force moves in its direction or in opposite directions.
	(d) The resultant force on it is zero.
8.	Work done will be zero when force and displacement are  (a) In the same direction  (b) In opposite direction
- 111	
9.	The energy due the motion of a mass is known as.
	(a) A. Potential energy (b) Motion energy
	(c) Mobile energy (d) Kinetic energy
10.	The amount of work required to stop a moving object is equal to the
	(a) Velocity of the object (b) Kinetic energy of the object
	(c) Mass of the object times its acceleration
	(d) Mass of the object times its velocity
119	
	(a) Mass & velocity (b) Force & velocity
	(c) Force & Energy (d) Force & mass
12.	The sum of kinetic and potential energies of a falling body
	(a) Is constant at all points. (b) Is maximum in the beging
	(c) Is minimum in the beginning
	(d) Is maximum in the middle of the path
13.	Potential energy is increased when the work is done,
	(a) Along the field (b) Against the field
	(c) By the field
	(d) All of the above in different cases
14.	is a standard the factor by which the
2.7.	E is increased is.
	(a) 4 (b) ½ (c) 2 (d) 6
15	The heat energy is transferred to a body, it is converted into:
15.	
	(c) Mass of the molecules
	(d) Potential energy of the body
16	
	(a) The rotation of earth about sun
	(b) The rotation of earth relative moon
	(c) The radio active decay inside earth
	(d) Attraction of sun and moon
	(d) Michaellott of Suit and moon

\_\_\_\_



The length of the pendulum must be increased

The length of the pendulum must be decreases The length of the pendulum must be kept the same

period same:

None of the above

(b) (c)

(d)

PHYSICS NO

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13

14.

15.

17

8.	An ordinary clock loses time in summer this is because
	(a) The length of the pendulum increases
	(b) The length of the pendulum decreases
	(c) The length of the pendulum decreases and time period increases.
	(d) The length the pendulum decreases and time period increases.
9.	Which is the true for gamma - rays?
	<ul><li>(a) They move with half the speed of light.</li><li>(b) They are stopped by a thick sheet of paper.</li></ul>
	(b) They are stopped by a thick sheet of paper. (c) The have no mass
	(d) The can not pass through a sheet of Aluminum.
10.	Which one of the following contains a pair of transverse and longitudinal
200	wave?
	(a) Radio & X - rays (b) Infra - red & ultra- violet
	(c) Sound & radio wave (d) Wave in a ripple tank & light
11.	The velocity of a particle moving with a frequency 'f' and wave length '\'.'
	is:
	(a) $f\lambda$ (b) $f/\lambda$ (c) $\lambda/f$ (d) $\lambda^2 f$
12.	The one which has the longest wave length in the following is?
	(a) Rec light (b) X - rays
100	(c) Infra - red (d) radio waves
13.	Which of the following has the shortest wavelength?  (a) Gamma rays  (b) Ultraviolet
1.4	(c) Microwayes All the points on a wave front, formed by throw a stone in water will:
14.	
	(a) Be in the same phase (b) Have the same phase & displacement
	(c) Have the same displacement only
	(d) None of these
15	
2.000.00	transport of particles.
	(a) Particles (b) Down
	(c) Energy transferred (d) Mass decrease
16.	The wave length of a radio wave when transmitted as a frequency of 150
	MHz, will be:
	(a) 20 m (b) 2 m (c) 10 m (d) 0.75 m
17.	A simple pendulum completes one vibration in one second. If g = 981
	sm/s <sup>2</sup> its length will be:
	(a) 24.8 m (b) 24.8 (c) 2.48 cm (d) 2.48 cm
18.	When two waves traveling through the same medium arrive at the same
	medium arrive at the same point 180° out of phase, they give rise to.
	(a) Polarization (b) Destructive
	(c) Diffraction (d) Constructive interferes
19.	
	the wave produced is:
	(a) Transverse wave (b) Longitudinal wave
	(c) Standing wave (d) Electromagnetic wave
20.	The wave phenomenon that definitely classifies light as a transverse wav
	is.
	(a) Polarization (b) Diffraction
	(c) Interference (d) Scattering of electrons



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The louder the-sound, the greater is the velocity The louder the sound, the greater is the frequency

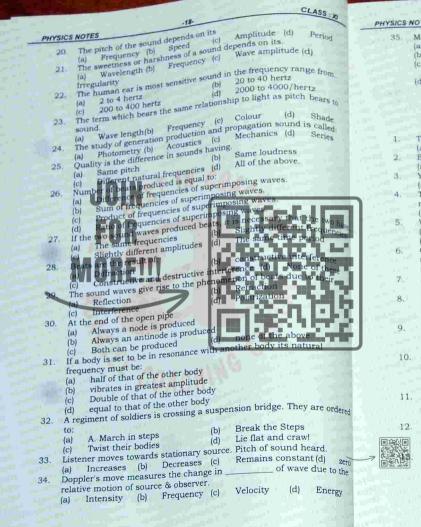
The louder the sound, greater is the wavelength

The intensity level of faintest audible sound is: 20 bd (b) 10 bd (c)

18. The term loudness of a sound is most intimately with the:

wave intensity (b) Wave amplitude sound pitch intensity level of the sound (d)

19. Pitch is a sensation produced by sound that depends upon its: amplitude (d) Frequency velocity (b) intensity (c)



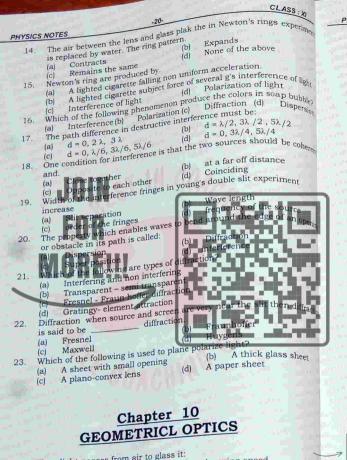
- 35. Mark the false statement:
  - (a) Doppler effect is used in measuring the speed of automobile
  - (b) Doppler effect provides a method for tracking satellite
  - (c) Each proton has total energy E = hv (where h = plank's, v = frequency of the electromagnetic field's)
  - (d) X rays are electromagnetic waves with long wavelength.

### Chapter 9 NATURE OF LIGHT

1.	The wave theory of light was proposed by.
	(a) Galileo (b) Huygens (c) Kepler (d) Hewton
2.	Electromagnetic theory of light was proposed by;
	(a) Faraday (b) Maxwell (c) Ampere (d) De
3.	Yellow light of a single wavelength can't be:
4.	The characteristic property of light wave which does not vary with the
	medium is Walkering (d) Wave
	(a) Frequency (b) Amplitude (c) Velocity (d) Wave
5.	When light is accident on a substance it can be:  (a) Absorbed b Reflected
	(c) Transmitted (d) All of above
6.	Color of light is determined by its.
	(a) Frequency (b) Amphitude
	(c) Spend (d) Weyelength
7.	A monochromatic red light appears to be
	(a) Blue (b) Red (c) Black (d) White
8:	The locus of all points in the same phase of vibration is:
	(a) Wave front (b) interference
	(c) diffraction (d) polarization
9.	Huygens theory of light says that light consists of:
	(a) Wave fronts (b) Discrek particle
	(c) Photons (d) dual nature
10.	A thin layer of oil on the surface of water looks coloured due to:
	(a) Polansation of light.
	(b) different elements presenting the oil
	(c) Interference of light (d) The transmission of light
11.	In Newton's rings experiment the piano convex lens used should be of.
	(a) Small focal length (b) Large focal length
	(c) Neither of the two (d) None of the above
12.	In Newton's rings seen throughout reflected light:
	(a) The central spot is dark (b) The central spot is dark
11.0	(c) Both of above (d) None of the above
13.	The phenomenon of interference comeout because wave obey:
	(a) The impulse moment theorem

The 1st law of thermodynamics The inverse square law The principle of superposition

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When light passes from air to glass it:

Bends towards the normal without changing speed. (a)

Bends towards the normal and slows down (b)

Bends towards the normal and speed up (c)

Bends away from the normal and slows down (d)

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2.	The refractive index is.
and a	(a) Directly proportional to the wave length of light.
	(b) I have a la managerianal to the wave length of light
	(a) Directly proportional to the square of the wave length of light
	(d) Inversely proportional to the square of the wave length of light.
3.	When light enters from a rarer to a denser medium its
	(a) Velocity increases (b) Wave length increases
	(c) Its velocity remains same (d) Its frequency remains same
4.	Light from the sun reaches us in nearly
	(a) 8 min (b) 16 min (c) 8 sec (d) 16 sec
5.	A lens that is thicker at the edge thin it is in the middle is:
	(a) Converging lens (b) Diverging lens
	(c) Angular lens (d) Plain lens
6.	The sign convention for virtual images is:
	(a) Positive (b) Negative
	(c) Sometimes positive and sometimes - Negative
-	(d) All of these
7.	"Mirage" is based on the phenomenon of.
	(a) Reflection (b) Diffraction (c) Refraction
on	(d) Total internal reflection
8.	In a convex lens when the object lies at infinity, the image formed is:  (a) Real (b) Inverted (c) Extremely small in size
	(d) All of the above
9.	Image formed by a concave lens is:
	(a) Real, inverted magnified
	(b) Virtual , erect, magnified
	(c) Virtual, erect, diminished.
	(d) Real, erect, diminished
10.	
	length of this lens combination is
	(a) F (b) 2r (c) F/2 (d) F/4
11.	Power of a lens is equal to
	(a) Focal length in meters (b) Reciprocal of focal length
	(c) Dobbin of focal length (d) Half of focal length
12.	The poorer or converging lens is.
	(a) Positive (b) Negative
	(c) Natural (d) None of these
13.	The focal length of a lens depends upon.
	(a) The radius of curvature of its surface
	(b) The material of the lens
	(c) The refractive index of the medium in which it placed.
	(d) All of these
14.	
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15.	In an astronomical telescope objective is a:
	(a) Concave lens of large focal length
	(b) Convex lens of large focal length
	(c) Concave lens of small focal length.
	(d) Convex lens of small focal length.

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Q1(a) What is (b) Also wi

Ans. (a)

(b)

Q2 Define
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Ans. (i)

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Q3. Give a
Ans. Physic
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## CHAPTER # 1 THE SCOPE OF PHYSICS

#### IMPORTANT QUESTIONS & ANSWERS

Q1(a) What is science?

(b) Also write down the names of main branches of Science.

#### Ans. (a) Definition of Science:-

"Science is the name of identification, description, experimental investigation and theoretical explanation of natural phenomena."

(b) Branches of Science:-

The subject science is classified into two main branches.

i. The Physical Sciences and

ii. The Biology Science

#### Q2 Define

(i) Physical Sciences

(ii) Biological science

#### Ans. (i) The Physical Sciences:-

"It is concerned with the properties and behavior of non-living matter is divided into "Physics, Astronomy and Chemistry".

#### (ii) The Biological Sciences:-

"it deals with the living things. It is divided into Botany and Zoology".

#### 03. Give an account of different branches of Physics.

Ans. Physics is divided into several branches such as:

(i) Atomic Physics (ii) Nuclear Physics (

(iv) Astro Physics (v) Bio Physics These are defined as follows:

. Atomic Physics:

It is concerned with the structure and properties of atoms.

ii. <u>Nuclear Physics:</u>

It is concerned with the structure, properties and reaction between the nuclei of Atoms.

iii. Plasma Physics:

It is concerned with the properties of highly ionized atoms forming in a mixture of bare nuclei and electron called ion plasma.

iv. Astro Physics:

It is concerned with the application of modern physics, to the problems of astronomy.

v. Bio Physics:

It is concerned with the application of physical methods and types of explanation to bio-physical systems and structures.

vi. Solid Stale Physics:

It is concerned with the properties of crystalline materials.

The contribution of Muslim scientists described as follows:

At - Knawarzmu: He was the founder of Analytical Algebra. His important achievement was the Hisab - ul - Jabr - wal - Muqabla. He also invented the term logarithm.

(ii)

He was a great Physicist. He wrote many books. His masterpiece work was the book named "K.itab - ul - Manazir" on optics. He developed the laws of reflection and refraction. He also constructed pinhole camera.

He wrote about two hundred (200) original monographs, half of which (tit)

pertained medicine. Abu - Rehan Al - Beruni: (iv)

He was the most famous scholar of golden age of Islam. He than one hundred and fifty books on such subjects as Mathernatics, Physics, History, Geography etc. He discussed the measurement of earth, the movement of sun and moun One of his famous books was Oanoon — u. - Masoodi. He also determined the density of metals.

He worked on metrology, specific gravity and on tides, but his most (0) important work was done in the field of opties, especially or reflection

He worked a lot in medicine. He also wrote Al - Shila an Energiapedia

(vi) Philosophy. (vii)

He established International center for theoretical Physics at Trieste. He was awarded Noble prize in Physics in 1979 for his work on Grand Unification Theory (GUT).

(viti) Dr. Abdul Oadeer Khan:-

He established nuclear research Laboratory at Kahuta, where a large number of Pakistani scientists are engaged in research work, in the field of nuclear Physics.

Q6. What are different systems of units? Defined them.

Ans. Systems of Units: There are different systems of units, which are defined as follows:

(meter, Kg, second sy stem) MKS system (cm, gm, second system) CGS system (ft, pound, second system) ii. FPS system (international system of Units) iii. S.I. Units iv.

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M.K.S System:-

In M.K.S system, the fundamental units of length, mass and time are meter, kilogram and second respectively.

C.G.S. System:-

In CGS system, the fundamental units of length, mass and time

centimetre, gram and second respectively.

F.P.S. System:-

In FPS system, the unit of force, length and time are chosen as the fundamental units. In it, the unit of mass is derived unit. The unit of force, length and time are pound, foot and second respectively.

S.I units:-

The SI units are derived from the earlier M.K.S system. It was introduced in 1960 and is now in use all over the world. The S.I units unlike three basic units of the F.P.S, the C.G.S and the M.K.S system comprise seven basic units. These are

	S.No.	Quantity	S.I Units
100	I.	Length	Metre (m)
9	2.	Mass	Kilogram (kg)
	3.	Time	Second (s)
	4.	Electric Current	Ampere (A)
	5.	Temperature	Kelvin (k)
	6.	Amount of Substance	Mole (mol)
	7.	Luminous Intensity	Candela (cd)
eriv	ed Unit		
			ived from the fundamental units are
nowr Exam		red units".	Marie 1992 Control

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#### Ans.

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- The unit of speed or velocity is m/s
- The unit of force is Newton.

#### What do you understand by dimension? Q8.

Ans. Dimensions:-

Dimensions of a quantity represent the physical nature of quantity. Dimensions of quantities can be expressed as some combination by dimension of fundamental quantities. Length, mass & time is taken as fundamental quantities. Dimensions of fundamental quantities are L, M & T respectively.

#### Example:-

S. No.	Quantity	Dimensions	
1.	Area	L <sup>2</sup>	Dip.
2.	Acceleration	LT2	1
3.	Force	MLT-2	on Acou
4.	Work	ML <sup>2</sup> T <sup>-2</sup>	110

#### CHAPTER # 2 SCALARS AND VECTORS PHYSICS NOTES

# IMPORTANT QUESTIONS & ANSWERS

# Define scalars and vectors with five examples of each?

Scalars:
"Those Physical quantities, which are specific only by magnitude having "Those Physical quantities, which are specific only by magnitude having appropriate units are called scalar quantities or simply called SCALARS\* 01. Ans.

Representation:
Scalars are represented by an ordinary number (positive, negative or zero)

Scalars are represented by an ordinary too.

Scalars are represented by an ordinary top.

These numbers are known as magnitude of scalars.

These numbers are known as magnitude of scalars.

They are denoted by letters in ordinary type. They do not require any mention. of direction for their specification and representation. subtracted, multiplied and divided by ordinary arithm

Required Methods:-

Temperature, length, speed, time, density, mass, etc.

which are specified by magnitude and as well a Those Physical quantities which are specific quantities or simply called direction with appropriate units are called

Representation:
A vector is represented by putting a line segment or an arrow head over the A vector is represented by putting a fine a sold faced letters with an afrom; A, B and their magnitudes are denoted by A or A and B er B

Required Methods:-Vectors are added by two different rules i.e. head to tail rule and the second method is addition of vector by rectangular component method.

<u>Example :-</u>
Displacement, velocity, acceleration, force, moment of force are all vectors

#### Differentiate between scalars and vectors. 02. Ans.

S No Scalars		Vectors		
S. No		Definition:		
1.	Definition:	pl -sign quantities which or		
	Those Physical quantities, which	specified by magnitude and direction ar		
	with out any direction are called			

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S. No	Scalars	Vectors
2.	Representation:	Representation:
	Scalars are represented by an ordinary no. & are denoted by letters in ordinary type.	Vectors are represented by putting a line segment or an arrow-head over the appropriate symbol.
3.	Example:	Example:
	Mass, time, length, temperature,	Force, velocity, acceleration, displacemen
4.	Required Methods:	Required Methods:
	Scalars are added subtracted, multiplied & divided by ordinary arithmetical rules.	Vectors may not be added, subtracted, multiplied and divided by ordinary arithmetical rules.

O3. Define unit vector and also write its formula:



"A vector; whose magnitude is unity, i. e (A = 1) in any given direction is called unit vector"

Consider a vector 'A', whose unit vector is represented by 'a'.

Consider a vector 'A', whose unit vector is represented by 'a

The unit vector 'a' wan be obtained by dividing the vector b its magnitude, i.  $\hat{a} = \frac{A}{a}$ 

#### Q4. Define rectangular unit vectors;

Ans. Rectangular until vertices is the set of vector, which have the directions of the positive x,y and z axes of a three; dimensional rectangular co-ordinate system.

These are denoted by  $\hat{i},\hat{j}$  and  $\hat{k}$  respectively, it can be shown by the folic figure.



Q5. How-do you find the magnitude of a resultant vector in a three of a resultant vector in a three dimensional rectangular co-ordinate system?

Ans. Consider a vector A with its initial points placed at the origin of a rectangular co-ordinate system. The rectangular components of the vector A along positive x, y, & z axes are 'Ax', 'Ay' & 'Az' respectively. By adding the rectangular components such as

Ax Ay and Az we get the original vector A. i.e

$$\vec{A} = A_x i + A_y j + A_z k$$

CLASS X and the magnitude of the resultant vector 3 is given by PHYSICS NOTES A = y(a,1) + (a,1) + (a,k) But (7 = 17 = R2 = 1

Therefore .

 $A = \sqrt{dx^2 + dy^2 + dz^2}$ 

### Define free vector and position vector.

Prec Vector:

A vector which can be displaced parallel to itself & applied at any point, is 06.

The velocity of a body undergoing uniform translational motion. Free vector can be shown by the following figure



What do you know about Null vector? 07.

Null Vector:
"If two vectors are identical in magnitude and opposite in direction, then the Ans.

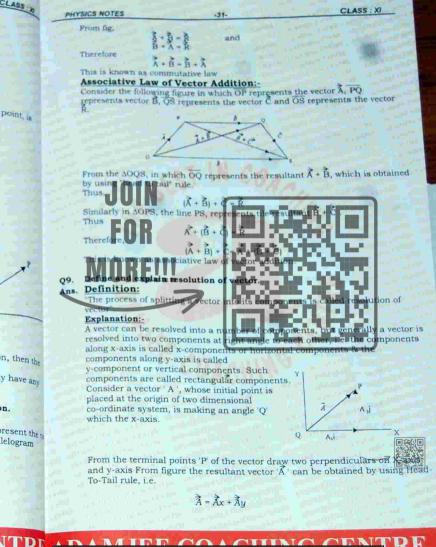
difference vector is called Null or ZERO vectors'. difference vector is called Null of LERO has no direction or it may have any The null vector has zero magnitude and has no direction or it may have any

### Proof the commutative and associative laws of vector addition.

Ans. Commutative Law of Vector Addition: Consider a parallelogram. OACB. Let the two vectors A and B represent to adjacent sides of the parallelogram. The diagonal OC of the parallelogra represents the resultant vector R.



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The vector A may also be written in terms of its components and rectangular.  $\frac{1}{3} = A_i i + A_g j$ PHYSICS NOTES

Magnitudes of Rectangular Compositions

By using the trigonometric ratios, the magnitudes of horizontal & vertical

components can be obtained, i.e.

 $A_y = A \sin \theta$ 

Magnitude of The Resultant Vector.

From the Pythagorous theorem, we can easily get the magnitude of resultant

 $A = \sqrt{A_x^2 + A_y^2}$ i.c.

Direction can be find out by the following formula

direction of the vector w.r.t. the positive x-axis measured

Q10. Explain addition of vector by rectangular components method: Ans. Consider two vectors A1, and A2, which are making angles positive x-axis.  $\tilde{A}_{2i}$ 

When  $\vec{A}_1$  and  $\vec{A}_2$  are added by head-to-tail rule, then we obtain the resultant

vector A. Now resolve the vector  $\overrightarrow{A}$  into its components  $\overrightarrow{A}_{1x}$  and  $\overrightarrow{A}_{1y}$ . The magnitudes of these components are as follows.

 $A_{1x} = A_1 \cos \theta_1$ 

And  $A_{1y} = A_1 \sin \theta_1$ Similarly the vector,  $A_2$  is also resolved into its components  $A_{2x} & A_{2y}$ , and the magnitudes areas follows:

 $A_{2x} = A_2 \cos \theta_2$ 

 $A_{2y} = A_2 \sin \theta_2$ The sum of the component vectors along x-axis is equal to the x-components resultant vector.

 $\overrightarrow{A}_x = \overrightarrow{A}_{1x} + \overrightarrow{A}_{2x}$ 

or

 $\vec{A}_{x} = (A_{1x} + A_{2x})i$ 

Similarly the sum of the component vectors along y-axis is

 $A_0 = A_{1y} + A_{2y}$ 

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 $\vec{A}_{ij} = (At_{ij} + A_{2ij})i$ 

Now the sum of the magnitudes of x-components is equal to the magnitude of the x-components of resultant vector, i.e.

 $A_x = A_{1x} + A_{2x}$ 

 $A_x = A_1 \cos \theta_1 + A_1 \cos \theta_1$ 

Similarly the sum of the magnitudes of y-components is

 $A_v = A_{1y} + A_{2y}$ 

 $A_v = A_1 \cos \theta_1 + A_2 \cos \theta_2$ 

The magnitudes of the resultant vector is obtained as

 $A = \sqrt{A_{*}^{2} + A_{*}^{2}}$ 

 $A = \sqrt{(A_1 \cos \theta_1 + A_2 \cos \theta_2)^2 + (A_1 \sin \theta_1 + A_2 \sin \theta_2)^2}$ 

The direction of the resultant vector is

 $\theta = \tan^{-1} \frac{A_y}{}$ 

O11. Define scalar product or dot product:

Ans. "If two vector are multiplied and their product is a scalar, then the product is called scalar product or Dot Product".

In other words, th<mark>e scalar</mark> product of two vectors A and B is defined as: "The product of m<mark>agnitudes</mark> of two vectors and the cosine of the angle between them is called scalar product or Dot product"

Mathematical Expression:-

Consider two vectors A and B having angle 9 between them, then their product is mathematically expressed as

A.B AB cos 0

Where the quantity 'AB cos o' is a scalar, therefore this product is called scalar product and is also called dot product of two vectors at and B

Q12. Write down the characteristics of dot product?

Ans. Characteristics of dot product:

If the vectors  $\hat{A}$  and  $\hat{B}$  are parallel i.e.  $\theta = 0$ , then

 $\cos \theta = 1$  $\vec{A}.\vec{B} = A B \cos \theta$ 

 $= AB \cos(0)$ 

= AB(1)

 $\vec{A}.\vec{B} = AB\cos\theta$ 

= B, i.e. A is parallel and equal to B (0 = 00), then

 $\vec{A}.\vec{B} = AB\cos\theta$ 

 $\vec{A} \cdot \vec{A} = A A \cos(0)$ 

 $\vec{A}.\vec{B} = A^2(1)$ 

If the unit vectors  $\hat{i}$ ,  $\hat{j}$  and  $\hat{k}$  are perpendicular to each other, then.

i.j = j.k = k.i = 0

Q13. Explain the commutative and distributive law for dot product:

Ans. Commutative law for dot product:

Consider two vectors A' and B' having angle B' between them.



Also the dot product of vectors B and A is equal to the magnitude of vector B times projection of A onto the direction of vector B, i.e. B.A = BAB

 $B.A = BA \cos \theta$  $B.A = AB \cos \theta$ On comparing equation (I) and (2), we get

This means that, if the order of vectors to be multiplied is changed, then there in in means that, if the order of vectors. Hence scalar product obeys

commutative law for dot product. Distributive law for dot product:-A.(B+C)=A.B+A.C

To prove the distributive law for dot product, we consider three vectors A, B and C. First obtain the resultant vector R by applying head to tail rule on vector B and C.

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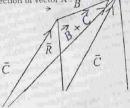
Q14.

Ans.





Then draw the projection of vector  $\hat{C}$ , i.e. OCA from the terminal point of vector  $\hat{C}$  and the projection of the resultant vector  $\hat{R}$ , i.e. ORA from the terminal point of vector  $(\hat{B} + \hat{C})$  onto the direction of vector  $\hat{A} \cdot \hat{R}$ 



Now taking  $\mathbf{L}$ ,  $\mathbf{H}$ ,  $\mathbf{S}$  of the distributive law. The dot product  $\mathbf{A}$ . ( $\mathbf{B} + \mathbf{C}$ ) is equal to the product of magnitude  $\mathbf{A}$  of the vector  $\mathbf{A}$  and the projection of the vector  $(\mathbf{B} + \mathbf{C})$  on to the direction of vector  $\mathbf{A}$ .



## Q14. Define cross or vector product and also show that: $\overrightarrow{A} \times \overrightarrow{B} = -\overrightarrow{B} \times \overrightarrow{A}$

### Ans. Definition:-

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"If two vectors are multiplied mid their resultant product is vector then the product is called vector product or cross product."

Mathematical Expression:-

Consider two vectors A and B and the product of these two vectors is denoted by A x B, that's why it is read as A cross B and the product of these two vectors a new vector C. Mathematically it can be expressed as:

Magnitude of vector C:

The magnitude of vector C is given by  $|\vec{A} \times \vec{B}| = \vec{A} \vec{B} \sin \theta = |\vec{C}|$ 

 $C = AB \sin \theta$ Were  $\theta$  is the smaller angle between positive direction of  $\overrightarrow{A}$  and  $\overrightarrow{B}$ .

 $A \times B = B \times A$ The vector  $\overrightarrow{C}$  represents the cross or vector product of A and B it is The vector  $\hat{\mathbb{C}}$  represents the cross of vector product the point in the direction perpendicular to the plane containing A and B and the point in the direction perpendicular to the plane containing A and B and the point in the direction perpendicular to the plane containing A and B and the point in the direction perpendicular to the plane containing A and B and the point in the direction perpendicular to the plane containing A and B and the point in the direction perpendicular to the plane containing A and B and the point in the direction perpendicular to the plane containing A and B and the point in the direction perpendicular to the plane containing A and B and the point in the direction perpendicular to the plane containing A and B and the point in the direction perpendicular to the plane containing A and B and the point in the direction perpendicular to the plane containing A and B and perpendicular to the plane containing A and D and dispersion are direction, such a way as to make A , B and C a right handed system. We generalize the definition.

 $C = A \times B = [AB \sin \theta] u$ 

Where u is the unit vector, perpendicular to the plane containing A and B and B handed screw advances when uWhere u is the unit vector, perpendicular to the point in the direction in which right handed screw advances when it is the point in the direction in which right handed screw advances when it is rotated from A to B, as shown in the following figure.



Since the quantities (AB  $\sin \theta$ ) in equation (i) and (BA  $\sin \theta$ ) in equation (ii) being the magnitudes are equal, therefore on comparing equation (i) and (ii) w get,

 $\vec{A} \times \vec{B} = -\vec{B} \times \vec{A}$ 

The above expression shows that the vector product is not commutative.

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Q15.

Ans.



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### Characteristics of Cross Product:

- - (ii)
- $\vec{A} \times \vec{B} = (\vec{B} \times \vec{A})$   $\vec{A} \times (\vec{B} + \vec{C}) = \vec{A} \times \vec{B} + \vec{A} \times \vec{C}$   $(\vec{A} + \vec{B}) \times \vec{C} = \vec{A} \times \vec{C} + \vec{B} \times \vec{C}$ If  $\vec{A} \neq Q$ ,  $\vec{B} \neq 0$  and  $\vec{A} \times \vec{B} = 0$ (iii)
  - (iv) then A and B are parallel
  - - $i \times i = 0$

    - - or

B<sub>2</sub>  $B_3$ 

(A<sub>2</sub> B<sub>3</sub> - A<sub>3</sub>B<sub>2</sub>) i - (A<sub>1</sub> B<sub>3</sub> - A<sub>3</sub>B<sub>1</sub>) j + (A<sub>1</sub> B



Q15. Using the definition of vector product, prove the law of sines for plane triangles of Sides a, b and c. SinA

Ans. Proof:-

Consider a triangle ABC

### Area of the triangle:

- abSinC
- $\Delta = \frac{1}{2}bcSinA$
- $\Delta = \frac{1}{2} \begin{pmatrix} \rightarrow & \rightarrow \\ c \times a \end{pmatrix}$



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Q2.

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# CHAPTER # 3 MOTION

## IMPORTANT QUESTIONS & ANSWERS

### Q1. Define displacement?

Ans. Definition:

"The change of position of a body in a particular direction is Displacement". Displacement is a vector, because if a body moves from a position A to position B, its motion from A to B determines the direction of motion. In other words displacement defined as

"The distance covered by a body in specific direction is called Displacement". Displacement is usually represented by 'S'.

Units:

. In M. K. S system, it is measured in metre (m).

2. In C.G.S system, it is measured in centimetre (cm)

Q2. Define velocity and explain the types of velocity,
(a) Uniform Velocity (b) Variable Velocity (c) Instantaneous Velocity
Ans. Velocity:

Definition:

"The rate of change of displacement is called velocity".

"The distance covered by a body with respect to time in a specified direction is called velocity.

"The speed of a body in a particular direction is called velocity" Velocity is a vector, because it has direction. It is denoted by V.

Mathematical expression:
Mathematically, velocity can be expressed as

Velocity = 
$$\frac{Displacement}{time}$$

$$V = \frac{\overrightarrow{\Delta v}}{\lambda}$$

Where

 $\Delta r = \text{change of displacement}$ 

$$\Delta r = \hat{r}_2 - \hat{r}_1$$

 $\Delta t$  = change in time

This velocity is called average velocity. Hence it may also be written as

$$V_{av} = \frac{\overrightarrow{\Delta r}}{\Delta t}$$



### Units:

- 1. In M.K.S system, its unit is metre per second and written as m/s or m.s.1.
- In C.G.S system, its unit is centimetre per second and written as cm/s or cm s<sup>-1</sup>.

The types of velocity are defined as follows:

**Definition:**The velocity of a body is said to be uniform, if it covers equal distances, intervals of time in a specified direction.

### Variable Velocity: (b)

Definition:"A body is said to possess a variable velocity, if its speed or its direction

Or in words it can be defined as:
"The body does not cover equal distances in equal intervals of time, in a Or in words it can be defined as: specified direction, then it is said to move with variable velocity.

### Instantaneous Velocity: (c)

ition:-locally of a body measured for a very small interval of time is call. Definition: vivous velocity".

relocation are equal, then the body is

Mathematical Expression: ery small such that

and instantaneous Graphical determination of uniform and Variable (non

When we plot the displacement (s) of a moving body from some fixed When we plot the displacement in the graph of the motion of the

body is obtained.

One must note the following points about the displacement time graph. If the slope of the graph is constant for different points on the If the slope of the graph scurve, it means that the body is moving with uniform velocity.

moving with uniform velocity.

If the slope of the curve is different for different points on the curve is different for different points. it means that the body is moving with variable velocity. ii.

It means that the body is allowed, then it means that the body is at îiiv rest

If a body is moving with uniform velocity, then its displacement time graph is a straight line as shown in figure.

If a body is, not moving with uniform velocity then its displacement-time graph is not a straight line, it is curved as shown in figure. Note that it may take any shape depending upon the situation.



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Q3. Define acceleration and explain different types of acceleration. (a) Uniform Acceleration, (b) Variable Acceleration

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(c) Instantaneous Acceleration.

Ans. Acceleration:

Definition;

"The rate of change of velocity is called acceleration".

When the velocity of a body changes, then the body possess acceleration. The change in velocity may be due to the change in its magnitude or direction. Acceleration is a vector. It is denoted by a because it has direction. If the velocity of a body is increased, then the acceleration is positive and if the velocity is decreased, that the acceleration is negative acceleration is called Retardation or Deceleration.

Mathematical Expression:

Mathematically it can be expressed as

change in velocity

change in velocity Dime

In M.K.S system, its units is meter per sceond

More for cm.s-2.

Types of Acceleration:

They types are defined as follows: Uniform Acceleration: (a)

Definition:-

"If the velocity of a body moving along a straight line changes uniformly in equal intervals of time, however short the interval may be, the acceleration so produced is called Uniform Acceleration".

(b) Variable Acceleration:

Definition:-

"If the velocity of a body does not change equally in equal interval of time, then the acceleration produced is called Variable Acceleration".

Instantaneous Acceleration:

Definition-

"The acceleration of a body measured for a very short interval of time, and then this acceleration is called Instantaneous Acceleration".

In the limits of a very small Ar the average acceleration will approach

value of instantaneous acceleration. It is denoted by am.

## Mathematical Expression:-

Mathematically it can be expressed as

$$\overrightarrow{a}_{mi} = \lim_{\Delta t \to 0} \frac{\overrightarrow{\Delta V}}{t}$$

### Graphical determination of uniform and variable (non-(d)

If a body is moving with uniform acceleration, then its velocity-time

graph is as shown in figure. The figure shows that the slope of the velocity-time graph is positive and constant. It means that the velocity is increasing at a uniform rate. That is, rate of change of velocity is constant. In other words, the body s moving with uniform acceleration then the value of

time

celeration is equal to the slope of the curve. is not moving with uniform acce then its velocity-time graph is as she

re shows that the slope of its velo graph will be different at different points. It may take any shape depending upon the situation.



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ssize Newton studied motion of bodies and formulated the following important laws of motion. Newton's first law of motion.

nd explain Newton's law o

Newton's second law of motion Newton's third law of motion.

### Newton's first law Motion 1.

In this law Newton explain the two important definitions first is the force & the second one is inertia.

f motion?

### Statement:

"A body remains at rest or continues to move with uniform velocity unless it is acted upon by an unbalanced force".

### Explanation:

From the statement of Newton's first law of motion, we draw the followin conclusion that. That law consists of two parts; the first part states that a body cannot change its state of rest or of uniform motion in a straight line unless it is acted upon by some unbalanced force to change its s

### Example:

This law can also be explained with the help of following examples:

A book lying on a table will remain there forever in the same position unless someone comes and removes it.

A bullet is fired from a gun. Its motion is opposed both by air resistance and the pull of earth. If the pull of the earth and the air resistance could be eliminated, the bullet could go on moving in a straight line for ever.

The second part of this law gives us the qualitative definition of the net force, which is stated as follows: "Force is an agent, which produces or tends to produce a change in the

state of rest or of uniform motion of an object, i.e. produces the acceleration in the body".

### First Law of Motion is also called Law of Inertia:

First law of motion is also called law of inertia, because it points towards a important property of matter. This is called INERTIA.

### Definition of Inertia:

"Inertia is that properly of matter by virtue of which if it is in state of rest or motion it tries to remain in that state".

Or simply it is defined as:

"Inertia is the tendency of an object resists a change in its state".

Experiments show that the inertia of an object is directly proportional to the ect, i.e. the greater the mass of an object, greater will be the

### Newton's second law of motion. 2.

Introduction:-In this law of motion Newton provide a means for the quantitative measurement of force as well as mass.

## Statement:

When a force acts on an object at produces an acceleration in its own direction, which is directly proportional to the magnitude of the force and inversely proportional to the mass of the object

### Explanation:

If we push a body harder, it moves faster. Its velocity changes in the direction of the force exerted. From such experiences it is established that when a force acts upon a body the acceleration produced is directly proportional to the force symbolically it can be expressed as:

Or Where "F" is a (vector) sum of all the forces acting on the body, and "m" is the mass of the mathematical expression of Newton's second law of motion. It can be written as:

$$\vec{a} = \frac{\vec{F}}{m}$$

The above equation explains that the acceleration is directly proportional to the resultant force acting on a body and the direction of acceleration is same as that of the force and the acceleration is inversely proportional to the mass of the body.

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### Newton's second law of motion. 3.

In this law Newton explain the action and reaction of the force. It is

stated as follows. "To every action, there is an equal and opposite reaction".

When a body "A" exerts a force on another body "B", it is called the action of force "A" on "B". The body "B" will also exerts a force on body "A" which will be equal in magnitude, but opposite in direction. This force is called the reaction of "B" on "A"



The force of body "A" on body "B" is written as  $\vec{F}_{AB}$  and the force of body

on the body "A" is written as  $\vec{F}_M$ , which be equal in magnitude, but te in direction and these force lie on the line joining the two bodies. Symbolically, it can be expressed as



here negative sign shows that the two forces are acting in opposite

Two bodies of unequal masses are attached to the two ends of a string 05. over a friction less pulley. If the bodies are moving vertically, find the

the tension in the string and the acceleration of the system.

Ans. when both the bodies move vertically: Consider two bodies of unequal masses "m " and "m2" which are connected by a string, passes over a frictionless pulley as shown in figure. Both the bodies move vertically.

Let  $m_1$  be the greater mass as compound to the mass  $m_2$ . Hence body A have greater mass i.e. " $m_1$ " it will accelerate  $\bigwedge T$ in downward direction with an acceleration "a" and the body B due to less mass " $m_2$ " will move up with the same B $W_2 = m_2g$ acceleration.

Let "T" be the tension in the string.

Let us first consider the motion of body A. There are two forces acting on the body A,

The weight of the body W1 = m1g, which is acting in downward direction.

The tension "T" in the string, which is acting in upward direction.





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Since the body A moves downward, therefore the weight of body A is greater than the tension. Thus the net force F, which moving downward with an acceleration "a" is given by

$$F = W_1 - T$$
$$F = m_1 g - T$$

Or

But according to Newton's second law of motion, the net force is m1a. Thus the equation of motion for body A is

Now consider the motion of body B. There are also two forces acting on the body B.

- 1. Weight of the body W2 and
- The tension T in the string.

Since the body B is moving upward therefore the net force F which is moving the body upward is

Or 
$$F = T - W_2$$
  
 $F = T - m_2g$ 

ce on body B by the application of Newton's second law of motion is mag,

### Thus the equation of motion for body B is moa = T - mog Calculation of Acceleration:

To calculate the acceleration "a" adding equation (i) & (ii), we get



Calculation of Tension:

Tension in the string can be calculated by dividing equation (i)

$$\frac{m_1 a}{m_2 a} = \frac{m_1 g - T}{T - m_2 g}$$

$$\frac{m_1}{m_2} = \frac{m_1 g - T}{T - m_2 g}$$

By cross multiplication we get

$$m_1(T - m_2g) = m_2(m_1g - T)$$
  
 $m_1T - m_1m_2g = m_1m_2g - m_2T$   
 $m_1T + m_2T = m_1m_2g + m_1m_2g$   
 $T(m_1 + m_2) = 2 m_1m_2g$   
 $T = 2m_1m_2$ 

$$T = \left[ \frac{2m_1 m_2}{m_1 + m_2} \right]$$





 $m_1a = m_2g - 1$   $m_2a = T$   $m_1a + m_2a = m_1g$  $a(m_1 + m_1) = m_1g$ 



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### Calculation of Tension:-

To obtain the expression for tension, put the value of 'a' in equation (2)

$$T = m_2 a$$

$$T = m_2 \left[ \frac{m_1}{m_1 + m_2} \right] g$$

$$\mathbf{T} = \left[ \frac{m_1 m_2}{m_1 + m_2} \right] g$$

Q7. Write down the equations of a uniformly accelerated rectilinear motion.

Which is the most common example of a uniformly accelerated motion?

"What is the free fall method?

Ans. Equation of a Uniformly Accelerated Rectilinear Motion:

If a body is moving with constant acceleration 'a', its initial velocity is "V<sub>1</sub>" after

If a body is moving with constant acceleration 'a', its initial velocity is "V<sub>1</sub>" afte time "t" it covers the distance "S" and its final velocity will be "V<sub>1</sub>". Then the motion of the body is governed by the following equations.

- 2. S = Vt + 2 a
- 3.  $2aS = V_1^2 V_1^2$

Example of a Uniformly Accelerated Motion:
The most common example of motion with nearly constant acceleration is that of a body falling towards the earth. This acceleration is due to puil of the earth (gravier), which is known as acceleration due to gravity and is denoted by "g".
Its unit is more per second square (m'se), Its value 9.8 m/s² in S. 1. units.

### Free Fall Method:

If the body moves towards earth, neglecting resistance and small changes in the acceleration with algridge. This body is referred to as free falling body and the motion is called Free Fall.

### Equations for Free Fail Motion:-

Replacing acceleration "a" by acceleration due to gravity "g", the equations of motion become

- V<sub>f</sub> \* V<sub>i</sub> + gt
- 2.  $S = V_i t + \frac{1}{2} gt^2$
- 3.  $2gS = V_1^2 V_1^2$
- Q8. (a) Define momentum. Also write down its unit.
  - (b) Derive the unit of momentum.
- Ans. (a) Define momentum:

"The quantity of motion, which increases with the increase of mass and as well as of velocity and decreases with the decreases of mass as well as of velocity and decreases with the decreases of mass as well as of velocity called momentum".

in other words. It can be defined as:

"A moving body having greater velocity has a greater quantity of motion than the body having lesser velocity. This quantity of motion is called momentum".

## PHYSICS NOTES

Mathematical Expression:-Mathematically it can be expressed as

Momentum = mass x velocity

### Unit:

In S. I. system, its unit is N - s.

Derivation of the Unit of Momentum: As momentum is the product of mass and velocity, so its unit is derived as follows. Momentum = mass x velocity

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Divide and multiply the above expression by second (s).

$$= kg \times \frac{m}{s} \times \frac{s}{s}$$

$$= kg \times \frac{m}{s^2} \times s$$

 $kg \times \frac{m}{s^2} = N$ the unit of momentum is N—s.

State and explain law of conservation of momentum.

Ans. Law of Conservation of Momentum: "The momentum of an isolated system always remains constant

ner words.

is no external force applied to a system, then the total momentum of Or in other words.

remains constant".

Consider a system consisting of two bodies A and B of masses my and m2 respectively. These are moving in a straight line, with velocities ut and uz before collision. On colliding with each other, their final velocities will be v1 and  $m v_2$  respectively. Thus the total momentum of system before collision

= m<sub>1</sub>u<sub>1</sub> + m<sub>2</sub>u<sub>2</sub> And the total momentum of the system after collision.

When the two bodies collide with other, they come in contact for a time interv 't'. According to Newton's third law of motion, if body A exerts a force on body B, then the body B also exerts a force on body A but in opposite direction. The average force acting on body B is also equal to the rate of change of its momentum during the time interval 't' i.e. it is equal to.

$$m_2v_2-m_2u_2$$

Similarly the average force acting upon the body, A is.

$$\frac{m_1v_1-m_1u_1}{t}$$

As these forces fire oppositely directed therefore

e oppositely directed discrete 
$$\frac{m_1v_1 - m_1u_1}{t} = \frac{m_1v_1 - m_1u_1}{t}$$

$$\frac{m_2v_2 - m_2u_2 = -m_1v_1 + m_1u_1}{m_2v_2 + m_1v_1} = m_1u_1 + m_2u_2$$

$$m_1u_1 + m_2u_2 = m_1v_1 + m_2v_2$$

OR

is derived

The above expression can be explained in words as:
Total momentum of the system = Total momentum of the system
before collision after collision

This is known as law of conservation of momentum. Thus the above equation shows that the total momentum of the system before and after collision is the same. The mutual action and reaction of the bodies of an isolated system are unable to change the momentum of the system, i.e. the momentum of the system is conserved.

### Q10. Define Elastic and Inelastic collision.

### Ans. Elastic Collision:

"An elastic collision is that in which, the momentum of the system as well as the kinetic, energy of the system before and after collision is conserved, i.e. remains same".

### Inelastic collision:

"In inelastic collision, the momentum of the system before and after collision is conserved, but the kinetic energy before and after collision changes, i.e. the total kinetic energy does not remain constant".

- Q11. Two bodies having different masses and moving with different velocities have an elastic collision in one dimension. Calculate their final velocities after collision. What will happen if
  - i. The masses of the two bodies are equal.
    ii. When the second body is initially at rest.

When a light body collides with massive body at rest.
 When the massive body collides with the fight stationary body.

Ans. Elastic Collision in one Dimension:

Consider two smooth non-rotating spheres. A and B of masses m, and m, an

Now the momentum of the system before collision =  $m_1u_1 + m_2u_2$ And the momentum of the system after collision =  $m_1v_1 + m_2v_2$ 



Before Collision

After collision

According to law of conservation of momentum, we have

Total momentum before collision = Total momentum after collision

$$m_1u_1 + m_2u_2 = m_1v_1 + m_2v_2$$
  
 $m_1u_1 - m_1v_1 = m_2v_2 - m_2u_2$   
 $m_1(u_1 - v_1) = m_1(v_2 - u_2)$  (1)

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K. E of the system before collision

$$\frac{1}{2}m_1u_1^2 + \frac{1}{2}m_2u_2^2$$

K.E of the system after collision

$$\frac{1}{2}m_1{v_1}^2 + \frac{1}{2}m_2{v_2}^2$$

As the collision is elastic, so the kinetic energy of the system is also conserved

K.E of the system before collision = K.E of the system after collision

h before collision = R.D. 
$$m_1 = m_2 v_1^2$$
  
 $\frac{1}{2} m_1 u_1^2 + \frac{1}{2} m_2 u_2^2 = \frac{1}{2} m_1 v_1^2 + \frac{1}{2} m_2 v_2^2$   
 $\frac{1}{2} (m_1 u_1^2 + m_2 u_2^2) = \frac{1}{2} (m_1 v_1^2 + m_2 v_2^2)$   
 $(m_1 u_1^2 + m_2 u_2^2) = (m_1 v_1^2 + m_2 v_2^2)$ 

 $m_1 u_1^2 - m_2 v_2^2 = m_1 v_1^2 - m_2 u_2^2$  $m_1(u_1^2-v_2^2)=m_1(v_1^2-u_2^2)$ 

The above equation shows that the sam of the initial and final velocities of the

equal to the sum of the initial and final velocities of the body B Now take the value of v2 from eq (1), v

 $m_1(u_1 - v_1) = m_2(v_2 - u_2)$   $m_1(u_1 - v_1) = m_2(u_1 + v_1 - u_2)$ 

 $m_1u_1 - m_1v_1 = m_2u_1 + m_2v_1 - 2m_2u_2$ 

 $m_1u_1 - m_2u_1 + 2m_2u_2 = m_1v_1 + m_2v_1$ 

or it can be written as  $m_1v_1 + m_2v_1 = m_1u_1 - m_2u_1 + 2m_2u_2$ 

$$m_1v_1 + m_2v_1 - m_1v_1 + m_2v_1$$

$$v_1(m_1 + m_2) = u_1(m_1 - m_2) + 2m_2u_2$$

$$v_1 = \frac{u_1(m_1 - m_2) + 2m_2u_2}{(m_1 + m_2)}$$

$$v_1 = \left(\frac{m_1 - m_2}{m_1 + m_2}\right) u_1 + \left(\frac{2m_2}{m_1 + m_2}\right) u_2$$

Similarly we take the value of v1 from eq (iii), we get  $v_1 = v_2 + u_2 - u_1$ 

$$v_1 = v_2 + u_2 - u_1$$

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Put this value of v1, in eq (i)

 $\begin{array}{ll} m_1(u_1-v_1)=m_2(v_2-u_2) \\ m_1[u_1-(v_2+u_2-u_1)]=m_2(v_2-u_2) \\ m_1[u_1-v_2=u_2+u_1]=m_2(v_2-u_2) \\ m_1[2u_1-v_2-u_2]=m_2v_2-m_2u_2 \\ 2m_1u_1-m_1u_2+m_2u_2=m_2v_2+m_1v_2 \end{array}$ 

Or it can be written as

 $\begin{aligned} & m_2 \, \mathbf{v}_2 + \mathbf{m}_1 \mathbf{v}_2 = 2 m_1 \mathbf{u}_1 + m_2 \mathbf{u}_2 - m_1 \mathbf{u}_2 \\ & \mathbf{v}_2 \, (\mathbf{m}_1 + \mathbf{m}_2) = 2 \mathbf{m}_1 \mathbf{u}_1 + \mathbf{u}_2 \, (\, \mathbf{m}_2 - \mathbf{m}_1) \\ & \mathbf{v}_2 = \frac{2 m_i \mathbf{u}_1 + \mathbf{u}_2 (m_2 - m_1)}{(m_i + m_2)} \end{aligned}$ 

Or it can be written as

$$v_{2} = \frac{2m_{1}u_{1}}{(m_{1} + m_{2})} + \frac{u_{2}(m_{2} - m_{1})}{(m_{1} + m_{2})}$$

$$v_{2} = \left(\frac{2m_{1}}{(m_{1} + m_{2})}\right)u_{1} + \left(\frac{m_{2} - m_{1}}{m_{1} + m_{2}}\right)u_{2}$$
(5)

Thus from the equations (iv) and (v), we can calculate the values of unknown velocities, (e. v) and v<sub>2</sub>.

i. If the masses of two bodies are equal:



 $v_1 = u_2$ 

And the velocity of second body is:

$$v_{2} = \left(\frac{2m_{1}}{(m_{1} + m_{2})}\right)u_{1} + \left(\frac{m_{2} - m_{1}}{m_{1} + m_{2}}\right)u_{2}$$

$$v_{2} = \left(\frac{2m}{(m + m)}\right)u_{1} + \left(\frac{m - m}{m + m}\right)u_{2}$$

$$v_{2} = \left(\frac{2m}{2m}\right)u_{1} + 0$$

$$v_{2} = v_{2}$$



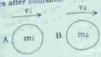
\_\_\_ (4)

T'D'

Thus the two bodies interchange the velocities after collision.



Before Collision



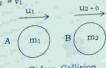
After collision

When the body B is initially at rest: ii.

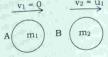
then the final velocities of both bodies can be calculated as follows: From eq. (iv)



Further if  $m_1 = m_2 = m$ . i.e. both the bodies are equal, then first body after collision will stop and body B will start moving with the velocity  $u_1$  i.e.  $v_1 = 0$ and  $v_2 = v_1$ 



Before Collision



After collision



calculate

## iii. When the light body collides with a massive body, which is

i.e.  $m_1 << m_2$  and  $u_2 = 0$ , under these conditions  $m_1$  is so small as compared to  $m_2$ , that it can be neglected in eq (iv) and (v). Thus we have

$$v_{+} = \left(\frac{m_{1} - m_{2}}{m_{1} + m_{2}}\right)u_{1} + \left(\frac{2m_{2}}{m_{1} + m_{2}}\right)u_{2}$$

$$v_{1} = \left(\frac{0 - m_{2}}{0 + m_{2}}\right)u_{1} + \left(\frac{2m_{2}}{0 + m_{2}}\right)(0)$$

$$v_{1} = \left(\frac{0 - m_{2}}{0 + m_{2}}\right)u_{1} + 0$$

$$v_{1} = \left(\frac{-m_{2}}{m_{2}}\right)u_{1}$$



Before Collision

iv. When the massive body collides with the light body, which is at rest:

i.e.  $m_1 >> m_2$  and  $u_2 = 0$ . Now  $m_2$  can be neglected as compared to  $m_1$  in eq (iv) and (v).

Thus from eq (iv)

$$v_{1} = \left(\frac{m_{1} - m_{2}}{m_{1} + m_{2}}\right)u_{1} + \left(\frac{2m_{2}}{m_{1} + m_{2}}\right)u_{2}$$

$$v_{1} = \left(\frac{m_{1} - 0}{m_{1} + 0}\right)u_{1} + \left(\frac{2(0)}{0 + m_{2}}\right)(0)$$

$$v_{1} = \left(\frac{m_{1}}{m_{1}}\right)u_{1} + 0$$

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and from eq (v)

$$v_{2} = \left(\frac{2m_{1}}{(m_{1} + m_{2})}\right)u_{1} + \left(\frac{m_{2} - m_{1}}{m_{1} + m_{2}}\right)u_{2}$$

$$v_{2} = \left(\frac{2(0)}{(0 + m_{2})}\right)u_{1} + \left(\frac{m_{2} - 0}{0 + m_{2}}\right)(0)$$

$$v_{2} = (0)u_{1} + 0$$

$$v_{2} = 0$$

JOIN FOR MORE!!!



Q1

Ans

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# CHAPTER # 4 MOTION AND TWO DIMENSION

-55-

## **IMPORTANT QUESTIONS & ANSWERS**

### Q1. Define

i. Projectile

### ii. Projectile motion

### Ans. i. Projectile

"Any object that is given any initial velocity and which subsequently follows a path determined by the gravitational force acting on it and by the fictional resistance of the atmosphere is called a Projectile".

"An object projected into space without the driving power of its own and males under the action of gravity is called Projectile".

### ii. Projectile Motion:

"When a body is thrown with ar angle 'th' and it covers a (distance) parabolic path under the action of gravity, this type of motion is called Projectile Motion".

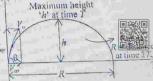
## Example

cked or thrown balls.

- iii. Object thrown from a window.
- iv. Object released from an aeroplane.
- Q2. A particle is projected at an angle '0' to the horizontal with the velocity 'vo' and is allowed to fall freely so that it covers a certain distance in a parabolic path. Derive the expression for the following
  - Horizontal component of velocity.
  - (2) Vertical component of velocity.
  - (3) Maximum height of the projectile
  - (4) Range of the projectile
  - (5) The maximum range
  - (6) Projectile trajectory

Ans. Suppose a particle is projected at an angle '9' with the horizontal, as shown in figure.

The initial, velocity V, of the particle can be resolved into two rectangular components Vox & Voy, along horizontal axis and vertical axis respectively. The magnitudes of the horizontal and vertical components of velocity are as follows.



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## 1.

Horizontal Velocity Component: The horizontal component of initial velocity is given by

But during the projectile motion, there is no net force acts in the

horizontal direction, therefore the final velocity  $V_x$  in the horizontal direction is equal to its initial velocity Vox.  $V_x = V_{ox} = V_o \cos \theta$ 

### Vertical Velocity Component: 2.

The vertical component of the initial velocity is

(iii)

But as the net force acts in vertical direction, which produces acceleration in the y-direction, therefore the final velocity in vertical direction can be calculated with the help of the following data.

Initial Velocity =  $V_{oy} = V_o \sin \theta$ Acceleration ay = - g

time = 1 final velocity = Vy = ?

Using the first equation of motion, i

 $V_v = V_{ov}$  $V_v = V_o \sin \theta - g$ 

gnitude of the resultant  $V = \sqrt{V_s^2 + V_s^2}$ 

### Maximum Height of the Projectile; iii.

To derive the maximum height of the projectile first we have to calculat the time for upward motion. The maximum height occurs when the vertical component of the final velocity reduces to zero and the particle is projected with the acceleration due to gravity (-g). Therefore

Initial velocity =  $V_{ov} = V_o \sin \theta$ Final velocity =Vy = 0 Acceleration =ay = -g Time for upward motion =  $t = T_1 = ?$ Maximum height = S = h = ?

### Calculation of time:

For the calculation of time 'T1' we use first equation of motion

 $V_v = V_i + at$  $V_v = V_i + (-g) T_1$  $0 = V_0 \sin \theta - gT_1$  $gT_1 = V_o \sin \theta$  $T_1 = \frac{\text{Vo Sin } \theta}{\text{Vo Sin } \theta}$ 

Where T' is half of the total time elapsed between launching and landin of the projectile.

the

zontal

vertical

Calculation of Maximum height:

To calculate the maximum height we use the third equation of motion,

$$\begin{split} &S = V_1 t + \frac{1}{2} \text{ at}^2 \\ &h = V_{oy} T_1 + \frac{1}{2} \text{ ay } T^2 \\ &h = Vo \sin \theta, \frac{Vo \sin \theta}{g} + \frac{1}{2} \left(-g \left(\frac{Vo \sin \theta}{g}\right)^2 \right) \\ &h = \frac{Vo \sin^2 \theta}{g} - \frac{1}{2} g \cdot \frac{V_o^2 Sin^2 \theta}{g^2} \end{split}$$

$$h = \frac{Vo \sin^2 \theta}{g} - \frac{V_o^2 Sin^2 \theta}{2g}$$

$$h = \frac{\text{Vo sin } \theta}{g} = \frac{r_{\theta} \sin \theta}{2g}$$

$$h = \frac{2V_a^2 Sin^2 \theta - V_a^2 Sin^2 \theta}{g}$$

$$V_a^2 Sin^2 \theta$$

 $h = \frac{1}{2g} V_o^2 Sin^2 \theta$ 

Range of the Projectile: The horizontal distance from the origin to the point where the projectile eturns is called range of the projectile"

In order to find the range of the projectile, we make use of the fact that the total flight takes the time, that is twice the time to reach the highest

point. Therefore Distance = S = X Time =  $t = 2T_1$ Velocity = V = V

Using

S = V x t $X = V_{ox} \times 2T_1$ 

$$R = V_o \cos \theta \times 2 \frac{V.Sin\theta}{g}$$

$$R = \frac{2V_o^2}{g}\sin\theta\cos\theta$$

$$R = \frac{V_o^2}{g} 2 \sin \theta \cos \theta$$

But from trigonometry, we know that  $2 \sin \theta \cos \theta = \sin 2\theta$ 

Therefore the above equation becomes

 $R = \frac{V_0}{2} \sin \theta$ 

Thus the range of the projectile depends on the square of the initial velocity and sine of twice the projection angle θ.

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03. Ans

## v.

The maximum kauge: The range is said to be maximum,, i.e.  $R_{max}$ , when the factor  $\sin 2\theta$  in equation (vii) is maximum, i.e.

$$\sin 2\theta = 1 \\
2\theta = \sin^{-1}(1)$$

$$2\theta = \sin^{-1}(1)$$

$$R_{\text{max}} = \frac{V_u^2}{2} 2 \sin \theta$$

$$R_{\text{max}} = \frac{V_o^2}{\sin 2(45)}$$

$$g_{\text{max}} = \frac{V_o^2}{\sin 90^\circ}$$

# JOIN

Rmax

ne projectile must be launched at an angle of 45°, with the horizontal to attain the maximum range. For all other angle greater or than 45°, the range will be less than Rman

rojectile Trajectory: "The path followed by a projectile is referred as its trajectory"

To derive the expression for trejectory, we use the third equation of motion, i.c

$$Y = V_{oy} t$$
  
 $Y = V_{o} Sin$   
 $Y = V_{out} t$ 

$$Y = V_{o} SHIDT - 72 SV$$

$$X = V_{ox} T$$

$$t = \frac{V_{ox}}{V_{ox}}$$

$$=\frac{X}{V_{o}Cos\theta}$$

On substituting the value of 't' in eq (ix), we get

$$Y = V_0 \sin \theta t - \frac{1}{2} gt^2$$

$$Y = V_o Sin\theta \frac{X}{V_o Cos\theta} - \frac{1}{2} g \left( \frac{X}{V_o Cos\theta} \right)^2$$

$$Y = X \frac{Sin\theta}{Cos\theta} - \frac{1}{2}g \frac{X^2}{V_0^2 Cos^2 \theta}$$

$$Y = X \tan \theta - \frac{1}{2}X^2 \frac{g}{V_0^2 \cos^2 \theta}$$



(x)

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ation of

In the above equation, the quantities  $V_{ox} \tan \theta$ ,  $\cos \theta$ , g are constant and therefore we can lump them into another constant such that  $a = tan\theta$ 

and 
$$b = \frac{g}{V_a^2 Cos^2 \theta}$$
  
Hence eq (x) reduces to

$$Y = ax - \frac{1}{2}bx^2$$

Define radian and explain the relation between radians and degree. 03.

"One radian is defined to be the anale subtended, where the arc length 'S' is Ans. exactly equal to the radius of the circle".

 $S = 2\pi r$ 

For one complete revolution  $\theta = 360^{\circ}$  then 'S' becomes the circumference of circle

Or

Now eq (i) becomes

$$r\theta = 2\pi r$$

 $\theta = 2\pi \text{ radians}$ 

Or

 $\theta = 360^{\circ} = 2\pi \text{ radians}$ l radian

1 degree

04.

Define Centripetal Acceleration and derive the formula ac

Ans. Definition: When an object moves in a circle, the magnitude of the velocity remains same, but the direction of velocity changes of every point during the circular motion. Due to changing the direction of velocity an acceleration is produced, which is always

directed towards the centre of the circle, it is called centripetal acceleration". It is denoted by ac and some times it is denoted by an indicating that the acceleration acts perpendicular to the path.

Derivation:

In order to calculate the magnitude of centripetal acceleration ac, we must first find the velocity difference AV for two successive positions of an object moving along a circular path. Suppose the object takes a time  $\Delta t = t_2 - t_1$  to go from position 1 to position 2.

vThe vector difference ΔV is due to the different directions of the velocity

vectors at the two positions.



Figure 2

Figure 1

(x)

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The angle  $\Delta\theta$  between the velocity vector  $\vec{V}_1$  and  $\vec{V}_2$  is the same as  $\Delta\theta$  in fig (i). Since  $\vec{V}_1$  and  $\vec{V}_2$  each perpendicular to the radius lines at position I & 2 respectively. Since both are isosceles triangles and  $\Delta\theta$  are the same.

Hence

Dividing both sides by  $\Delta t$  of the above equation.

$$\frac{\Delta F}{\Delta t} = \frac{V}{r} \frac{\Delta S}{\Delta t}$$

As  $\Delta t \rightarrow 0$ 

$$\lim_{\Delta t \to 0} \frac{\Delta F}{\Delta t} = \frac{V}{r} \lim_{\Delta t \to 0} \frac{\Delta S}{\Delta t}$$



Write short note on centripetal force. Ans. Centripetal Force: that force which keeps the body in the circular path and acts towards the

entre is known as Centripetal For The force which forces a body to move along a circular path is termed as

Centripetal Force.

Examples of Centripetal Forces:

- The Centripetal force is required by natural planets to move constantly round a circle is provided by gravitational force.
- The electronic attraction between an electron and the nucleus is the centripetal force for the circular motion of the electron around the nucleus.
- If a stone tied to a string is whirled in a circle the required centripetal iii. force is supplied to it by our hand. As reaction the stone exerts an equa force which is felt by our hand.

Factors on which the centripetal force depends:

- Centripetal force is directly proportional to mass of the body.
- Centripetal force is directly proportional to the square of the velocity.
- Centripetal force is inversely proportional to the radius of the orbit.

Magnitude of Centripetal Force:

Consider a ball of mass 'm' tied to a string of length 'r' is being whirled with constant speed in a circular orbit as shown in the given figure. As the vector changes its direction continuously during the circular motion, so the ball experiences a centripetal acceleration which is directed toward, the centre of the orbit.

1 8 2

According to "First Law of Motion", the inertia of the ball tends to maintain in a straight line path but the string does not let it happen by applying a force on the ball such that the ball may follow its circular path. This force (the force of tension) is always directed along the length of the string toward the centre of the circle which is quite clear from the figure. This force is known as Centripetal Force and represented by Fe.

According to Newton's second law of motion we know that



 $F_c = ma_c$  (i) But we know that Centripetal Acceleration  $a_c = v^2/r$ . Putting value of  $a_c$  in eq

 $F_c = mr\omega^2$ 

$$F_{c} = \frac{mV^{2}}{r}$$

$$F_{c} = \frac{m(r\varpi)^{2}}{r}$$

$$F_{c} = \frac{mr^{2}\varpi^{2}}{r}$$

or JOIN

(i) we have

Q6. In the game of Cricket a ball of high trajectory is easy to catch, explain it.

Ans. As we know that, trajectory is the path followed by the projectile. It is parabolic in shape. If a projectile is projected at a small angle its trajectory will be flat and its time of flight will be short. For a far get angle of projection, trajectory is then and its time of flight will be long.

Therefore, in the gaine of Cricket a ball of high trajectory is easy to catch, because the total time of flight would be long and the player has sufficient time to get into position, where as in of low trajectory it is much harder to short-catch the ball since the time of flight is not so long.

Q7. Why a bomber does not drop the bombs, when it is vertically above the target?

Ans. When a bomber drops a bomb, it will undergo accelerated motion downward and the bomber also give it some initial velocity in the horizontal direction equal to the velocity of the plane, obviously the motion will no longer be straight downward, but will be at some angle to the vertical and the motion of the bomb becomes a projectile motion. Hence it is clear that the bomb should be dropped before the bomber is vertically above the target.

Q8. Does the horizontal velocity component of velocity of projectile motion remains constant" if yes, then why?

Ans. The horizontal component of velocity during the projectile motion remains constant, because there is no net force acts in the horizontal direction where is no horizontal component of acceleration. Thus, if an object is projected with some initial horizontal velocity  $V_{ox}$ , then is final velocity  $V_{x}$  in the horizontal direction is equal to its initial velocity  $V_{ox}$  i.e.

 $V_x = V_{ox}$ 

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## CHAPTER # 5 TORQUE ANGULAR MOMENTU AND EQUILIBRIUM

# IMPORTANT QUESTIONS & ANSWERS

Ol (a) Define torque.

(b) Write down the magnitude of torque.

### Ans. Torque:

"The turning effect of force is called torque".

the vector product of position vector  $\vec{r}$  and the force  $\vec{F}$ . noted by 't' (tau). It is a vector

### Magnitude of Torque:

Consider a particle of mass 'm' which is act e F. Let r be the position vector of the icle We can resolve this force into two rectangular components, i.e. ne force which acts in the direction pull the mass.

ne force which acts in the direction perpendicular to r and produces rotation

Let 'r' and 'F." be the magnitudes of f and F. respectively. The magnitude of torque vector ? produced by the force F about the centre 'O' is expressed as

according to the second definition, it can be

### Direction of Torque:-

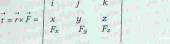
The direction of torque can also be given by the 'right hand rule'.

### Sing Convention:-

The torque may be clock wise or counter-clock-wise. Hence a torque which produces a counter-clockwise rotation is considered to be positive, while that producing clockwise rotation is taken as negative.

### Vector representation of Torques:

We can represent the torque vector τ in the determinant form, as given beliminated





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O2. Define types of equilibrium. Ans. Types of Equilibrium:

The types of equilibrium are:

Static equilibrium and

Dynamic equilibrium,

1. Static Equilibrium:

"If a body is at rest then it is said to be in static equilibrium". Example:-

A book lying on a table, building & bridges are in static equilibrium.

Dynamic Equilibrium:

"If a body is in uniform motion along a straight line is said to be in dynamic equilibrium".

(ii)

Example:-

Vertically downward motion of a small steel ball through a viscous liquid & the jumping of a paratrooper from an helicopter.

State and explain the first condition of equilibrium.

Ans. First condition of Equilibrium:

Statement "If the sum of all the forces or resultant of all the forces acting on a body is zero, then the body is said to be in state of equilibrium or it satisfies the first

Let  $F_1$ ,  $F_2$   $F_2$  be the 'n' external forces acting on a body. Then according to its condition of equilibrium  $F_1$ : condition of equilibrium". Explanation:

first condition of equilibrium

Fir First First

 $\sum \vec{F_1} = 0$ 

If the forces are acting only in x-y plane then, the above equation will be  $F_i = F_{ix} \ i + F_{iy} \ j$  Where  $F_{ix}$  is the x-component of the force  $F_{ix}$  and  $F_{iy}$  is the x-component of the

force Fiy and i, j are the unit vectors in the direction of x and y respectively. Thus the equation (ii) can be written as

 $(F_{1x}i + F_{1y}J) + (F_{2x}i + F_{2y}J) + \dots + (F_{nx}i + F_{ny}j) = 0$  $(F_{1x} + F_{2x} + \dots + F_{nx})i + (F_{1y} + F_{2y} + \dots + F_{ny})j = 0$ Let F be the resultant of forces F1, F2 . . . . , Fn

 $\vec{F} = \vec{F}_1 + \vec{F}_2 + \dots + \vec{F}_n$ 

 $F_{xi} + F_{yj} = (F_{1x} + F_{2x} + ... + F_{nx})i + (F_{1y} + F_{2y} + ... + F_{ny})j$ On equating the x and y components of the forces on both sides of the above

equation And

 $F_x = F_{1x} + F_{2x} + \dots + F_{nx}$  $F_v = F_{1v} + F_{2v} + \dots + F_{nv}$ 

Therefore

 $\vec{F}_1 + \vec{F}_2 + \dots + \vec{F}_n = 0$ 

 $F_x = 0$ ,  $F_y = 0$ 

 $F_{1x} + F_{2x} + \dots + F_{nx} = 0$ 

 $F_{1y} + F_{2y} + \dots + F_{ny} = 0$ 

e which

Or it can be written as

$$\sum_{i=1}^{n} F_{ix} = 0$$

$$F_{iy} = 0$$

For simplification, we omit i from the summation sign in the above equation

$$\sum F_s = 0$$

$$\sum F_{y} = 0$$

Let  $\theta_1, \theta_2, \dots, \theta_n$  be the angles which the forces  $\xi_1, \xi_2, \dots, \xi_n$  make with x-axis respectively, then

ctively, then 
$$\begin{aligned} F_{1x} &= F_1 \cos \theta_1, \ F_{2x} &= F_2 \cos \theta_2, & ..., F_{nx} &= F_n \cos \theta_2 \\ F_{1x} &= F_1 \sin \theta_1, \ F_{2y} &= F_2 \sin \theta_2, & ..., F_{ny} &= F_n \sin \theta_2 \end{aligned}$$

condition of equilibrium is written as

$$\sum_{i=1}^{n} F_{i} = \sum_{j=1}^{n} F_{i} = \sum_{j=1}^{n} F_{j} Cos\theta_{j} = 0$$

$$\sum_{i=1}^{n} F_{i} = \sum_{j=1}^{n} F_{j} Cos\theta_{i} = 0$$

Q4. State and explain the second condition of equilibrium: Second Condition of Equilibrium:

If the vector sum of all the torques acting on a body is zero, then the body is aid to be in rotational equilibrium.

### Explanation:

If  $\vec{r_1}, \vec{r_2}, \dots, \vec{r_n}$  are the torques on the body, then according to second condition of equilibrium.

$$\vec{\tau}_1 + \vec{\tau}_2 + \vec{\tau}_3 \dots \vec{\tau}_n = 0$$

$$\sum_{i=1}^{n} \vec{\tau}_i = 0$$

Where  $\tau_i$  is the moment of the ith force? For simplification we omit the subscript from the summation sign. Thus  $\sum \tau_i = 0$ 

## Q5(a) What do you understand by Angular momentum?

(b) How will you represent Angular Momentum in Determinant Form?

- (c) What are its components?
- (d) What are its dimensions?
- (e) Write down the unit of Angular Momentum.

### Ans. (a). Angular Momentum:

We know that a body having rotatory motion possesses angular velocity & angular momentum.



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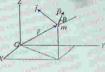
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Angular Momentum like linear momentum obeys the law of conservation also. For studying the angular momentum of an object, let us first study the angular momentum of a particle the angular momentum.

Let \( \tilde{f} \) be the position of a particle of mass 'm' with

Let roe the position of a particle of mass m' with respect to the origin 'O' shown in the given figure. Moreover let p be the linear momentum of the particle measured in an inertial frame of reference with origin O as already shown in the figure.



The angular momentum of the particle about the origin O is defined as the vector product of r and P. Hence if 'I stands for angular momentum then

Where  $\vec{P} = m\vec{v} & \vec{v}$  represents the velocity of the particle.

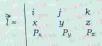
We know that vector product of two vectors is itself a vector so angular momentum is also a vector. Its direction lies along the normal to the plane formed by vectors & P according to right hand rule. The magnitude of angular



x, y, z represent the components of  $\vec{p}$  and  $\vec{p}_x$ ,  $\vec{p}_y$ ,  $\vec{p}_z$  are the components of  $\vec{p}$ 

 $= (xi + yj + zk) \times (p_xi + p_yj + p_zk)$ 

(b). Angular Momentum in Determinant Form:
Angular momentum (can be written in determinant form as:





(c). Components of Angular Momentum:

The scalar components of angular momentum I are:

$$l_x = yP_z - zP_y$$

$$l_y = zP_x - xP_z$$

$$l_z = xP_y - yP_x$$

- Dimensions of Angular Momentum: The dimensions of angular momentum are given below. (d).
  - I = rPrmv
    - = L M.L/T $= L^2 MT^4$

## Units of Angular Momentum:

Unit of angular momentum can also be obtained from equation:

- - = [m] [Kg] [m/s]  $= kgm^2/s$
- $l = kqm^2/s \times s/s$ = kgm2/s2 x s
- $= [kgm/s^2] \times mxs$
- = Nxmxs  $= (N \times m) \times S$

 $[N \times m = J]$ 

 $[kqm/s^2] = N$ 

# JOIN

Derive the conservation law for angular momentum of a particle Ans. Conservation of Angular Momentum of a Particle. According to Newton's second law of motion, the net force acting on a particle

mass 'm' moving with an instantaneous velocity is the rate of change of the meaning of the mean in the standard of the linear informatium, then

Taking vector product of both the sides of the above equation with r from left

we get But  $r \times F = \tau$ , which is acting on the pan

But the angular momentum is  $i = r \times P$ 

Differentiating the above equation with respect to time. We get

$$\frac{\vec{dl}}{dt} = \frac{d}{dt} \left( \vec{r} \times \vec{P} \right)$$

$$\frac{\vec{dl}}{dt} = \frac{\vec{dr}}{dt} \times \vec{P} + \vec{r} \times \frac{\vec{dP}}{dt} +$$

where

$$\vec{v} = \frac{d\vec{r}}{dt}$$
, and  $\vec{P} = m\vec{v}$ 

$$\frac{d\vec{l}}{dt} = \vec{v} \times \vec{m} \vec{v} + \vec{r} \times \vec{l}$$

$$\frac{d\vec{l}}{dt} = m \vec{v} \times \vec{v} + \vec{\tau}$$



07

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Since the vector product of a vector with itself is zero i.e.  $mv \times v = 0$ 

$$\frac{d\vec{l}}{dt} = m\vec{v} \times \vec{v} + \vec{r}$$

$$\frac{d\vec{l}}{dt} = (0) + \vec{\tau}$$

$$\frac{d\vec{l}}{dt} = \vec{r}$$

This is the required relation. This equation states that,

"The torque acting on a particle is the time rate of change of its angular momentum".

It the net external torque acting on the particle is zero, then

JOIN nus the angular p  $\frac{d\vec{l}}{dt} = 0$ 

Thus the angular momentum of a particle is conserved, if the net torque acting on it is zero.

Q7. Derive the conservation law for angular momentum of a system of particles.

Ans. Conservation Law for The Angular Momentum of a System of

Consider a system of 'n' particles which is acted upon by external as well as internal forces. We assume that the internal forces obey the law of action and reaction. Hence they cancel out and the system is purely under the action of external (applied) forces. Thus the total angular momentum is

 $\vec{L} = \vec{l_1} + \vec{l_2} + \dots$   $\vec{l_n} = \vec{l_n} \cdot \vec{l_n} \cdot \vec{l_n}$ 



Taking the time derivatives of both the sides of the above equation

$$\frac{D\vec{L}}{dt} = \frac{d}{dt} (\vec{r}_1 \times \vec{P}_1) + \frac{d}{dt} (\vec{r}_2 \times \vec{P}_2) + \frac{d}{dt} (\vec{r}_n \times \vec{P}_n)$$

$$\frac{D\vec{L}}{dt} = \frac{\vec{r}_1 \times d\vec{P}_1}{dt} + \frac{\vec{r}_2 \times d\vec{P}_2}{dt} + \dots + \frac{\vec{r}_n \times d\vec{P}_n}{dt}$$

$$\frac{D\vec{L}}{dt} = \vec{r}_1 \times \vec{F}_1 + \vec{r}_2 \times \vec{F} + \dots + \vec{r}_n \times \vec{F}_n$$

$$\frac{D\vec{L}}{dt} = \vec{v}_1 + \vec{v}_1 + \dots + \vec{v}_n$$

$$\frac{D\vec{L}}{dt} = \vec{v}_1 + \vec{v}_1 + \dots + \vec{v}_n$$

ion:

$$/s^2] = N$$

$$m = J$$

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Where F, and t, are the external forces and external torque respectively acting

If the net external torque acting on the system is zero, then the total angula

$$\frac{D\vec{L}}{dt} = 0$$

$$\vec{L} = 0$$

Thus the total angular momentum of a system of particles is conserved (constant) if the net external torque acting on the system is zero.

Q8(a) What do you understand by Centre of Mass? Give one example also. (b) What is the difference between centre of gravity and centre of mass? (c) How will you represent coordinates of centre of mass?

When a body rotates or vibrates as it moves, then centre of mass moves in the same way that a single panicle would move under the influence of the same

Centre of mass of a body or a system of particles is defined to be a point white external forces. if total mass of the body or the system of panieles were concentrate there and all applied forces were acting at that point.

Hence the motion of the whole system or the body can be described by the motion of their centres of mass.

Let us consider a rectangular block of wood tring on a smooth horizontal surface. The block is acted upon by a number of forces. For describing the motion of the block as a whole we suppose that these forces were acting at th centre of mass which is the geometrical centre of the block and where the top mass is supposed to be concentrated.

Following steps are taken for describing complete motion of the body.

- We find the resultant of all the forces acting at the centre of the body.
- Acceleration is calculated by applying Newton's Second Law of Motion. ii. By using initial conditions the velocity of centre of mass is determined
- iii.

## Difference between Centre of Gravity and Centre of Mass Actually centre of gravity and Centre of Mass are so similar in many ways

the two terms can he used in place of each other.

If the object is lying completely in uniform gravitational field then the centre gravity coincides with centre of mass. In other cases the centre of gravity does not coincide with the centre of mass.

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### Coordinates of Centre of Mass: If Xo, Yo and Zo are the coordinates of centre of mass.

$$X_o = \frac{m_1 x_1 + m_2 x_2 + m_3 x_3 + \dots}{m_1 + m_2 + m_3 + \dots}$$

$$Y_0 = \frac{m_1 y_1 + m_2 y_2 + m_3 y_3 + \dots}{m_1 + m_2 + m_3 + \dots}$$

$$Z_{\sigma} = \frac{m_1 z_1 + m_2 z_2 + m_3 z_3 + \dots}{m_1 + m_2 + m_3 + \dots}$$

$$X_o = \frac{\sum m_i x_i}{\sum m_i}$$





## CHAPTER # 6 GRAVITATION IMPORTANT QUESTIONS & ANSWERS

Q1(a) State and explain Newton's law of gravitation. (a) State and explain newton's law of gravitation.

(b) Write down the value and unit of gravitational constant in M.K.S system

## Ans. Newton's law of gravitation:

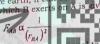
In order to explain the gravitational force, Newton formulated the law of universal gravitation, which is stated as under:

body in the universe attracts every other body with a force, which is Statement: productional to the product of their masses and inversely proportions to the square of the distance between their centres and directed along the lin joining their centres".

Explanation:

Let us consider two spheres A & B of masses ma and me with their centres at a distance T from h other as shown in the figure

to observation obtained by Newton in case of moon and the earth, it can be said that magnitude of force which B exerts on A is given by



Al. ma (mass of B) Besides this FAB must also be proportional FAR CL DIA FAB CL MA

Combining the above three relations we have:

$$F_{AB} \propto \frac{m_A m_B}{(r_{RA})^2}$$

$$F_{AB} = \frac{G m_A m_B}{(r_{BA})^2}$$
(i)

Where G is called the gravitational constant i.e.

$$G = 6.67 \times 10^{-11} \frac{Nm^2}{Kg^2}$$



Q2 An

## Expression of equation (i) [law of gravitation] in vector form:

The equation (i) expressing the law of gravitation in vector form which gives the direction as well as the magnitude.

$$\vec{F}_{AB} = \frac{Gm_A m_B}{(r_{BA})^2} \hat{r}_{BA} \qquad (ii)$$

Where r is a unit vector having direction from B to A. The negative sign shows that the force is attractive just similar to eq (ii). The force exerted by sphere A on sphere B  $F_{rs}$  is given by the equation.

$$\vec{F}_{RA} = -\frac{Gm_A m_B}{(r_{AB})^2} \hat{r}_{AB} \qquad (iii)$$

Where  $r_{ab}$  is a unit vector from A to B.

# (b) Value and Unit of G: In M K S system the value of 'G' (gravitational constant) is 6.67 x 10-11

# Q2. Derive the equations for mass and average density of earth. Ans. Mass of Earth:

By using Newton's law of gravitation mass of earth can be calculated as under. Consider an object of mass 'm' placed near the surface of the earth. If  $M_E$  is the mass of the earth and  $R_E$  is the radius of earth. Then according to Newton's universal law of gravitation, the gravitational force with which the earth

a traces the object towards its centre is
$$\frac{G n M_E}{R_E^2}$$

But the force exerted on the object is also given by the mass in' of the object multiplied by the acceleration due to gravity, i.e.

Thus equation (i) becomes
$$W = \frac{GmM_E}{R_E^2}$$

$$mg = \frac{GmM_E}{R_E^2}$$

By cross multiplication, we get

$$GmM_{E} = mgR_{E}^{2}$$

$$M_{E} = \frac{mgR_{E}^{2}}{Gm}$$

$$M_{E} = \frac{gR_{E}^{2}}{G}$$



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Q3.

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From the above formula we can easily calculate the mass of earth.

g = 9.8 m/s2  $R_E=6.38\times 10^6\,m$  $\dot{G} = 6.67 \times 10^{-11} \frac{Nm^2}{}$ 

Then

$$M_{K} = \frac{9.8 \times (6.38 \times 10^{6})^{2}}{6.67 \times 10^{-11}}$$
$$= \frac{9.8 \times 4.07 \times 10^{13}}{6.67 \times 10^{-11}}$$
$$M_{K} = 5.98 \times 10^{34} \text{ kg}$$

Now we calculate the average density of the earth.

acctage density 'p' of the earth can be calculated by the following formula Density of Earth:

 $\rho = \frac{M_E}{V}$ the volume of the ear

in the above equation, th If we put ME = 5.98 x 1024 kg and R we can get the density of earth as

 $3 \times 5.98 \times 10^{24}$ 4× 7 (6.38×106) 17.94×1024 4×7×2.596×1020

 $p = 5.49 \times 10^3 \, kg/m^3$ 



Q3. Derive the egression for the variation of g with altitude and depth.

Ans. Variation of 'g' with Altitude:

The earth is not a perfect sphere, but bulges at the equator. Therefore if a body is taken from a pole to the equator its distance from the centre of the earth will change. Consequently, according to Newton's law of gravitation, the gravitational pull (force) on it will also vary.

Consider an object, which is placed on the surface of earth. If mass of the object is m and mass of earth is  $M_E$ . The distance between the centre of the earth and the centre of the object is  $R_E$ , then according to Newton's law of gravitation.



 $F = \frac{GmM_K}{R_{\odot}^2} \qquad (i)$ 

But the force on the object by the earth is F = W = mg, Therefore equation (i)

FOR  $mg = \frac{GmM_E}{R_E^2}$ 



From the above equation we can conclude that, if the earth be considered as a sphere, then 'g' at any point above its surface will vary inversely as the square of the distance from the centre of the carth  $\mathbf{i}_{\mathbf{c}}$ . Re

Now if the object is placed at a distance in from the surface of the earth then the equation (ii) becomes for the value of g' at a cistance (Re = h).

 $g' = \frac{GM_E}{(R_E + h)}$  (Nii)

Now divide equation (ii) by (iii), we get the following equation.

$$\frac{g}{g'} = \frac{\frac{GM_E}{R_R^2}}{\frac{GML_K}{(R_E + h)}}$$

$$\frac{g}{g'} = \frac{GM_E}{R_E^2} + \frac{GM_E}{(R_E + h)^2}$$

$$\frac{g}{g'} = \frac{GM_E}{R^2} \times \frac{(R_E + h)^2}{GM}$$

$$\frac{g}{g'} = \frac{\left(R_K + h\right)}{R^2}$$

$$\frac{g}{g'} = \left(\frac{R_E + h}{R_C}\right)$$



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$$\frac{g}{g'} = \left(\frac{R_E}{R_E} + \frac{h}{R_F}\right)^2$$

$$\frac{g}{g'} = \left(1 + \frac{h}{R_E}\right)^2$$

$$g = 1 + 2 \cdot \frac{h}{T} + \frac{h^2}{T}$$

 $\frac{g}{g'} = 1 + 2\frac{h}{R_E} + \frac{h^2}{R_E^2}$ If the is small as compared to the radius of the earth 'R<sub>E</sub>', then the quantity is small as compared to the radius of the earth 'R<sub>E</sub>', then the quantity is not above equation will be negligibly small. Therefore we have

$$\frac{g}{g'} = \left(1 + \frac{2h}{R_F}\right)$$

$$\frac{g'}{g} = \frac{1}{\left(1 + \frac{2h}{R_F}\right)}$$

JOIN

 $\frac{g'}{g} = \left(1 + \frac{2h}{R_{+}}\right)^{-1}$ 

Then term on right hand side of the above equation can be expand by usin binomial theorem, i.e.

Thus we obtain  $(a+b)^n = a^n$ 

MORE



The above equation explains that the greater the value of h., the smaller is to value of g' or simply we can say that value of g' decreases with all tude

Variation of 'g' with Depth:

Let g' be the acceleration due to gravity at a depth 'd' below the surface of the earth, i.e. at a distance ( $R_B - d$ ) from the centre of the earth.

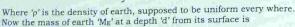
From the equation (ii) of average density of earth, we have



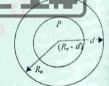
By cross multiplication, we have

$$3M_E = 4 \overline{\wedge} R_E^3 \rho$$

$$M_E = \frac{4 \overline{\wedge}}{3} R_E^3 \rho$$



$$\mathcal{M}_{K}' = \frac{4 \overline{\wedge}}{3} (R_{K} - d)^{3} \rho$$
 (iii



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But we know that the value of 'g' at the surface of earth is

$$g = \frac{GM_R}{R_R^2} \qquad ---- (iii)$$

Put the value of 
$$M_R$$
 from equation (i) in equation (iii), we get 
$$g = \frac{G \frac{47}{3} R_R^3 p}{R_R^3}$$
$$g = \frac{47}{3} R_R p G \qquad (iv)$$

Similarly the value of 'g' at a depth 'd' from the earth's surface is g' which is given by

 $g' = \frac{GM'_R}{(R_C - d)^2}$ 

Put the value of 'Mg' from equation (ii) in equation (v), we get



The above equation explains that the value of 'g' decreases with depth from the surface of earth. It also explains that, when d = RE, the value of 'g' will be zero.

### Describe weightlessness in satellites. 04.

Weightlessness in Satellite:

In order to understand the weightlessness in satellites, let us consider a staple case of the weight of a body in an elevator. If a body of mass 'm' tied to a spring balance that is attached to the ceiling of a lift as shown in figure. The reading of the spring balance indicates the tension in the string and is called the apparent weight 'W' of the body.

$$F = T - W$$
  
 $ma = T - W$ 

05. Ans.

0 = T - W

or Since tension in the string is equal to the apparent weight of the body, thus

W' - T

W' - W

Thus the apparent weight is equal to the gravitational force on the body

according to an observer inside the lift.

Elevator is moving upward with uniform acceleration: In this case T > W and net force acting on the body is T - W. Now according Newton's second law of motion.

F = T - Wma = T - W

T = ma + WT = ma + mg

Thus the apparent weight of the body is

that in this case the string not only supports the gravitational put W' = ma + mg in prefit onal amount of force ma' in the upward direction, the tension is the string increases from mg to mg + ma). This is the situation experienced astronauts during the take off process in rockets

Elevator is moving downward with constant acceleration: and its direction In this case I W and net force acting on the body is W - I

downward. Now according to Newtonis second F = WT = mg - ma the apparent weight of the body is

Thus shows that in this case the apparent weight W is less th gravitational force on the body.

If the cable supporting the elevator breaks: Suppose, if the cable supporting the elevator breaks, then the elevator will fa

down wan acceleration which is equal to the acceleration due to gravity 'g'. net force in this case will be: F = W - T

ma = mg - TT = mg - maa = gBut Thus T = mg - mgT = 0W' = 0Or

Consequently, the spring balance will read zero, and the man in the elevator will find that the block has no weight besides the fact that the force of gravity still acts upon the block and its weight W is given by mg. This is referred as state of "Weightlessness".

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Write short note on artificial gravity. Ans. Artificial Gravity:

We know that weightlessness a great handicap to the astronaut in space. For overcoming this problem an artificial gravity can be created in the spacecraft by spinning it around its own axis. In this way normal force of gravity can be supplied to the occupants in the spacecraft.

Let us consider a space craft consisting of two chambers connected by a tunnel of length 20 meters. We have to calculate how many revolutions per second must the spacecraft make for supplying artificial gravity for the astronauts. Suppose T is the time for one revolution and v is the frequency of rotation



$$v^{2} = \frac{a_{c}}{4\pi^{2}R} \qquad \left[ v = \frac{1}{T} \text{ is the frequency} \right]$$

$$\frac{1}{1} \int a_{c}/a_{c}$$

 $v = \frac{1}{2\pi} \sqrt{\frac{a_c}{R}}$ 

If we want to produce acceleration (ac) equal to 'g' then

$$\upsilon = \frac{1}{2\pi} \sqrt{g/R}$$

Hence when the space craft or satellite rotates with this frequency, the artifice gravity like earth will be provided to the astronaut R = half of the tunnel length i.e.

 $v = \frac{1}{2\pi} \sqrt{\frac{a_c}{R}}$ 



Hence an astronaut will feel comfortable at a distance of 10m from exis of rotation if the space craft is revolving about its axis at 9.6 Revolutions per minute.

Find low deep from the surface of earth a point is where the acceleration due to gravity is half the value on the earth's radius. 06.

Suppose at depth'd' from the surface of the earth, the acceleration due to gravity 'g' is half the value on the earth's radius.

 $g' = g\left(1 - \frac{d}{Re}\right)$   $g\left(1 - \frac{d}{Re}\right) = \frac{1}{2}g$ 

 $1 - \frac{d}{Re} = \frac{1}{2} \cdot \frac{g}{g}$ 



But we know that

y, the artific

Thus equation Tj) becomes

$$1 - \frac{d}{Re} = \frac{1}{2}$$

$$-\frac{d}{Re} = \frac{1}{2} - \frac{1}{Re}$$

$$-\frac{d}{Re} = \frac{1 - 2}{2}$$

$$-\frac{d}{Re} = \frac{1}{2}$$

$$\frac{d}{Re} = \frac{1}{2}$$

$$d = \frac{1}{2}$$

$$d = \frac{1}{2}$$

$$d = \frac{1}{2}$$

-79-

Or

at a depth equal to half the radius of the earth, the value of 'g' alf its value on the surface of the earth.

At what distance from the centre of the earth does the gravitational acceleration has one half the value that it has on the earth's surface.

Solution: Suppose at a height 'n' the value of a relevation due to gravity gh' is half of the acceptation due to gravity on the surface of earth.

As we know that the gravitational acceleration on the surface

of earth is

$$g_e = \frac{GM_e}{R_e^2}$$
 (i)

But at a height 'h', the gravitational acceleration will be

$$g_h = \frac{GM_e}{(R_e + h)^2} - - (ii)$$

 $g_h = \frac{GM_e}{\left(R_e + h\right)^2}$ Substituting  $g_h = \frac{g_e}{2}$  in equation (ii)

$$\frac{g_e}{2} = \frac{GM_e}{(R_e + h)} \quad (iii)$$

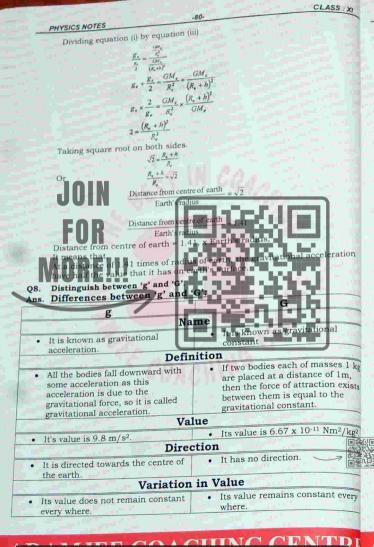


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- Q9. With the help of the law of gravitation prove that the value of acceleration due to gravity at a point above the surface of the earth is inversely proportional to the square of the distance of the point from the centre of the earth.
- Ans. Derivation of  $ga\frac{1}{r^2}$ :

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To derive the expression, let us suppose that the ball is falling freely towards the centre of the earth and the ball is placed at a distance 'r' from the centre of the earth. As shown in figure. If the mass of the ball is 'm' and mass of the earth is 'Me'. Then according to Newton's law of gravitation.



$$F = \frac{GmMe}{r^2} \qquad ---- (i)$$

As we know that the force exerted on the body by the earth is equal to the weight of the bridy, thus



The above expression shows that the value of 'g' does not depend upon the mass of the body. This means that light and heavy bodies should fall towards the centre of the earth with the same acceleration.

- Q10. Why do two books lying separately on a table not move towards each other due to gravitational attraction?
- Ans. The value of gravitational constant is very small, i.e., 6.67 x 10<sup>-11</sup> Nm<sup>2</sup>/kg<sup>2</sup>. So we cannot feel the force of attraction between the bodies around us. The sample the two books lying separately on a table do not move towards each other traction.

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1 Nm<sup>2</sup>/kg<sup>2</sup>

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Define work. What is the magnitude of work? And also write its unit. QI.

## Ans. Work: Definition:

\*When a force acts upon a body and displaces it through a distance, then the work is said to he

done by the force on the body".

Or it is defined as: The product of the component of force

F' in the direction of displacement 'S and the magnitude of the displacement".



Work is a scalar quantity by definition and is given by the dot product of force F and displacement d. i.e.

orce vector F and the d

therefore ac quantity, It can be positive or negative depending on the ween force F and the





Example:

When a spring is stretched the work done by the stretching force is positive When the direction of force is opposite to the direction of displacement then work is negative.  $\theta = 180^{\circ}$ .

 $W = FdCos \theta$ 

: Cos 180 = -1 = FdCos 180° = Fd(-1)

W = -Fd

W = Fd

Example:

The work done by the gravitational force on the body being lifted is negative Since the upward displacement is opposite to the gravitational force.

When the force acts at right angles to the displacement, then the work is zero.

 $\theta = 90^{\circ}$  $W = FdCos \theta$ 

= FdCos 90°

.. Cos 90 = 0

= Fd(0)

W = 0

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Example:

It is considered 'hard work' to hold a heavy stone stationary at stretched hand but no work is done in the technical sense.

Units of work:

In S.I units, unit of work is joule (J) which is equal to N x m.

1J = 1 N - m1055 J= I British Thermal Unit

1055 J=1BTU

In the physics of atoms, molecules and elementary particles, a much smaller unit is used.

This unit is called the electron-volt. (eV).

 $1ev = 1.60 \times 10^{-19} J$ 

The multiples of electron-volt are

1 Million electron-volt = 1 MeV = 106 eV

1 Billion electron-volt = 1 BeV = 1012 eV.

02. Show that the gravitational field is a conservative field. Ans.

To prove this statement, we consider a closed path of any c gravitational field and show that the work done in carrying a body along this path is zero. For the sake of simplicity we take a triangular path ABCA in which the base BC is perpendicular to the gravitational field as shown in figure. The amount of work done in carrying the

body from A to B, B to C and from C to esented by WA>B, WB>c and

> $W_{A\rightarrow B} = \vec{F} \cdot \vec{S}_1 = (F)(\vec{S}_1 \cos \alpha) = (mg)(h) = mgh$  $W_{B\to C} = \vec{F}.\vec{S}_2 = (F)(S_2Cos90) = (mg)(S_2 \times 0)$

 $W_{C \to A} = \vec{F} \cdot \vec{S}_3 = (F) [S_3 \cos(180^\circ - 8)] = (mg) (-S_3 \cos 8) = -mgh$ 

Where h = m AD

Total work done along the closed path ABCA

h = mgh + o - mgh = 0

We now divide the whole path into two parts, one from A to B, B to C and the other from C to A.

 $W_{A \to B \to C \to A} = W_{A \to B \to C} + W_{C \to A} = 0$ 

 $W_{C \to A} + W_{A \to C} = 0$ Also

Comparing these equations

 $W_{A \to B \to C} = W_{A \to C}$ Thus whether we carry the body from A to C (along AC directly) or along the path ABC, the work done is the same. There may be an infinite number of paths going from A to C, but the work done along any path is the same. Such a type of field of force in which the work is independent of the path is called a conservative field. Thus gravitational field is a conservative field.

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Q3. Define Power. What is its unit in S.I system? Define it. Ans. Power:

When an amount of work  $\Delta W$  is done in time  $\Delta t$ , the average power,  $P_{av}$  is defined as

$$P_{xx} = \frac{\Delta W}{\Delta t}$$

We can obtain an alternative expression for power, as

$$P_{\alpha} = \frac{\vec{F} \cdot \vec{S}}{t}$$

If W is the work done when a constant force, F of magnitude F points in the direction of the displacement 'S'



In S.I units, the unit of power is watt W, which is equal to J/

$$1W = \frac{1J}{1S}$$

The multiples of watt are

1 mega watt = IMW = 106 W

1 giga watt = 1GW = 109 W

In British engineering system, the unit of power is ft.lb/sec. (Foot. Pound / Second).

A bigger unit of power is called horse power. iii. 1 horsepower = 1 hp = 746 watt

Q4. Define Joule and Watt.

## Ans. Joule:

In the SI system the unit of work is called a joule. A joule (J) is defined as "the amount of work done, when a force of one Newton acting on a body displaces through a distance of 1 meter along the direction of force".

1 joule = 1 newton x 1 meter

Watt:

In S.I units, the unit of power is watt (W), which is equal to J/Sec.

The multiples of watt are

1 mega watt = IMW = 106 W 1 giga watt = 1GW = 109 W

Convert 1KWh into joule. 05.

Ans. Conversion of Kilo watt - hour into joule:

One kwh is the energy delivered by the current in one hour when it supplies energy at the rate of 1000 joules per second, i.e.

1 KWh = 1 Kilo watt x hour = 1000 watt x 3600 sec.

= 1000 joules x 360 second

1 KWh = 36 x 105 joule

O6(a) Define Energy

(b) State and explain the law of conservation of energy. Give its two

Ans. (a)

Energy: Definition:

"The ability of doing work is called energy". Energy is associated with the performance of work, because more work that is done the greater the quantity of energy is needed

Unit of Energy:

n S.I emits, energy is measured in joules. Law of Conservation of Energy:

Statement:-

"Energy can neither be created nor it can be destroyed, but it can only be transformed from one form to another, the total energy remains constant".

Explanation:-

Energy cannot be created means one cannot produce energy by expanding nothing. Similarly we cannot destroy energy. We get some thing equivalent in return if we annihilate it. Pair production is a good example of annihilation of energy. On the other hand in nuclear fission or fusion energy is created at the cost of mass. If 'm' is the mass annihilated, then according to Einstein's massenergy relation the energy produced is

 $E = mc^2$ 

Where 'c' is the velocity of light in vacuum.

With reference to the problem of a freely falling body, such as a body of mass 'm' placed at a point 'P', which is at a height 'h' from the surface of ear body possesses the P.E equal to 'mgh' with respect to point 'O' lying at surface of the earth. But the K.E of the body at point P' is zero. i.e.

$$T.E = K.E + P.E$$
  
= 0 + mgh  
 $T.E = mgh$ 

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Ans

(electrical) is converted in other forms (light and heat) of energies and electrical energy supplied is equal to the sum of the heat energy and light energy and the energy is neither created nor destroyed.

In rubbing our hands we do mechanical work which produces an equal

amount of heat energy, i.e.

Mechanical energy = Heal energy + Losses

## Define Potential Energy. Derive the equation of P.E of a body of mass 'm' PHYSICS NOTES 08. lying on the surface of the earth.

## Ans. Potential Energy:

"The energy possessed by the body by virtue of its position is called potential

When a body of mass 'm' is lifted to a height 'h' against the gravitational field then the P.E of the body is.

P.E = mgh

If we compress a spring, an elastic potential energy is developed in it; this energy is stored in it because a work is done in compressing the spring against

Derivation of the expression for potential energy: In order to derive an expression for the gravitational potential energy at a height There hear to the surface of the earth). Consider a ball of mass 'm' very slowly to the height 'h'. The very slow motion is possible only when the applied force on the body by an external agency is equal in

magnitude to that of the force of F = mg by the applied for = F. S = FSCosθ  $\theta = 0$ S = h and

Thus the work done on a body by applying an ex gravitational force is stored in it in the four of potential ene P.E - mgh



## Q9(a) Define Absolute Potential Energy (b) Derive an expression for absolute P.E of a body having mass in in the gravitational field of the earth having radius 'Re'.

## Absolute Potential Energy: Ans. (a)

"The potential energy of a body at a height 'h'from the centre which is very far away from the centre of the earth at which the gravitational field is zero, is calle absolute P.E".

## Derivation of Absolute P.E:

In order to calculate the absolute potential energy of the body, we assumed that the force of gravity through out the displacement of the body from the initial position to the final position remains constant.

On the other hand, when we consider problems involving large displacements. h' as measured from the surface of the earth, e.g. in space flights we cannot take the gravitational force as constant. Infect, it decreases with the increase height. Hence we cannot apply the simple formula of work i.e. F. S to calculate the work done against the force of gravity.

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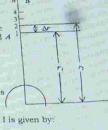
ssumed om the

acements e cannot increase o calculate To over come this difficulty, we divide the entire displacement into a large number of small displacement intervals and applying Newton's law

Suppose a point B is situated at a very large distance from the surface of the earth in the gravitational field A

Now consider a body of mass 'm' from an initial

position A (or 1) to the final position B(or n). We divide the distance between A and B into a large number of intervals of equal small width Ar each. Since  $\Delta r$  is small, the force of gravity throughout this interval may be assumed to be constant.

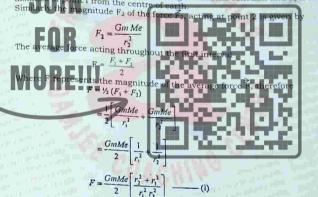


The magnitude  $F_1$  of the force  $\overrightarrow{F_1}$  acting at the point I is given by:

-89-

$$F_1 = \frac{Gm Me}{r_1^2}$$

s the mass of earth, G is the gravitational constant and r1 is the pint I from the centre of earth



$$r_2-r_1=\Delta r$$
 (ii) from figure.

Put the value of 'r2' in equation (i), then we get

$$F = \frac{GmMe}{2} \left[ \frac{(\Delta r + r_1)^2 + r_1^2}{r_1^2 r_2^2} \right]$$

$$F = \frac{GmMe}{2} \left[ \frac{(\Delta r)^2 + 2\Delta r r_1 + r_1^2 + r_1^2}{r_1^2 r_2^2} \right]$$





PHYSICS NOTES As he is very small, we hap in negligibly small

$$\begin{split} & \mathcal{J} = \frac{\mathrm{Conbde}}{2} \left[ \frac{2 \log n}{n!} \frac{2 n!}{n!} \right] \\ & \mathcal{J} = \frac{\mathrm{Conbde}}{2} \left[ \frac{2 n! (\log n + n)}{n!} \right] \\ & \mathcal{J} = \frac{\mathrm{Conbde}}{2} \left[ \frac{2 n!}{n!} \frac{(\log n)}{n!} \right] \end{split}$$

Control Control The work done in lifting the body from point I (position A) to point 2, by an applied force is equal hand opposite to the gravitational force is given by,

d force and the displacement in same direction, therefore



 $= GmMe \left[ \frac{r_1}{r_1 r_2} - \frac{r_1}{r_1 r_2} \right]$ 

 $W_{12} = GmMe \left[ \frac{1}{r_1} - \frac{1}{r_2} \right]$ 

The above equation shows that W12 is the work done in lifting the body from point 1 to point 2.

Similarly the work done in lifting the body from point 2 to point 3 is

$$W_{23} = GmMe \left[ \frac{1}{r_1} - \frac{1}{r_3} \right]$$

And the work done from the point (n + f) to n is

$$W_{\text{look}} = Gn(X_0 \left[ \frac{1}{r_{\text{adj}}} - \frac{1}{r_{\text{a}}} \right]$$

Hence the total work done by the applied force in lifting the body from initial position A to final position B, we get

$$H' = W_{12} + W_{21} + \dots + W_{(n-1)n}$$

$$W = GmMc \left(\frac{1}{r_1} - \frac{1}{r_2}\right) + GmMc \left(\frac{1}{r_2} - \frac{1}{r_3}\right) + \dots + GmMc \left(\frac{1}{r_{n-1}} - \frac{1}{r_n}\right)$$

$$W = GmM_0 \left[ \frac{1}{r_1} - \frac{1}{r_2} + \frac{1}{r_2} - \frac{1}{r_3} + \frac{1}{r_3} - \frac{1}{r_4} + \frac{1}{r_{1-1}} + \frac{1}{r_{2-1}} - \frac{1}{r_{2-1}} \right]$$

$$W = GinMe \begin{pmatrix} 1 & 1 \\ r_e & r_e \end{pmatrix}$$

nitial energy of the b





Where the point B lies at an infer that point is zero, then

$$\Delta U = U$$

$$U = (P.E_{obs}) = GMent \left( \frac{1}{\infty} - \frac{1}{r_1} \right)$$

$$U = P.E_{obs} = GMem \left(0 - \frac{1}{r_1}\right)$$

$$U = P.E_{obs} = GMem \left(-\frac{1}{r_1}\right)$$

$$U = P.E_{obs} = -\frac{GMem}{r_i} - (v$$





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Assigning an arbitrary value of r i.e.  $(r_1 = r)$  in equation (v)

$$U = P.E_{ahs} = -\frac{GMem}{r}$$

Therefore the absolute P. E of a body of mass m lying at the surface of the earth is given by

P.Eulis -

And the negative sign indicates that the potential energy is negative at any finite distance i.e. the potential energy is zero at infinity and decreases as the separation distance decreases.

"The fact that the gravitational force acting on the particle by the earth is

Value of the absolute potential energy at a height 'h': attractive'

An approximate value of the absolute potential energy at a height 'h' i.e. (h << Re) above the surface of the earth can be obtained from the equation (w

 $P.E_{uh} = -\frac{GMem}{R_{ch}}$  $P.E_{obs} = -\frac{GMem}{Pe} \left(1 + \frac{1}{Pe}\right)$ 

The expression  $\left(1+\frac{h}{R_{e}}\right)$  can be expended by using the binomial  $(a+b)^n = a^n + n \ d^{n-1}b^1 +$ 

$$(a + b)^{-1} = (1)^{-1} + (-1)(1)^{-1-1} \left(\frac{h}{Re}\right)^{1}$$

$$\left(1 + \frac{h}{Re}\right)^{-1} = 1 - \frac{h}{Re}$$

Where we have neglected the higher order terms and therefore

$$P_{\bullet}E_{ahs} = -\frac{GMem}{Re} \left( 1 - \frac{h}{Re} \right)$$



Ans

-93-CLASS : XI 010. Derive work energy equation. Ans. Consider a body of mass 'm' placed at a point 'P' which is at a height 'h' measured from the surface of earth. The body possesses a gravitational potential energy P.E' equal to 'mgh' with respect to point 'O' lying on the surface of the earth as shown in figure. We assume that, the surface of the earth is a level of zero P.E. Suppose the body is fall freely under the action of gravity. Consider its position 'Q' at a distance 'x' below the point 'P' during the Obviously the P.E of the body at this point is P.E = mg(h - x)This means that the value of P.E is less than 'mgh' i.e. mg(h-x) < mgh.Thus the body has lost P.E by an amount mgx. At point P the body is at rest so its K P is zero. During its downward motion, its velocity increases and so its K.E. increases. We also assume that there is no force of friction involved during the motion of the body thus the less of P.E must be equal to the gain in K.E i.e. P.E is being convened into K.E. When the body reaches just above the point O, its P.E is nearly zero, i.e. whole of its P.E is converted into K.E. Therefore oss of P.E = Gain in K.E In practice there is always a force of friction 'F, say opposing the down ward motion of the body. Here a fraction of the P.E is used up in doing work against the force of friction. Thus a modified form of the above equation is Loss of P.F. Gain in K.E. + Work done against friction Gain in K.B. = Loss of P.B. - Work done against friction = mgx - fxWhere 'f' is the frictional force. If 'x' is replace by 'h' then Gain in K.E = mgh - fh The above equation is called the WORK ENERGY EQUATION.

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# CHAPTER # 8 WAVE MOTION AND SOUND IMPORTANT QUESTIONS & ANSWERS

### State and explain Hooke's law. 01.

Ans. Hooke's law:

"If the deformation of a material is proportional to the force applied, then the material is said to obey Hooke's law'

In other words it can be explained as:

"Within the elastic limit, the force acting on a body is directly proportional to the displacement of the body (extension) from it's equilibrium position is called Hooke's law.

Consider body of mass 'm' attached to a horizontal helical spring. The whole system is placed on a horizontal, smooth surface. If the spring is stretched or compressed, a small distance from its equilibrium position, and then released the spring will exert a force on the body which is given by

## Fa-x cement of the body from its equilibrium position and & known as the force constant of the spring

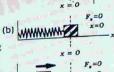
The above equation is the mathematical expression of Hooke's law

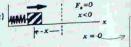
The negative sign in the above equation, shows that the force exerted by the spring on the body is always directed opposite to the displacement. F,<0

For example, when 'x' is greater than zero (a) as shown in figure (a) the spring force is to the left i.e. negative.

When 'x' is less than zero as shown in figure (c), the spring force is to the right that is positive. No doubt, when 'x' is equal zero as shown in figure (b) the spring is neither stretched nor compressed and E = 0

As the spring force always tends to restore the original condition of the spring, it is some times called a restoring force or more correctly elastic restoring force.







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02 (i) Define S.H.M.

(ii) Show that the motion of a mass attached to the end of an elastic spring

(iii) Derive the expression for its time-period and frequency.

## Simple Harmonic Motion: Definition:

"The back and forth (oscillatory) motion in which the instantaneous acceleration is directly proportional to the displacement of the oscillating body and the acceleration is always directed towards the equilibrium position, is called simple

i.e. acceleration α (-) displacement.

Simple harmonic motion is abbreviated as SHM. Motion of mass attached to the end of an elastic spring is

Explanation: F.<0 Consider a block is at rest in its equilibrium position on a frictionless surface as shown in figure (b). If we apply an external force to displace the block to the right, as shown in figure (a) there will be a restoring force exerted on the block by the spring and this (b) is directed the block to the left. We assume that 'x' is the maximum displacement covered by the block, which is opposite to that of the restoring force 'F'. From Hooke's law We know that, when a force 'F' is applied on a mass 'm', then the acceleration a' is produced. Thus from Newton's second law of motion. F = ma On comparing equation (i) and (

Since 'm' and 'k' are constants, therefore a = constant (-x)

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Acceleration a (-) displacement

Where minus shows that the acceleration is always directed towards t equilibrium position

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## Derivation for the expression of: iii.

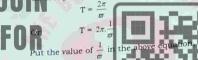
To calculate the time period of oscillation, compare the following

equations. 
$$a = \frac{k}{m}(-x)$$

Therefore we get
$$-\omega^2 x = \frac{k}{m}(-x)$$

$$\omega = \sqrt{\frac{k}{m}}$$
or
$$\frac{1}{\varpi} = \sqrt{\frac{m}{k}}$$
(iii)

we know that the time period T' and the angular speed 'w are ersely related, i.e.



# $T = 2\pi \cdot \frac{1}{\pi}$

I is the time period required for one complete trip.

## b.

The frequency is the reciprocal of the time period, which is given

$$f = \frac{1}{T}$$
or
$$f = \frac{\varpi}{2\pi}$$

Thus from equation (iv) we have

$$f = \frac{1}{2\pi\sqrt{\frac{m}{k}}}$$

$$f = \frac{1}{2\pi}\sqrt{\frac{k}{m}}$$
 (v)

From the above expression, we can calculate the frequency in hen (Hz).

An

Show that the motion of projection of a uniform circular motion of a particle on the diameter of the reference circle is S.H.M. Derive the expression for: (i) Displacement (ii) Acceleration (iii) Time period following Consider a point mass 'm' at a point 'P' moving in a circle of radius 'xo' with constant angular velocity 'w' we call this circle as our reference circle for the As the particle at point 'p' rotates along the circumference of a circle the projection 'Q' of the particle, moves back and forth along the diameter AQB. At some instant of time 't' the angle between OP and the x-axis at time (t = 0). This angle  $\phi$  is known as initial phase angle. We take this as our reference point for measuring angular displacement. As the particle 'p' rotates on the circle, the angle that OP makes with the x-axis changes with time and the projection of particle on the x-axis, moves back and forth along need 'w' are the diameter of the reference circle between the two extreme positions  $x = \pm x_0$ . Displacement of Projection 'Q': In order to derive the expression for the displacement of the projection 'Q', we consider the right angle triangle OPO in figure (a) ratio, we have, the following: Co sec 0 Cos(wt + tion we get  $x = x \cdot Cos(m$ ip. Where 'x" is the displacement of the projection 'Q It may be positive when displacement is to the right, while it is, negative, when is given k the displacement is to the left and Costot +01 < 0. The constant angle 'o' is called the phase constant or phase angle. The quantity (ωt + φ) is called the phase of the motion. And 'xo' is the amplitude of motion is simply the maximum displacement of the particle, in either positive or negative direction of the axis of 'x'. (ii) Acceleration of the projection: As the particle 'p' moves doing the circle, its centripetal acceleration 'ac' which is directed towards the centre of the circle along the line PO as shown in figure (b). The magnitude of the centripetal acceleration is icy in hen From figure (b), the above expression, will become  $\theta = \omega t + \phi$ ADAMJEE COACH

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but

$$a_c = \frac{v_F^2}{x_o}$$

$$v = r\omega$$

$$v_0 = x_o\omega$$
(ii)

Put the value of 'p,' in equation (ii):

p, in equation (\*)
$$a_c = \frac{(x_o \varpi)^2}{x_o}$$

$$a_c = \frac{x_o^2 \varpi^2}{x_o}$$

$$a_c = x_o \varpi^2$$
(iii)

Where  $v_p = x_0 \omega$  represents the linear speed of the particle at point 'P'. Now the acceleration of projection Q is equal to the component of the acceleration along the x-axis and by considering figure (b), it is given by



 $\alpha_x = -x_o \varpi^* Cos \theta$ When the projection 'Q' is left of the centre, the acceleration of the point mass p' is towards the right, bat since Cost is negative at such point, and the minut sign is still needed.

$$x = -x_0 \cos\theta$$

Hence equation (iv) because  $a_x = -\omega^2 x$ 

The above equation shows that the acceleration of the projection 'Q" is directly proportional to its displacement and is directed towards the centre of the circle Hence the motion of the projection 'Q' is simple harmonic motion. Equation no (v) shows that the acceleration is maximum at the extreme positions.

### Time Period: iii.

To calculate the time period of oscillation compares the following equation with equation (v)

$$a = -\frac{k}{m}x$$

Therefore, we get

$$-\omega^2 x = -\frac{k}{m}$$

$$\omega^2 = \frac{k}{m}$$

$$\omega = \sqrt{\frac{k}{m}}$$

$$\frac{1}{\omega} = \sqrt{\frac{m}{k}}$$

But we know that the time period T and the angular speed '\o' are inversely

therefore

te time required for one complete trip

Frequency:

w is the reciprocal of the

ion (vi) we have



From the above expression, we

(v) Velocity of the Projection:

The speed of the projection 'Q' is the component of the speed of the point mass 'p' along the diameter AOB as shown in figure.

> Perpendicular Hypotemise

But from figure

but

$$Sine \theta = \frac{v_x}{v_p}$$

$$v_x = v_p Sin\theta$$

$$v_p = x_0 \omega$$

(viii)

ation with

Put the value of 'vp' in equation (viii)  $v_x = x_o \omega Sin \theta$ 

(ix)

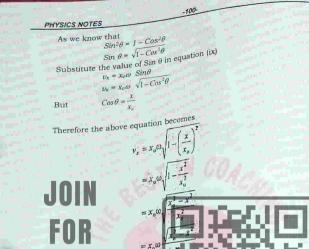
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 $v_{max} = \omega x_0$ 

And the velocity is minimum  $(v_{min} = 0)$  at tins extreme positions A end.

Q4(a) What is simple pendulum?

(b) Show that the motion of a simple pendulum is S.H.M.

The equation (x) shows that the velocity where x = 0 and is equal to

(c) Derive the expression for its time period and frequency.

Simple Pendulum: Ans. (a)

"The pendulum consists of a spherical bob suspended from a light, flexible and ine pendulum consists of a spinetrial and friction less support, is called sinextensible string tied to a fixed rigid and friction less support, is called sine pendulum".

To show that motion of simple pendulum is SHM: When the bob is displaced from its, equilibrium

position, it begins to perform oscillatory motion We will prove that the bob executes S.H.M, providing that the amplitude is sufficiently small.

The figure clearly shows that, there are two forces acting on the pendulum, i.e.

The gravitational force which is acting vertically

$$\hat{F}_G = m g^\rho$$

The tension "T' acts along the suspension string. Therefore, the net force acting on the bob is

$$r = mg$$

 $F_{rel}^{\rho} = F_{c}^{\rho} + T$ 

Now resolve the gravitational force  $f_o$  into two components. The parallel component of force, which acts along the length of the string of

 $(F_G)_{\Pi} = mg \cos \theta$ The perpendicular component of force. Which acts perpendicular to the string

(FG)\_= mg Sin 0

the mass of the bob. Since there is no motion along the string, the ner force acting in the direction of

Hence the magnitude of the net force acting on the bob  $F_{net} = mg Sin \theta$ 

Because the component  $mgCos\theta$  balances the tension T'. This force is the restoring force which is responsible for the oscillatory motion. In figure 3, is the distance through which the bob moves along the are starting

Thus we know that the are length is  $S = r\theta$ 

From figure (iii) 
$$S = x$$
,  $r = 1$ 

Therefore equation (ii) becomes  $S = 1\theta$ 

According to Newton's second law of motion, the net force is  $F_{net} = F = ma$ 

On comparing equation (i) and (iii), we get

$$ma = -mgSin\theta$$
  
 $a = -gSin\theta$ 

position of

end

flexible and alled simple

The negative sign shows that the force and hence the acceleration are always PHYSICS NOTES

directed towards the mean position. If '0' is sufficiently small, then

Sind = 0 But from equation (ii)b, If is equal to

Thus

Sin# =

Put the value of Sin# in equation (iv)

$$\alpha = -g \frac{x}{t}$$
  
 $\alpha = -\left(\frac{g}{t}\right)x$  (v)

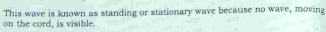
ength of the pendulum and g'is the acceleration due to constant, then the above equation can be written as

ration of the pendulum and is directed towards its me the motion of the simple pendulum is & H.M.

S.H.M. of stationary waves in a stretched string:

Consider a rubber cord whose and end is fixed while the other is in our hand, we wiggle it from the end is our hand a wave is set up wine moves towards the thorond if we stop the motion of our hand we will see that the wave which was set up in the cord substites. If we go on increasing the way ling we will see that at a particular frequency say fi even if the stopped the cord will continue to oscillate in pae loop (Figure)





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ur hand owards wave gling we hand is

If we increase the wiggling frequency beyond fi, the stationary waves will not be set up, unless frequency of the motion of the hand is  $2f_1$ . This time the cord will oscillate in two loops as shown in figure

Similarly if the wiggling frequency is 3ft, stationary waves are set up and the gord oscillate in three loops (figure) In general if wiggling frequency is  $nf_i$  the

PHYSICS NOTES

Points where the displacement of the particle is zero but the tension is

Points where the displacement is maximum but the tension is minimum are

# Transverse stationary waves in a stretched string:

Consider a string of length 'I' which is kept stretched by clamping it at two ends. It has tension T. now we study what happens when the string is plucked at different places and then released.



centre as an antinodes, are shown.

If v is the speed of either of the component waves, then  $v = f_1 \lambda_1$ 

$$v = f_1 2l$$

$$f_1 = \frac{v}{2l} \tag{}$$

If m is the total mass of the string, then it can be shown that the velocity v of the wave along the string is given by:

$$v = \sqrt{\frac{T \times l}{m'}}$$
 (iii

Putting the value of v in equation (i)

$$f_1 = \frac{1}{2l} \sqrt{\frac{T \times l}{m'}}$$
 (iii)

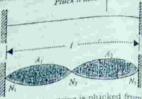
moving

If the String is Plucked from one Quarter of its Length; If f, and \(\lambda\_2\) be the frequency and wavelength of one of the component.

Waves, then from figure, we can see that

The speed will be same since it does not depend on the number of loops. Therefore:

$$v=f_1\times\lambda_1$$



When the string is plucked from quarter of its length, stationary

equations (i) and (iv):

ng will vibrate om figure, we car

see that

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are set up with the string

tring is plucked from one sixth of its length:

Stationary waves when the string

vibrates in

3 loops

Putting the value of \( \lambda \)

$$v = f_3 \times \frac{2I}{3}$$

$$f_3 = \frac{3v}{2I}$$

Comparing equation (i) and (v) we have:

$$f_3 = 3f_1$$
 (vi)

since

$$\frac{v}{2l} = f_1$$



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string

Thus we can generalize that if the string is made to vibrate in a loops then the frequency at which the stationary waves will be set up in the

The lowest of these frequencies i.e. fr is known as the fundamental and the others which are the integral multiples of the fundamental are known

- Sononmeter is used in the laboratory to study such vibrations, because sonometer is the instrument which is generally used to determine the frequency of a tuning fork and to verify the laws of transverse vibration of
- Describe Newton's formula for the speed of sound in a medium. What 06. correction did Laplace make and on what assumption?
- Newton's formula for the speed of sound waves: Ans. As we know that, the sound waves are compression waves, which propagate through a compressible medium, such as air. The speed of such compressional waves depends upon the compressibility and the inertia of the medium The compressibility means the elastic property (clusticity) and of the meaning means inertial property (density) of the medium. The compression of the medium. relation for the speed v' is given by ic property and phis the increase proper thin rods and wir The clastic property is count to Young's modul longitudina Change in length per unit length

For liquids & gases:

The elastic property is equal to Bulk Modulus B'.

$$E = B = \frac{stress}{\text{Volumetric strain}}$$

$$E = B =$$
 Force per unit Area

Change in volume per unit volume

Thus the speed of sound in air can be calculated by the following formula

$$v = \sqrt{\frac{B}{\rho}}$$

The above expression is known as Newton's formula for the speed of source waves. In air, the sound waves move in the form of compressions and rarefactions.

Since, it is explained that, the Bulk Modulus B, is the ratio of the change in pressure  $\Delta P$ .

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(force per unit area), to the resulting fractional change in volume,  $\frac{-\Delta \nu}{\nu}$ 

Here ' $\Delta v$ ' is the change in original volume v. The ratio ( $\Delta P/\Delta v$ ) always, negative, because Av decreases as AP increases and vice versa. This shows that 'B' is always positive.

Laplace's Correction:
The Newton's formula in equation (i) was obtained on the assumption that the The Newton's formula in equation (i) was obtained at temperature. This kind, compressions and rarefactions take place at constant temperature. This kind, compressions and rarefactions take place at constant say that, according to process is called isothermal process or simply we can say that, according to Newton, sound waves travel through air pressure and volume to the final Newton, sound waves travel through air pressure and volume under this condition the Bulk modules 'B' is equals to  $\eta_k$ pressure of the gas.

 $v = \sqrt{\frac{P}{\rho}}$ 

Equation 5) was later on corrected by Lapinee, According to Laplace When a layer of air is compressed, the temperature rises and when it is rarefled the layer of air is compressed, the temperature rises and apply that the temperature late. The motion of sound wave sits as rapid and rarefactions are formed so rapidly that the temperature does not remain and rarefactions are formed so rapidly that the process is not remain. ant and Boyle's law is not applicable. This means the process is no more coording to Laplace compressions and carefactions regarding all Ma precess in which heat coss not low into or but of the system, For adiabatic, the Bulk Modulus of the gas is not cettal to pressure to but in: equal to y (Gamma) times the pressure P' of the gas

Now equation (i) becomes

 $v = \sqrt{\frac{\gamma P}{\gamma}}$ 

Where 'r' is the ratio of molar specific heat of gas at constant pressure the molar specific heat at constant volume 'Cv'. The equation (ii) is called the Laplace's correction. If we use the ideal gas law, i.e.

Put the value of 'P' in equation (ii)

But we know that

s, negative at 'B' is

n that the This kind rding to final

quals to the

When a fied, the

mpression

t remain

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e system

P' but it is

e 'Cp' to

Therefore the above equation becomes

$$v = \sqrt{\frac{\gamma nR}{m/\nu}}$$
 $v = \sqrt{\frac{\gamma nR}{m}}$ 
 $v = \sqrt{\frac{\gamma nR}{m}}$ 

Where m/n = M = mass per mole

Where 'M' is the molecular mass of the gas in units kg/mole, 'n' is the number of moles 'R' is the universal gas constant and has value 8.314 J/mole-k and 'T' is the temperature expressed on Kelvin scale.

Calculation of speed of sound at 0°C:

calculation we make the following data

Mass of nitrogen = m ass of oxygen = m = 32 a.m.u

Mean molecular mass of air is

M = 22.40 + 6.4M = 28.8 gm / mole

We can calculate the velocity of sound at in air at 0°C. We know that a Consists Capping imately 80% of Nipogen and 20% of Oxygen, Hence R = 8,314 J mole T = 00C + 273

To convert 'gm' into kg divide 28.8 by 1000 M = 0.0288 kg/mole

Now the velocity of sound is:

$$v = \sqrt{\frac{\gamma RT}{M}}$$

$$v = \sqrt{\frac{1.4 \times 8.314 \times 273}{0.0288}}$$

$$v = \sqrt{\frac{3177.6108}{0.0288}}$$

$$v = \sqrt{110333.7083}$$

$$v = 332 \text{ m/s at } 0 \text{ oc}$$



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Speed of Sound At Any Temperature 'T': At any other temperature 't', the speed of sound in air can be obtained by multiplying this result by  $\sqrt{t/_{271}}$ . For example at an altitude of 10,000 ft (3.05 km), the temperature, is about 50°C or 223K, therefore

$$v = 332 \times \sqrt{\frac{T}{273}}$$
 $v = 332 \times \sqrt{\frac{223}{273}}$ 

 $y = 332 \times \sqrt{0.8168}$ 

What are the characteristics of musical sound? 07.

Ans. Characteristics of musical sound: Musical sound of tones can be distinguished from one another by the following

Intensity of sound:

ound energy falling on unit d normal to direction of propagation of sound in unit time is called the intensity of sound. It is denoted by

Formula:

Mathematically intensity of sound is given by

Where

E = sound energy

A = Area of the surface T = Time

Unit:

or watt/m2. In MKS system the unit of intensity is m2

Loudness of Sound:

The magnitude of auditory sensation produced in ear by sound is called loudness of sound. It is denoted 'L'.

Weber Fechner Law:

This law sates that loudness of sound is directly proportional to the logarithm of intensity, i.e.

La logio I  $L = K \log_{10} I$ 

Where K is a constant of proportionality and its value depend upon system of units.



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i by ) ft

following

arithm

Intensity Level:

The difference in loudness of two sounds where one sound is faintest audible

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If the intensities of the two sounds are I and  $I_0$  and loudness L and  $L_0$ L = K logio I

Lo = K logio Lo

Where Io is intensity of faintest audible sound.

According to the definition of intensity level, we can write Intensity level = L - Lo

K logio I - K logio Io

Intensity level = K logio

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Where I is intensity of any given sound and  $I_0$  is intensity of faintest audible sound which is considered as 1012, watt/m2:

Unit:

The unit of intensity level is 'bel' after the name of famous scientist Alexander

Bel:

of sound is 101, (ten t called "one bel". Put I = 10Io in equation

Intensity level = K

ntensity level in bel Intensity level = I bel

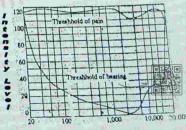
Deci - Bel: It is a smaller unit of intensity level and is defined

Note: 'db' stands for deci-bel.

# Audible frequency range or frequency response of ear:

An average human ear can hear those sound frequencies which lie between 20 hertz and 20,000 hertz.

If the frequency of sound is higher than 20,000 Hz. It cannot be heard, Sounds of frequency higher than 20,000 Hz, are called ultrasonics.



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The sensitivity of an average human ear is different in different frequency range 2000 to some the ranges. Normal ear is most sensitive in the frequency range 2000 to 4000 Hz PHYSICS NOTES

There is a threshold value of intensity level below which we cannot hear. There is a threshold value of intensity level perow which we feel pain rather than  $\omega$ . There is also an upper limit of intensity above which we feel pain rather than  $\omega$ . hearing.

# Pitch and Quality of sound:

The property or characteristic of sound by which a shrill sound can be

distinguished from a grave one is called pitch of sound. It depends upon the frequency i.e. the greater the frequency, the higher the

pitch and the smaller the frequency the smaller the pitch. The sounds produced by cats, rats, children and birds etc. are of high pitch. The sounds produced by man, dogs, frogs are of low pitch.

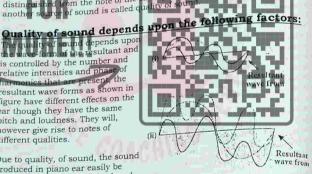
The property or characteristic of sound by which it can be assigned to its

The property of sound by which a note produced by a certain source is well distinguished from the note of the same pitch and loudness produced by another source of sound is called quality of sound

ty of sound depends upon wave form of the resultant and is controlled by the number and

relative intensities and phase of harmonics that are present, the resultant wave forms as shown in figure have different effects on the ear though they have the same pitch and loudness. They will, however give rise to notes of different qualities.

Due to quality, of sound, the sound Produced in piano ear easily be distinguish From sound produced on violin even of both sounds are same pitch and loudness.



Resultant waveform when two Waves are combined

#### What is the principle of superposition of waves? Q8. Ans.

Principle of Superposition of Waves: "When two or more waves in the same (linear) medium travel the net

displacement of the medium caused by the resultant waves at any point is equal to the sum of the displacements of all the waves".

We apply the principle of superposition of sound waves to two harmonic waves travelling in the same direction in a medium. These two waves are travelling in the same direction in a medium. The two waves are travelling to the right and

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have the same frequency, same amplitude and same wavelength, but the differ in phase; we can express their individual wave function displacements as  $y_1 = A_a Sin(kx - \omega t)$ 

 $y_2 = A_a Sin(kx - \omega t - \phi)$ 

Hence the resultant wave function displacement is given by

$$y = A_0 \left[ Sin \left( kx - \omega t \right) \right] + A_0 \left[ Sin \left( kx - \omega t - \phi t \right) \right]$$

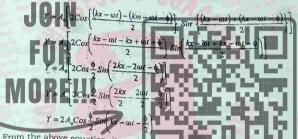
$$y = A_0 \left[ Sin \left( kx - \omega t \right) + Sin \left( kx - \omega t - \phi t \right) \right]$$

Since we know that, according to trigonometry,

Sin
$$\alpha + Sin\beta = 2Cos\left(\frac{\alpha - \beta}{2}\right) Sin\left(\frac{\alpha + \beta}{2}\right)$$
  
 $\alpha = k\alpha - \omega t$   
 $\beta = k\alpha - \omega t - \phi$ 

Therefore equation (i) becomes

And



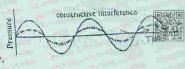
From the above equation, it can be easily seen that the resultant way function Y' is also harmonic and has the same frequency and wavelength as the individual waves. The amplitude of the resultant wave is 24. Cos 1/2 and its phase is equal to  $\phi/2$ . If the phase constant  $\phi$  is zero. Then  $\cos \phi/2 = 1$ 

And the amplitude of the resultant wave is  $Y = 2A_0$ 

This means that the amplitude of the resultant wave is twice as large as that of either of individual wave having the same wavelength.

In this case, the waves are said to interfere constructively that i.e. the crests of one fall on the crests of the other and troughs of one fall on the troughs of other. When two sound waves interfere constructively, then loud sound is heard.

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In general constructive interference take place, when

$$\cos \frac{\phi}{2} = \pm 1$$

On the other hand, if  $\phi = \pi$  radians (or any odd multiple of  $\pi$ )

Then

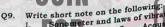
And the resultant wave has zero amplitude everywhere. In this case, the two waves are said to interfere destructively, that is the crests of one wave coincide with the troughs of the second wave and vice versa,

destructive interfernedee

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and their displacement cancel at every some waves interfere destructively, then no sound every some waves interfere destructively, then no sound is ha



Sonometer and laws of vibrations of a stretched string. Beats Sonometer and laws of vibration of a stretched string:

2. nition: Ans. 1. rk to verify the laws of transverse vibration of strings. Definition:

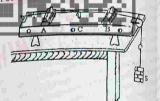
any of the quantised frequencies of the string, the phenomenon of will take place and stationary waves will be set up on the strang

Principle of working:

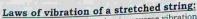
If a stretched string as excited by small periodic force having frequency equal.

Construction:

It consists of wooden box over which a steel wire is stretched. One end of which is fixed to a peg and the other end pusses over a pulley. This end carries a hunger on which slotted weights can be slipped to vary tension in the siring (wire).



Two sharp wedges are placed below the wire. A horizontal graduated scale is fixed below the wire on the box in order to measure the length of the wire.



All the laws of vibration i.e. transverse vibration of the siring can be verified h using sonometer. If  $\Gamma$  is the length of the vibrating segment of the string,  $\Gamma$ the tension and 'u' is the mass per unit length of the wire, then the frequency produced in the string is



$$f_1 = \frac{n\nu}{\lambda}$$

$$\nu = \sqrt{\frac{T}{\mu}}$$

Therefore equation (i) becomes

$$f_1 = \frac{n}{2L} \sqrt{\frac{T}{\mu}}$$

Where 'n' =  $1, 2, 3, \dots$ , i.e. frequencies are the integral multiple of the

The equation (ii) shows that

is the speed of the wave The trequency produced in the **string for a** given tension is inversely oportional to its length, i.e. fa-

iii.

uency varies directly as a square root of the tension, i.e.  $f lpha \sqrt{T}$  . The frequency of vibration vanes inversely as the square root of the mass per unit length of the string, i.e.

Beats: 2.

## Definition:

When two bodies (e.g. tuning fork) having slightly different frequencies are sounded simultaneously, the periodic alterations of sound between maximum and minimum loudness are produced, which are known as beats.

## Principle of Production of Beats:

The two sound waves from two sources of slightly different frequencies interface constructively as well as destructively. When they interfere? constructively max. loudness is produced and when they interfere destructively minimum loudness is produced.

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Y = 30

L = 1/2 acc

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Hence we can say that the production of beats is special type of interference. PHYSICS NOTES

Let us consider two vibration tuning forks A and B of frequencies 32 Hertz and 30 Hz respectively placed at equal distances from the ear.

Let us suppose that a certain, time t = 0, the two forks are in phase i.e. right hand prongs, of both the forks are moving towards right and are thus sending compressions. These two compressions will reach at the ear together and thus a loud sound (max: loudness) is heard.

When t = 1/4 sec, the fork A completes 8 vibrations and B completes 71/2 vibrations. ii. The fork A is compression while B is sending rarefaction. They will cancel each other and no

ound (min. loudness) is heard. sec, the fork A and B completes 16 When t = 1/2 sec, the fork A and B compressions and 15 vibrations respectively. Both iii. the fork are sending compressions which reinforce each other and thus a loud sound

max loudness) is heard.

After 1 = 1/4 sec fork A will complete 24 vibration and fork B will 221/2 vibrations. At this instant iv. fork A will be sending a compression while fork be sending a rarefaction. Thus no sound

n. loudness) will be heard. After t = 1 sec. fork A will complete 32 vibration and fork B will complete 30 vibrations. Both these forks will be sending compressions and a loud sound (max. foudness) will be heard.



From above illustration we can conclude that the number of beats per second is equal to the difference between the frequencies of the two forks (sounding bodies).

### Formula:

 $f_1 - f_2 = n = No of beats$ In general  $f_1 = f_2 \pm I$ 

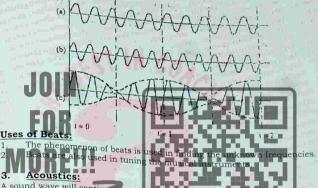


PHYSICS NOTES

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# Graphical Representation of Beats or Displacement Curve for

The phenomenon of beats can be understood by considering the displacement curves of sound waves. In the figure as given below, the displacements of two sound waves are plotted against time. The total extent of time axis is 2 seconds. If both sounds propagate along the same line, then the resultant displacement of the particles of the medium will give rise to beats, i.e. From graph it can be seen that amplitude varies with time, this variation in amplitude give rise to variations in loudness which we call beats.



A sound wave will continue to recede from its source until it is converted into some other form of energy. When a sound wave passes through a giver material, some of the sound-wave energy is absorbed and converted into heat energy. That is, as the sound-wave energy strices the absorbing material, it increases the motion of its molecules. This increase in molecular motion appears as added heat energy. Porous materials are effective sound absorbs because they contain many packets of air whose molecules can readily be set

The greater the conversion to heat, the greater the absorption coefficient. The absorption coefficient of a given material is the fraction of the sound energy that it will absorb at each reflection or transmission. Some materials have low absorption coefficients, and sound waves pass through them are reflected from then with little loss of energy. Other materials, such as sponge rubber, rugs, draperies, pressed plant fibers and porous felt, are good absorbing materials and are used commercially for such purposes.

Materials with a high coefficient of absorption are of importance for the acoustical treatment of rooms and auditoriums. An auditorium is said to have good acoustics when speech can be heard almost equally well throughout the space, without troublesome echoes and reverberations. The podium and stage

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should be so designed that speech sounds are projected out into the audience should be so designed that speech sounds are projecting and walls of the roca and not "lots" backstage. Multiple echoes from the countrically "dea", as if the and not "lots" backstage. Multiple echoes from the constically "dea", as if the should not be entirely absent or the room will be acoustically "dea", as if the PHYSICS NOTES should not be entirely absent or the room will be acoustically 'dea", as if speaker were addressing a crowed in the open air. On the other hand, if speaker were addressing a crowed in the open air. On the other hand, if multiple echoes (reverberations) persist for too long a time, the echoes from multiple echoes (reverberations) persist for too long at the listener's expeaker will arrive at the listener's expeaker. speaker were addressing a transport to long a transport of the multiple echoes (reverberations) persist for too long a transport of the listener's ear just in previous syllables uttered by the speaker will arrive at the listener's ear just in previous syllables uttered by the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the listener's ear just in the speaker will arrive at the speaker will a previous syllables uttered by the speaker will arrive at the listener's ear jump time to interfere with the hearing of the next syllable. Music, too, can be adversely being excessive reverberation.

Interference is another factor that must be considered in designing Interference is another factor that must be considered by a proper auditoriums. Interference will cause variations may be minimized by a proper auditorium and by having a proper auditorium and by having a proper auditorium. auditoriums. Interference will cause varianous successful and by having "clean" choice of the dimensions and shape of the auditorium and by having "clean" lines, free from pillars, overhangs, and unnecessary architectural embellishments.

Q10. (a)

Discuss the Doppler's effect for following possibilities: when the listener is moving and the source is at rest. When the istener is moving and the listener is at rest. (b)

When both the source and listener are moving.

Doppler's effect: Ans. (a)

**Definition:**When a source of sound or a listener, or both are in motion relative to When a source of sound or a listener, or both at the sound as the medium (air), the frequency and hence the pitch of the sound as the medium (air), the frequency and the sound as when listener and heard by the listener, is in general not the sound as when listener and Definition:

icare by the listner, is in general to burger as the Doppler burger are a rest. This phenomenon is referred to as the Doppler. Effect.

Doppler's Effect for different possibilities: Doppler's Effect for different Cobines to discuss the Doppler's Obviously, there are three general possibilities to discuss the Doppler's

effect, which are explained a follows. When the listener is moving and the source is at rest; When the listener is moving and possibilities that, either the In this case, there are two different possibilities that, either the In this case, there are two the stationary source or the listener is listener is moving towards the stationary source or the listener is

moving away from the stationary source. g away from the stationary Suppose the listener is moving towards a stationary source

as shown in figure.

as shown in light.
Suppose its velocity is 'vo' and the source emits a wave with frequency 'v' and wavelength  $\lambda = V/v$ . The figure shows requency v and wavenumber of the median several wave crests separated by equal distances i.e. 1\(\lambda\) [1. wavelength). The waves approaching the moving listener wavelength). The wavelength wavelength wavelength wavelength have a speed of propagation relative to the listener  $(v + V_0)$ 



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PHYSICS NOTES

1 be

-117-The frequency ' $\nu$ ' heard by the listener is CLASS : XI

Frequency = Velocity

Wavelength

But we know that



Therefore, the listener is moving towards a source at rest, detects the larger frequency and hence higher pitch. Consequently, the change in pitch in this case is

 $\upsilon' - \upsilon = \left(\frac{v_o}{v}\right)\upsilon$ 

(b) Similarly, a listener moving away from the stationary source hears a lower pitch and frequency detected by the listener is

$$v' = \left(1 - \frac{v_o}{v}\right)$$

$$v' = v - \left(\frac{v_0}{v}\right)v$$



$$v' - v = -\left(\frac{v_0}{v}\right)v$$

Hence the general relation holding when the source is at the medium and observer is moving through Hence the general relation motions and observer is moving through with respect to the medium and observer is moving through it, is given by

$$\upsilon' = \upsilon \pm \left(\frac{\nu_o}{\nu}\right)\upsilon$$

$$v' = \left(\frac{v \pm v_o}{v}\right) v$$

Where positive sign refers to the motion toward the source Where positive sign refers to the motion away from the source and negative sign refers to

# en the source is moving and listener is at rest.

Now consider the case, when the source is in motion and Now consider the case, when the same and and moving with a speed, w, towards a stationary listener as in

figure.

The wave, crests detected by the stationary listener are closer together because the source is moving, in the direction of the outgoing wave resulting in a shortening of wave length

the the wavelength "I measured by the listener is shorter than the true wavelength the fit of the source (I < /). If the speed of the source is "s, and its frequency to their during each abration it travels a distance vs. You.

 $\lambda' = \frac{1}{2} (\nu - \nu_S)$ 

Therefore, the frequency of the sound heard by the listener which is at rest increased and is given by





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Put the value of 1/2 from equation (i) in equation (ii)

$$\rho_{i} = \frac{\left(\frac{\rho}{\rho - h^{2}}\right)}{\left(\frac{\rho}{\rho} - \frac{\rho^{2}}{\rho}\right)}$$

$$u' = \frac{vv}{v - v_s}$$

$$v' = \frac{v}{v - v_s}$$

$$v' = \frac{v}{v} - \frac{v_S}{v_S}$$

$$v' = \frac{v}{v_S}$$

**FOR** 

The above equation indicates that an increase in the frequency of the sound heard by the stationary listener. On the other hand, if the source is moving away from the stationary listener, the wavelength of the sound arriving at listener is greater than the true wavelength  $\lambda$  i.e.  $(\lambda > \lambda)$  and the listener detects a decreased frequency which is given by

MORE the listener de

ts a decreased frequency which is g

Where the minus sign refers to the motion of the source towards the stationary observer and positive sign indicates the motion of the source away from the stationary observer.

When the source is at rest i.e.  $V_s = 0$  then no change in the frequency of sound is observed i.e. v' = v

# iii. When both the source and the listener are moving:

(a) If the source and the listener are approaching along the joining the two in the direction towards each other, the frequency heard by the moving listener is given by

$$v' = \left(\frac{v + v_o}{v - v_x}\right)$$

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Where V' is the velocity of source.

listener and V, is the velocity of source.

On the other hand, if the source and the listener are  $m_{0 \forall i_{h_0}}$ . On the other hand, if the source are moving on the other hand, if the source are moving away from each other along the line joining the two, then the away from each other moving listener is frequency heard by moving listener is

$$v' = \left(\frac{v - v_o}{v + v_s}\right) U$$

In general, the above two equations are expressed as

 $v' = \left(\frac{v \pm v_o}{v \pm v_o}\right) U$ 

Q11. Why explosion taking place in the sun are not heard on earth? Q11. Why explosion taking place in the sun are not and the earth. As the sound Ans. We know that there is a vacuum between the sun and the earth esound waves can not travel through the vacuum, so we cannot hear the sound

produced by the explosions going on the sun.

Q12. Difference between Longitudinal and transverse waves.

### Ans. Longitudinal waves

- The waves in which the particles of
- the medium vibrate parallel to the direction of propagation of waves called longitudinal waves.
- These waves consists of compressions and rarefactions. Sound waves are the example of

longitudinal waves.





# CHAPTER # 9 NATURE OF LIGHT IMPORTANT QUESTIONS & ANSWERS

01(a) What are wave fronts? (b) Explain Huygen's principle.

Wave fronts: Ans. (a) Whenever waves pass through.

a medium, its particles execute SHM. The path (locus) of all the particles of the medium having the same phase is known as wave front.

Spherical Wave front:

In case of a point sources of light the wave front will be concentric spheres with centre at the source S. Such a wave front is known as spherical wave front.

Plane Wave front:

large distance from the source a small p ecome plane wave front.

ray of light means the direction in which a hen wave propagates. always along the normal to the wave front,

Spherical

wave fromts The direction in which wave moves is always normal to the wave front Thus a

Huygen's Principle: (b) It has two parts:

Every point on a wave front can be considered as a source of secondary spherical wave front.

The new position of the wave front after a time t can be found by drawing a plane tangential to the secondary wave-lets.

Figure illustrates two simple examples of Huygen's construction. First, consider the plane wave front moving through medium as in Figure (a) At

t = 0, the wave front is indicated by the plane labelled AA'. According to Huygen's principle, each point on this wave front Old is considered as a point wavefront source. Only a few points on AA' are shown for clarity. Using those points as sources for the wavelets,

we draw circles of radius 'ct'.



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where 'c is the speed of ignormal to these wavelets is BB', which one wave front to the next. The plane tangent to these wavelets is BB', which is one wave front to the next. The plane tangent to these wavelets is BB', which is one wave from the next. one wave front to the next. The plane tangent to shows Huygen's construction for parallel to AA'. In a similar manner Figure (b) shows Huygen's construction for spherical wave fronts.

# (b) Give the conditions of interference of light waves. Q2(a) What is interference of light?

#### Interference of Light: Ans. (a)

**Definition:**The phenomenon of two or more waves of the same frequency combining to The phenomenon of two or more waves of the same point is the algebraic or vector form a wave in which the disturbance at any point is that points

sum a wave in which the disturbances sue to the interfering waves at that points, sum of the disturbances sue to the interfering and feature of all types of  $w_{a\gamma_{e_3}}$ . The interference phenomenon of waves light waves etc.

such as sound waves mechanical waves, light waves etc. such as sound waves mechanical waves, ugit was are not easy to observe because But the interference effects in the light waves are not easy to observe because

of short wave lengths, (about 4 x 10-7m to 7 x 10-7m)

# Types of interference:

There are two types of interference, named onstructive Interference

tructive Interference.

# CONSTRUCTIVE INTERFERENCE: he crests of one wave fall on

the other then these s are said to interfere

constructive interference".

Constructive interference can also be defined as Constructive interiorence call also referring waves is greater than the "If the resultant intensity of he must be type of interference is known as intensity of an individual wave, then this type of interference is known as

## DESTRUCTIVE INTERFERENCE: If the crests of one wave coincide

with the troughs of the second wave and vice versa and their

displacement cancel at every point, then the two waves are said to

interfere destructively.

Destructive interference can also be defined as:

Destructive interierence can also be described in the resultant intensity of the interfering waves is zero or less than the If the resultant intensity of the thin this type of interference is called intensity of the individual wave, then this type of interference is called destructive interference".

# Conditions For Interference:

The conditions for interference are:

The sources must be phase coherent.

The sources must be monochromatic.

The superposition principle must apply.

An



In order to observe stable CLASS : XI interference of light waves, Succession the following condition must be applied . A common method for producing two coherent light sources is to use one monochromatic source to illuminate a screen with two small slits as shown in figure: The light emerging from both slits is coherent because a single source produces the original light beam and the two slits serve only to separate the original beam into the parts. Consequently, a random change, in the light emitted by the source will in the two separate beams at the same ine, and interference effects can be observed. Q3(a) Describe Young's double-slit experiment for demophenomena of interference of light. (b) derive the expression for the fringe spacing. Young's double - slit experiment: Ans. nenon of interference in light waves from two sources was demonstrated by Thomas Young in 1801, a schematic diagram of the apparatus used by him during demonstration To obtain two coherent light sources light is incident on a sereen, which has a narrow slit 'So'. The waves emerging from this slit are then allowed to incident on a second screen, which has two narrow parallel-slits 'Sr', and 'So'. These two slits serve as a pair of coherent light sources. Because waves coming out from these slits originate from the same wave front and therefore always in phase. A screen is placed at some distance away from the second screen young found a series of alternately dark and bright parallel bands corresponding to the position of destructive and constructive interference on this screen. These alternate dark and bright parallel bands are called fringes. That is, when two light waves add constructively at any location on the screen, a bright fringe is produced and when two light waves add destructively at any location on the screen, a dark fringe is produced.

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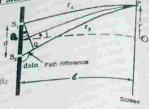
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Derivation of the Expression for Maxima: In order to derive the expression of maxima consider figure. Light waves with a definite wave length à, are incident on the pair of narrow slits S1 and S2, which are separated by a distance 'd'. The fringes are obtained on the screen which is placed at a perpendicular distance 1' from the screen containing slits S1 and S2 as shown in figure. Consider a point 'P' on the viewing screen, suppose



CLASS : XI

 $PS_1 = r_1$ 

The light intensity on the screen at point 'P' is the resultant of the light coming The light intensity on the screen at point P is the lower slit S<sub>2</sub> travels a greater from the lower slit S<sub>2</sub> travels a greater from the lower slit S<sub>2</sub> which is equal to the different to the different slits. doing coursells. Note that a wave coming from the sequal to the difference distarger than a wave from the upper slit S<sub>1</sub> which is equal to the difference distarger than a wave from the upper slit S<sub>2</sub> which is equal to the difference distarger than a wave from the upper slit S<sub>2</sub> which is equal to the difference distarger than a wave from the upper slit S<sub>2</sub> which is equal to the difference distarger than a wave from the upper slit S<sub>2</sub> which is equal to the difference distarger than a wave from the upper slit S<sub>3</sub> which is equal to the difference distarger than a wave from the upper slit S<sub>3</sub> which is equal to the difference distarger than a wave from the upper slit S<sub>3</sub> which is equal to the difference distarger than a wave from the upper slit S<sub>3</sub> which is equal to the difference distarger than a wave from the upper slit S<sub>3</sub> which is equal to the difference distarger than a wave from the upper slit S<sub>4</sub> which is equal to the difference distarger than the upper slit S<sub>4</sub> which is equal to the difference distarger than the upper slit S<sub>4</sub> which is equal to the difference distarger than the upper slit S<sub>4</sub> which is equal to the difference distarger than the upper slit S<sub>4</sub> which is equal to the difference distarger than the upper slit S<sub>4</sub> which is equal to the difference distarger than the upper slit S<sub>4</sub> which is equal to the upper slit distance has a wave from the upper siit Si willed and PS<sub>1</sub> is known as path between the law paths. The difference between PS<sub>2</sub> and PS<sub>1</sub> is known as path

difference, which is obtained by the geometry.  $PS_2 - P'S_1 = r_2 - r_1 = dS_1 + dS_2 + dS_3 + d$ If the parts difference is either zero or integral multip light used, the two waves are in phase and constructive i.e. a bright fringe is produced.

active interference Where 'k' is the wavelength of light and 'm' is the

The equation (ii) is the expression for maxima.

The central bright fringe at  $\theta = 0$  (m = 0) is called zeroth order when m = ±1 is called first order maximum and so on.

Derivation of the Expression for Minima: Similarly, if the distance (r<sub>2</sub> - r<sub>1</sub>) contains an odd number of half wavelengths Similarly, if the distance  $[r_2 - r_1]$  contains an other their maxima displaced from  $o_{ne}$  then the waves will arrive at the point P with their maxima displaced from  $o_{ne}$ another by half wavelength ( $\frac{1}{2}\lambda$ ). Therefore at point 'P' the waves will be out of the phase and destructive interference will occur. (iii)

 $dSin\theta = (m + \frac{1}{2})\lambda$ 

 $m = 0, \pm 1, \pm 2, \pm 3, \dots$ The equation (iii) shows the expression for minima.

Derivation for the Expression of fringe Spacing:

To derive the expression for fringe spacing, first we have to obtain the expressions of the bright and dark fringes, which are measured vertically from O to P. We shall assume that the distance between the slit and the screen is much larger than the distance between the two slits (d<<L). In practice 'L' is of the order of 1m, while 'd' is a fraction of a millimeter, under these conditions '9 is small, therefore

 $Sin \theta = tan \theta$ 

04. Ans



For computing the position of a mth bright fringe, we substitute Y= Ym and comparing equation (iv) and equation (ii)

$$\frac{Y_m}{d}d = m\lambda$$

Where Ym, be the distance of the centre of the mth bright band from the centre

$$Y_m = \frac{\lambda L}{d} m \tag{v}$$

Position of dark fringe:

omparing equation (iii) and equation (v), the positions of d sured and substitute Y = Y in equa

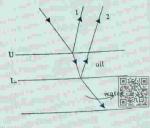
 $Y_d = \frac{\lambda L}{d} (m + \frac{1}{2})$ Yd is the distance of the dark fring

From equation (v), we can calculate the distance between bright and dark fringes. This distance is known as FRIN As 'm' increases by unit then we get.

Fringe spacing =  $\Delta x = \lambda I$ 

Explain the interference in thin film. 04. Interference in thin film: Ans.

Light waves interference causes the colours that appear when oil or petrol is spilled on water or a wet surface. The very thin films formed reflect light from both upper and lower surfaces (U and L, figure), resulting in path differences that provide the conditions for destructive and constructive interference for an observer 'O' the different coulours of light. Similar effects are observed in soap bubbles or in thin films of air enclosed between glass plates. Now we discuss the interference of waves reflected from the opposite surfaces of the films.



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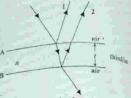
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2.

Consider a thin film of uniform thickness t and index of refraction n, as shown in figure. Let us assume that the light rays travelling in air are nearly normal to the surface of the film. In order to determine whether the reflected rays interfere constructively or destructively, we must first note the following facts:

There is a phase change of 180° upon reflection if the reflecting medium has B a higher index of refraction than the medium in which the wave is travelling. medium in which the wave the medium whose index of refraction is  $\eta$  is the wavelength of light  $\frac{\hat{A}}{n}$  in a medium whose index of refraction is  $\eta$  is



these facts to the thin film shown in figure, we find that ray 1 Let the cfacts to the thin him shown undergoes a phase change of which is reflected from the upper surface (A), undergoes a phase change of reflected from the upper sarrace (a) which is reflected from the lower respect to the incident water and point respect to the incident water lower lower to the incident water lower in ergoes no phase change with respe and 2 are 180° out of phase following reflection must also consider that ray 2 trave samexita distance equal to 2t bef ambine. For example if 2 = 2, 72, rays ve interference tenference can be expri

= (m+ Where m = 0, 1, 2, ...Making use of Eq. (2), we get 2nt = (m +

If the extra distance '2t' travelled by ray 2 corresponds to a two waves will come back together out of phase and destructive interfe will result. The general equation for destructive interference is (iv) 2nt=ml

Where m = 0, 1, 2, ...

Q5(a) What are Newton's rings? Give experimental arrangement for producing

Newton's rings.

(b) Derive an expression for the radius of curvature of the lens used in the arrangement.

Ans. (a)

When a plano-convex lens is placed on a plane glass plate, a thin film of air is enclosed between the lower surface of the lens and the upper surface of the plate. The thickness of the air film is very small at the point of contact and gradually increases from the centre outwards, as shown in figure.



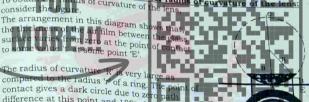
(a)



When monochromatic light falls on the surface from above, a pattern of bright and dark, rings is seen, as shown in figure (b) these circular fringes, discovered by Newton, are referred to as Newton's rings. These rings are also due to

The interference effect is due to the combination of ray 1, reflected from the glass plate, with ray 2 reflected from the lower part of the lens. Ray 1 glass process a phase change of 180° upon reflection, since it is reflected form a medium of higher index of refraction, whereas ray 2 undergoes no pha wo rays will interfere constructively or depending upon

Derivation of the expression for radius of curvature of the lens (b) To obtain the radius of curvature of the lens The arrangement in this diagram shows that hickness of the air film between the class om zero at the point of contact at some point 'E'.



difference at this point and 180° change in p in the light externally reflected at the lower surface

Using the geometrical theorem that the product of intercepts of intersecting chords are equal, we have.

 $r^2 = (BC) \times (AB)$ The figure show that BC = 2R -

And AB = t

Therefore equation (i) becomes

 $r^2 = (2R - t) \times t$  $r^2 = 2Rt \times t^2$ 

As 't2' being small, so it is neglected

 $r^2 = 2tR$  $r = \sqrt{2iR}$ 





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Put the value of  $\lambda_n$  a in eq (iii)  $2t = \left(m + \frac{1}{2}\right) \frac{\lambda}{n}$ 

 $2nt=(m+\frac{1}{2})\lambda$ 

assuming n = 1, for air

 $2t = (m + \frac{1}{2})\lambda$ 

for first bright ring(m = 0), we write  $2t_1 = (0 + \frac{1}{2})\lambda$ 

 $2t_1 = \frac{1}{2}\lambda$ 

For second bright ring m = 1  $2t_2 = (1 + \frac{1}{2})\lambda$ 

Similarly, for Nth bright ring, m-N-

 $2t_N = \{(N-1) + \frac{1}{2}\}$ 

$$= (N-1+\frac{1}{2})\lambda$$

$$2t_N = (N - \frac{1}{2})\lambda$$

Substitute the value of 2tn in equation (ii)

$$r_{\rm n} = \sqrt{(N - \frac{1}{2})\lambda R}$$

$$r_n = \sqrt{R(N \cdot \frac{1}{2})\lambda}$$

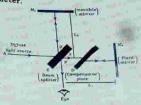
From the above, equation, the radius of curvature of the lens can also be calculated.



Q6.

Write Short note on Michelson interferometer. CLASS : XI Q6. Ans.

The Michelson Interferometer: The interferometer, invented by American The literaction of the physicist A.A. Michelson (1852-1931), is an ingenious device which splits a light an ingernation and then recombines them to form an interference pattern alter they have travelled over different paths. The device can be used for obtaining accurate measurements of wavelength and for precise length measurements.



A schematic diagram of the interferometer is shown in Figure. A beam of light A scrience of the provided by a monochromatic source is split into two rays by a partially silvered mirror M inclined at 45° relative to the incident light split beam. One ray is reflected vertically upward towards mirror M1 while the second ray is transmitted horizontally through M towards mirror M2, hence, the two rays travel separate path  $l_1$  and  $l_2$ . After reflecting from mirrors  $M_1$  and  $M_2$ , the two rays eventually recombine to produce an interference pattern which can be viewed through a telescope. The glass plate P, equal in thickness to M, is placed in the path of the horizontal pay in order to equalize the path length of the two rays. With this arrangement each ray will then pass through the same

The interference condition for the two rays is determined by the difference in the optical path lengths. When the two rays is determined by the timage of  $M_2$  is at  $M_2$ ' parallel to  $M_1$ . Hence  $M_1$  and  $M_2$  form the equivalent of a parallel hickness of the film is varied by moving mirror M1, paralle to itself with a finely threaded screw. Under these conditions, the interference pattern is series of bright and dark circular rings which resemble Newton's rings. If a dark circle appears at the centre of the pattern, the two rays interfere destructively. If the mirror M<sub>1</sub> is moved a distance of 1/4, the path difference changes by  $\lambda/2$  (twice the separation between M. and M2). The two rays will now interfere constructively, giving a bright circle in the middle. As Mi s moved an additional distance of  $\lambda/4$  (total distance of  $\lambda/2$ ), a dark circle will

appear once again. Thus we see that successive dark and bright circles are formed each time  $M_1$  is moved a distance  $\lambda/4$ . The wave length of light is then measured by counting the number of fringes shifts for a given displacement of  $M_1$ . Conversely, if the wavelength is accurately known, mirror displacements can be measured to within a fraction of the wavelength.

Suppose 'n' fringes move through a certain reference point when the minor  $\ensuremath{M_{1}}$ is moved slowly a distance do the right, then



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this film in

This equation shows that just by counting the number of fringes 'n' and by This equation shows that just by counting the number of moved, the wavelength measuring the distance 'd' through which the mirror is moved, the wavelength

# Q7(a) What is diffraction of light? How does it differ from interference? (b) What is diffraction of light? How does it different and Fraunhofer's diffraction of

Ans. (a)

"The bending of light around an obstacle is called diffraction".

The bending of light, i.e. the diffraction effect depends upon the size of the obstacle. Diffraction effects are larger only when we deal with the obstacles or apertures comparable in size to the wavelength. Usually diffraction effects are small and must be looked carefully.

# Difference between Interference and Diffraction:-

	Difference between Interference	Dijjia
	Interference	effection is interaction of light
1.	Interference Interference is the result of interaction of light corning from two different wave fronts originating from the same source. The frings spacing may or may not be of the corne width.	Diffraction is interest parts of the coming from different parts of the came wave front.
2,	file same wider.	OITIS OF TIME
3.	Points of minimum intensity are	erfectly dark. Il bright bands are not of the same
4.	All bright bands are of same intensity.	a mounhofer's diffraction

# Difference between Fresnel's and Fraunhofer's diffraction of light:

1.

When both the point source and screen at which the diffraction pattern is formed are kept at finite distance from the diffracting obstacle, the is formed are kept at finite distance house to illuminate the screen are not plane. This situation is decribed as Fresnel diffraction, which is shown in figure (a).



#### Fraunhofer Diffraction: 2.

If the source and screen on which diffraction pattern is formed are removed at a large distance, so that the corresponding rays are parallel 08.

PH

Ans.



to each other and the wave fronts are plane. This situation is described as Fraunhofer diffraction, and shown in figure (b). Fraunhofer diffraction can be produced in laboratories by using two converging lenses. A lens between the distant source of light and obstacle, renders the rays parallel to each other and hence produces plane wave fronts. Where as second lens collects the parallel set of diffracted rays and focus then at a point on the screen.

### what is diffraction grating? How is it used to determine the wave length 08. Diffraction Grating:

"Instead of a single slit or two slits side by side, a German physicist, Joseph von Fraunhofer used as many close parallel slits, all with the same width and spaced equal distance apart, such a device is called a diffraction grating'.

A diffraction grating is a very useful device for analysing light sources. A diffraction grating consists of a piece of glass with number of parallel lines marked on it. The thin clear strips between the lines transmit light and act as slits. A fine grating with 6000 lines per cm has a slit spacing d equal to 1.66

### Construction:-

An arrangement consisting of large number of parallel slits of the same width and separated by equal opaque spaces is known as diffraction grating.

Fraunhofer used the first grating which consisted of a larger number of parallel wires placed very closely side by side at regular intervals. Now gratings are constructed by ruling equidistant parallel lines on a transparent material such a glass, with a fine diamond point.

The ruled lines are opaque to light while the space between any two lines is transparent to light and acts as slit. This is known as plane transmission grating. On the other hand, if the lines are drawn on a silvered surface (plane or concave) then the light is reflected from the positions of mirrors in between any two lines and it forms a plane or concave reflection grating. When the spacing between the lines is of the order of the wavelength of light, then an appreciable deviation of the light is produced.

### Theory:

Consider the parallel rays which after diffraction through the grating make at angle  $\theta$  with AB, the normal to the grating. These diffracted rays are focusing P with the help of a convex lens. Now consider rays 1 and 2. The ray 1 covers distance rq more than ray 2. if the path difference i.e. rq is  $\lambda$ , they will reimbre each other at P. similarly waves from any two consecutive slits will differ in  $\boldsymbol{\lambda}$ when they come at P.

Thus for constructive interference

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 $rq = \lambda$ 

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grating equation. A telescope is used to view the image of the slit. By measuring the precise angles at which the image of the slit. By

what do you mean by plane polarized light? How does the phenomena 09. Polarization of Light:

The experiments on interference and diffraction have shown light is a form of The experimental three effects do not tell us about the type of wave motion i.e. wave invested the light waves are longitudinal or transverse waves.

### Unpolarized Light.

A beam of ordinary light consists of a large number of waves, each in its own plane of vibration. In this case all directions of vibration are equally probable and are always perpendicular to the direction of propagation. Such a beam of light is called an unpolarized light beam figure (a).



### Polarized Light:

If unpolarized beam is made to pass through a polarizing device called a polarizer, the transmitted beam will have electric and magnetic field vectors only in certain directions. The resulting light beam, as shown in figure (b), is said to be polarized and the phenomenon is called polarization.

### Transverse Nature of Light:

There is a periodic fluctuation in electric and magnetic fields along the propagation of light waves. These fields vary at right angles to the direction propagation of the light wave, so light wave is transverse wave.

Transverse nature of light makes it possible to produce and detection light.

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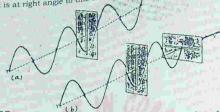
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Consider a stretched string along which a transverse wave is passing. The Consider a stretched string along which a transverse to the length of the string, particles of the string are vibrating perpendicular to the length of the string, If particles of the string are vibrating perpendicular string, the vibrations are  $n_{0}$ , a block of wood with a slot in it is placed over the string. However we have the string of vibrations.

a block of wood with a slot in it is placed over the strength of which a slot in it is placed over the direction of vibrations. However when effected when the slot is parallel to the direction do not pass the slot is at right angle to this direction, the vibrations do not pass.



ight from the normal source contains large number of waves. The beam of light is said to be polarized, if unpolarized beam passes through a

polarizing sheet known as Polaroid. ane polarized light can be obtained by passing light through a tourmaline The plane polarized light can be obtained by passing allel to each other the light crystal. When two tourmaline crystals are placed parallel to each other the light rystal. When two tourmaline crystals are placed by the second crystal. When rensmitted by the first crystal is a so transmitted by the second crystal. rensmitted by the first crystal is also fransmitted by the first crystal. When the second crystal is rotated through 90s, no light gets through. The observed the second crystal is rotated through 90s, no light gets through. The observed field is due to selective absorption by fourmatine of all light waves vibrating in the first second as analyzer and the first second crystal is those as analyzer and the first second crystal is those as analyzer and the first second crystal is a second crystal wave. one particular plane, the second crystal is known as analyzer and the first

Crystal is known as polarizer. The method of polarizing the light discussed above is called polarization by selective absorption.





PHYSICS NOTES LASS : XI CHAPTER # 10 CLASS : XI ig. The ne string. If GEOMETRICL OPTICS ons are no ver when IMPORTANT QUESTIONS & ANSWERS perive the thin lens formula with the help of two contrast lenses. 01. The thin lens formula can be developed from the ray diagram of convex lens as Ans. 2 \$ aves. The ough a As we know that the distance from the optical centre of the lens to the object is denoted by P and the distance from the optical centre to the image is denoted a tourmaline by 'q' and the distance between the optical centre and the principal focus is called focal length and is denoted by T. All the distances are measured in 'cm'. her the light vstal. When e observed vibrating in object whose real and inverted image is formed by a thin convex he first

how by the ray diagram.

As shown in the figure considers the right argled thangles OPX & IOX. These triangles are similar, therefore we can w

A gain A AXF and AIQF are also similar

$$\frac{AX}{IQ} = \frac{XF}{QF} = \frac{f}{q - f}$$

since AX = OP

ation by

$$\frac{OP}{IO} = \frac{XF}{IO}$$

$$\frac{h_o}{h_o} = -\frac{1}{2}$$

$$\frac{h_o}{h_i} = \frac{f}{q - f} \tag{i}$$

But we .know that

$$\frac{h_o}{l} = \frac{I}{l}$$

Thus equation (i) becomes

$$\frac{1}{q} = \frac{1}{q}$$

$$\frac{q}{q} = q - f$$

Dividing both sides by 'q' we get

$$\frac{q}{pq} = \frac{q - f}{fq}$$

$$\frac{1}{p} = \frac{q}{fq} \cdot \frac{f}{fq}$$

$$\frac{1}{p} = \frac{1}{f} - \frac{1}{q}$$

$$\frac{1}{n} + \frac{1}{q} = \frac{1}{f}$$

is known as the lens equation or lens formula.

Starting with Concave Lens: In the same manner, we can obtain lens formula with the help of concave lens.

Consider the figure, the triangles OPX and



Similarly the AAXF and AIQX are also similar

Therefore,

$$\frac{AX}{IQ} = \frac{FX}{QF} = \frac{f}{f - q}$$

Since

$$\frac{OP}{IQ} = \frac{FX}{QF}$$

$$\frac{p}{g} = \frac{f}{f}$$

$$\frac{q}{p} = \frac{f - q}{f}$$



CLASS: XI

Dividing both sides by q, we get

$$\frac{q}{pq} = \frac{f - q}{fq}$$

$$\frac{1}{p} = \frac{f}{fq} - \frac{q}{fq}$$

Applying sign convention, the above equation becomes

ncave lens Q2.

Ans.

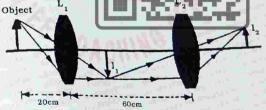
PHYSICS

Or

Two thin lenses of focal length 'f,' and 'f,' are placed in contact. Derive a formula for the focal length of the combination. Combination of Thin Lenses:

In most of the optical instruments two or more lenses are used in combination. In most of the image formed by the lirst lens and then using that image as the object for the second lens, the final image formed by the second lens can be located. If there are more than two lenses, this process is continued, the object lenses in the image for the for each lens is the image for the preeding lens The figure shows that the ens L forms an image in This image acts as a real

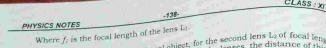
object for the lens 12, which forms a real image 12. Natice that has inverted with respect to the object.



If the two lenses are in contact, that is their separation is very small as compared to their focal lengths, then it is illustrated in figure.

Let a point object 'O' be placed at a distance 'P' from the lens L1 whose real image I1, is formed by it at a distance q1. From the lens formula we have

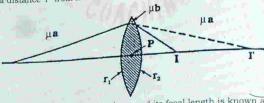
$$\frac{1}{P} + \frac{1}{q_1} = \frac{1}{f_1}$$
 (i



This image now serves as a virtual object, for the second lens  $L_2$  of focal length this image now serves as a virtual object, for the second lens  $L_2$  of focal length the lenses, the distance of the lenses of This image now serves as a virtual object, for the lenses, the distance of this f2. If we neglect the small separation between the lenses, the distance from the lenses is distance from the lenses. f2. If we neglect the small separation between the distance from the lens L<sub>1</sub>, If virtual object from lens L<sub>2</sub> will be the same as its distance from the lens L<sub>1</sub>. If the lens  $L_2$  forms an image I of this virtual object at a distance 'q'.



Now if we replace the two lenses of focal lengths  $f_1$  and  $f_2$  by a single lens of now if we replace the two lenses in linear at a distance q of an object placed focal length f, such that it forms an image at a distance q of an object placed at a distance 'P' from it as shown in figure.



Such a lens is called equivalent lens, and its focal length is known as equivalent focal length. For equivalent lens L, we have





ocal length

ce of this lens L<sub>1</sub>. If

e lens of oject placed

as

Comparing equation (iii) and (iv) we get

$$\frac{1}{f} = \frac{1}{f_1} + \frac{1}{f_2}$$

This equation shows that the sum of the reciprocal of their individual focal This equal to the reciprocal of the reciprocal of their individual lengths is equal to the reciprocal of the focal length of the combination.

what is visual angle? Explain the principle of magnifying glass. Calculate 03.

The greater the visual angle, the greater is the apparent size of object, if the object distance from the eye is smaller, then greater will be the visual angle Consequently, if we bring the object as close to the eye as possible thus the visual angle will be increased and getting a large and real image on the retina

Magnifying Glass:

We know that a normal person cannot see clearly an object if it is closer than the least distance of distinct vision, i.e. d = 25cm. A convex lens helps us to see the details of an object by brining it closer than 25 cm. Such a convex tens is

Principle of Magnifying Glass: If the object is placed within the local length, i.e. between the optical centre and the principal focus, then an enlarged, virtual and erect image is formed.

Magnifying Power:

the ratio of the visual angle subtended by the image seen through a magnifying glass to the visual angle subtended by the object when placed at the least distance of distinct uision, when see through naked eye, is called magnifying power or angular magnification of the magnifum ald

Calculation of Magnifying Power Consider a small object OP which is placed at a distance 'P' within the focal length of the magnifying glass 'L', such that it's virtual erect and magnified image IO is produced at the least distance of distinct vision 'd' as shown in figure.



The magnifying power of the magnifying glass is given by

$$M = \frac{\beta}{\alpha}$$
 [i

Where  $\alpha$  is the visual angle subtended by the object when placed at least the subtended by the object when placed at least the subtended by the object when placed at least the subtended by the object when placed at least the object when the object when the object when placed at least the object when distance of distinct vision, when seen through unaided eye. And B' is the visual angle subtended by the image seen through magning glass. Therefore,

tan a = Perpendicular Base

PHYSICS NOTES

-140-(ii) CLASS : XI

Since a is small

tana = a

$$\alpha = \frac{\partial T}{\partial t}$$

In AOPX in figure we have

 $\tan \beta = \beta$ 

$$\beta = \frac{IQ}{d}$$

$$\beta = \frac{OP}{D}$$

(iii)

by substituting the value of ' $\alpha$ ' and ' $\beta$ ' from eq. (ii) and (iii) respectively, in eq. (i), we get



From lens formula, we have



For magnifying glass

Thus equation (v) becomes

$$\frac{1}{p} + \left(\frac{1}{-d}\right) = \frac{1}{f}$$

$$\frac{1}{-d} - \frac{1}{d} = \frac{1}{f}$$

Multiplying throughout by 'd',

$$d\left(\frac{1}{p} - \frac{1}{d}\right) = \frac{a}{f}$$

$$\frac{d}{p} - \frac{d}{d} = \frac{a}{f}$$

$$\frac{d}{p} - 1 = \frac{d}{f}$$



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PHYSICS NOTES

t 
$$M = \frac{d}{p}$$
 and  $d = 25$  cm  $M - 1 = \frac{25}{f}$ 

$$M = \frac{2}{2}$$

$$M = \frac{d}{f} + 1$$

pescribe with the help of a ray diagram, the construction and working of a Describe and microscope and hence derive the expression for its magnifying

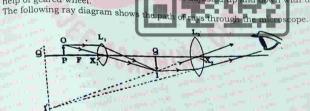
## Description:

A compound microscope is an optical instrument which is used to see small Construction:

A compound improscope consists of two convex lenses named as objective, which is near to the object and the other is eye - piece, near the eye. The objective has very short focal ength frand eye prece has relatively long

Working:

The objective iens forms a real, inverted and magnified image of the object, which is placed beyond its focus on the stage of the interescope. The mirror at the base reflects light on the object. This objective lens produced an inverted, chlarged and real image IQ, which acts as the object for the second lens, i.e. the eye piece. This image is focused with in the local length of the eye-piece resulting an erect, highly magnified and virtual image 1-Q. This image can finally be seen by the eye The focusing of the final image is achieved by mounting the eye piece in a tube that can be adjusted up and down with the



Derivation For The Expression of Magnifying Power:-

In order to derive the expression for the magnifying power of microscope consider a small object OP, which is placed at a distance 'p' just beyond a focus of the objective lens L1 whose real, inverted and magnified image IQ is formed at a distance 'q' from the objective lens L1. The magnifying power of the microscope is given by

$$A = \frac{\beta}{\alpha}$$

ely, in eq.

Where p' is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle subtended by the image and  $\alpha'$  is the visual angle angle  $\alpha'$  is the visual angle angle  $\alpha'$  is the visual angle  $\alpha'$  is the visual angle angle  $\alpha'$  is the visual angle  $\alpha'$  is the

subtended by the object, when the image formed at the least distance of distinct vision.

$$\alpha = \frac{OP}{d}$$

$$\beta = \frac{PQ}{d}$$

Put the values of 'a' and B' in equation (i)

$$M = \frac{\frac{d}{d}}{\frac{OP}{d}}$$

ng and divided by IC

ing power of the

Thus equation (ii) can also be wr



As the eye-piece acts here as a magnifying glas can also be written as

$$M_2 = \frac{d}{f_2} + 1$$

By substituting the values of  $M_1$  and  $M_2$  in equation (iii), we get

$$M_2 = \frac{q}{p} \left( \frac{d}{f_2} + 1 \right) \tag{iv}$$

Since the object OP lies just beyond the focus of the objective lens L1.

Also the image IQ is formed very close to the eye-piece lens L2. Therefore  $X_1I \cong X_1X_2$ 

q=L

Or Where 'L' is the distance between objective and the eye-piece, which is also called the "LENGTH OF THE MICROSCOPE".



istial angle

Hence the magnifying power of the compound microscope is found by writing

$$M_2 = \frac{L}{f_1} \left( \frac{d}{f_2} + 1 \right)$$

where 'd' is the least distance of distinct vision, which is equal to 25 cm.

pefine telescope with the help of ray diagram derive the expression for peline the peline of Astronomical telescope. Ans. Definition:

Telescopes are used to see the distant objects. The image of a distant object felescope is smaller than the actual object, because it is much pearer to the eye and has greater visual angle. Construction:

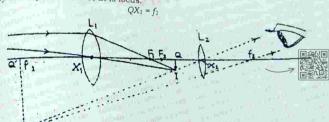
An astronomical telescope is used to see the heavenly bodies i.e. planets and

stars.
It consists of two convex lenses. The lens towards the object is called the objective ears in it has long focal length fr. And the lens near the eye is called and it has short for all length f2. The distance between the two s made slightly greater than the sum of their for his no longer produces a virtual image and a real image can be estimated on a no longer process anget photo graphs of distant abjects. The purpose a screen and we can get photo graphs of distant objects.

Since the stars are so distant, the tays of ten coming from them will be almost are locused to a point by the objective lens at its principal focus nd form the image l; of the star This image is real, inverted and diminished, no eye—piece is adjusted so that the image obtained from the objective acts as the object for the second one is in the dyc place. This image is located within the focal length of the cy piece, resulting in an erect and virtual image le, and a real image can be obtained on a second by adjusting the distance. between the two lenses i.e. it is made slightly greater than the sum of their

Derivation For The Magnifying Power:

In order to derive an expression for the magnifying power of the astronomical telescope, consider a distant object, whose real, inverted image IQ is formed by the objective lens L1 at is focus.



ng power

efore

is also

 $M = \frac{f_1}{f_2}$   $M = \frac{\text{Focal length of the objective}}{\text{Focal length of the eye piece}}$ 

Or

From the above equation, it is clear that for high magnification, the focal length of the objective should be very large as compared to that of the eye-piece. The Yerkes refracting telescope is the largest of its kind in the world. The diameter of its objective lens is about one metre. The telescope is about long and is located at William Bay, Lake Geneva, and Wisconsin.

ASS : XI ength

the length

ual angle

focal length piece. . The out 18 m

Q6(a) Define dioptre. (a) Definition of Direct (dioptre). What do you know about the lens?

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[t is the unit of power of lens. Which is equal to the reciprocal of the focal Example:

PHYSICS NOTES

A 5D (dioptre) lens has a focal length of 0.2m. A 5D (dioptre is often now called the radian per meter (rad. m<sup>-1</sup>).

Definition of Lens:

If a lens has +2D, then its focal length is +0.5m or +50 cm. Its positive sign shows that the lens is converging or convex lens. This lens is used by the shows the suffering from long - sightedness, which is also known as

When a person can see distant objects clearly, but cannot see the near objects clearly, because in this case the focal length of the eye lens is too long. This means the light rays from near objects are focused behind the retina. This defect can be corrected by wearing spectacles or contact lenses with convex lenses as these lenses converge rays so that the eye lens can focus the image

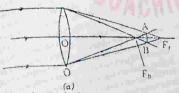
Write short note on the following 07. Defects of lenses. Terrestrial telescope.

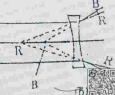
ii. Defects of Lenses:

suffer from two important defects which are ion and spherical aberration. We shall discuss the defects one by one.

Chromatic Aberration:

A lens may be regarded as made up of two prisms placed one above the other, it is evident that when a ray of white light passes through it, it will be dispersed into its component colours. All the red rays are crought to focus at F. A complete image will consist of a small linear spectrum lying along the axis, which can be projected on a white screen. A screen will be coloured and image will not be well defined. This defect in the image is called chromatic aberration.





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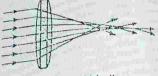
The defect in the lens can be removed by using a combination of a co and a concave lens made of two different materials having unequal dispersive powers. The lenses are given such suitable shapes that the dispersion produced by one lens is exactly equal and opposite to the produced by other. The focal lengths of the lenses are, of course, unequal in numerical values, so

CLASS: XI

that the focal length of the combination has a finite value. Such a combination is called an chromatic combination of lenses.

### Spherical Aberration:

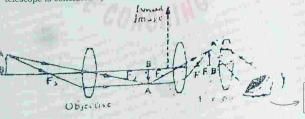
A beam of parallel rays is focused at a point by a lens only if the aperture of the lens is small, otherwise the lens will refract outer rays slightly more than the inner rays. The image produced will not be well defined and sharp. This defect in a lens is called spherical



aberration to reduce this defect, optical instruments using lenses are provided with a stop which allows only the optical instruments using lenses are provided with a stop which allows only the optical instruments using lenses are provided why, the effective aperture of the central rays to pass through the lens. In this way, the effective aperture of the lens remains small and so the spherical aberration is almost removed. The lens remains small and so the spherical aperiation suitable values of the radii erical aberration can also be reduced by using two lenses dept at a suitable urvature of the surfaces of a lens or by using two lenses dept at a suitable distance apart. Now we shall discuss how the lenses are used in optical

instruments.

(b) Terrestrial Telescope: e final image formed by an astronomical telescope the linal mage formed by an astronomical respective heavenly bodies such as the object. It makes no difference when we observe heavenly bodies such as tars and planets etc. But when we use a telescope to observe terrestrial cots (distant objects on earth) it is desirable to seeing erect image of the object. For this purpose astronomical telescope is modified into terrestrial telescope. The construction of terresural telescope is same as that of astronomical telescope except that it has an additional convex iens between assumment telescope except that it is a summer to the function of this lens is called need tens. The function of this lens is to invert the image AB' formed by objective into AB' which is erecting w.r.t to invert the image AB formed by object so the position of this lens is adjusted beyond image AB. The image object so the position of this lens is adjusted beyond image as observed as AB. which is AB. serves as object for eye-piece and final image is observed as AB. which is also erect w.r.t. object. Due to addition of field lens, the length of terrestrial telescope is considerably increased.





08.

where will he the image formed, if an object is placed between F and 2F of when the object is placed between F & 2F:

26 Potion of Image:

When the object is placed between F and 2F, then the image is formed beyond 2F on other side of lens. 2.

The size of image is magnified (large) as compared to the size of object. 3.

The image is real and inverted.

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ASS : XI

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etween this lens is ng w.r.t image B" which is restrial

### SCIENTIFIC REASONS / SHORT QUESTIONS.

# CHAPTER # 01 "SCOPE OF PHYSICS"

- What is physics? What are its main branches?
- Ans. Physics: The branch of the physical sciences which deals with interaction of matter and energy and their relationship. It explains the natural phenomena matter and energy and their relationship. It explains branches of physics are: with help of fundamental laws and principles. Main branches of physics are: with nelp of fundamental laws and principles.

  Electronics, Bio-physics, Nuclear physics, electrical physics, Plasma physics, e.t.c.
- Name some of the household applications in your home which are based 02. on the principle of physics.
- Ans. Radio Television, Telephone, Electric fans, Washing Machine, Electric Iron, Fluorescent Tube, Heater Toaster, Grinder, Refrigerator, Sewing Machine, Electric Bell.
- What type of natural phenomena could serve as alternative time
- Ans. Any phenomenon that repeats itself ean be used as a measure of time: the measurement consists of counting the repetitions.
- Are the radians and steradian the basic units of SI? 04.
- Ans. Are radians and steradians are two supplementary basic units of SL. Radian is used for the plane angles and steradian for solid angles.
- Express the following quantities using the prefixes.
  - 3 x 10 -4 m. (a)
  - (b) 5 x 10 -5 s.
  - (c) 72 x 10 2 g.

### Ans.

- $3 \times 10^{-1} \text{m} = 0.3 \times 10^{-3} = 0.3 \text{ mm}$ (a)
- $5 \times 10^{-5} \text{s} = 50 \times 10^{-6} \text{s} = 50 \ \mu\text{s}$ (b)
- $72 \times 10^{2} \text{g} = 7.2 \times 10^{3} \text{g} = 7.2 \text{ Kg}$



PHYSICS NOTES

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Radian

CHAPTER # 02 "Scalar & Vector"

01.

Can the magnitude of the resultant of two vectors is greater then the magnitude of sum of the individual vectors? No, the magnitude of the resultant of two vectors can be equal to or less than

the sum of the magnitude of the individual vector. Can the magnitude of A-Bbe the

yes, If two vectors  $\overrightarrow{A}$  and  $\overrightarrow{B}$  represent two adjacent sides of a parallelogram as shown in figure then from figure we can write:



If  $\vec{C}$  is the vector sum of  $\vec{A}$  and  $\vec{B}$  does  $\vec{C}$  have to lie the same plane 03. of A and B?

Ans. Yes, if  $\vec{C} = \vec{A} + \vec{B}$  then  $\vec{C}$  lies in the same plane of  $\vec{A}$  and  $\vec{B}$ 

Can a scalar product of two vectors be negative?

Ans. Yes, If the angle between two vectors is 180°.

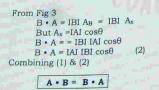
Is it possible that the magnitude of the resultant of two equal vecto equal to the magnitude of either vector,

Ans. Yes, it is possible if the angle between two given vector is 120°.

- Q6. Will the value of a vector quantity change if it's reference axis are
- Ans. No, since the vector depends upon only magnitude and direction and independent to the reference axis, so the vector remains unchanged if it's reference axis are changed.







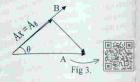


Fig 2

This is the required expression and it shows that "If the order of the addition of two vectors is changed then resultant remains unchanged."

ASS : XI re

State and verify the law of parallelogram.

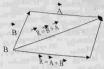
CLASS : XI

if it's

PHYSICS NOTES

State and the state of parallelogram.

Consider two vectors A and B which represent the two adjacent sides of a Consider the two adjacent sides of a parallelogram. If these vectors are added graphically by head and tail rules, the R = A + BR = B + A



This property is called law of parallelogram and it states that This property of the parallelogram and it states that If the the diagonal of the parallelogram gives the resultant vector.'

State 'right hand rule' for the direction of the vector product. The direction of the product can be determined by using right hand rule which The difference of the figures of right hand gives the direction of the plane of the multiplied vectors then the direction of themselves the figure on the figure on the figure on the figure of the direction of themselves the direction of the direction of themselves the direction of the direction of



010. Define unit vector.

A vector having magnitude on e and used to indicate only the direction of the

OR

The ratio of a vector with its magnitude is called unit vector. Mathematical Form:

A unit vector can be determined just by dividing a vector with its magnitude.

011. Define rectangular components. Give its different types.

回钨级回 The components of a vector that are perpendicular on each other and parties form the side of the rectangular are called rectangular components of a There are two types of rectangular components.

- Horizontal component or x-component.
- Vertical component or y-component

on 1. (as

s that have

Fig 2

addition of

the multiplication of two vectors with each other is called product of the Q12. Define product of two vectors. Give its types.

There are two types of the product of the vectors.

Scalar product or dot product. Vector product or cross product.SS

### Q13. Give the mathematical form of scalar product.

consider two vectors A and B having angle 9' between them. (as shown in Fig. 1) Scalar product means the product of the magnitudes of those vectors that  $\mathbf{a}_{\text{Te}}$ 

acting in the same direction. From Fig 2. A · B = IAI BA = Bxs

 $B_x = B_A = IBI Cos\theta$ 

 $A \cdot B = IAIIBI \cos\theta$ This is the required mathematical form for the scalar product. It is also called Inis is the required mathematical form for the same the multiplied vectors, do product because of sign of dot (•) is used between the multiplied vectors.



Scalar product of two vectors that are not equal in magnitude and are perpendicular to each other is equal to zero.

A · B = IAI IBI cosθ

 $A \cdot B = (0)$ 

; not equal in magnitudes IAI FIBI ; Perpendicular vectors  $\theta = 90$ 

A · B = IAI IBI cos90

cos90=0 A • B = IAI IBI (0)

 $A \cdot B = (0)$ 

Similarly 018. Show that i. j = j. k = k . i = 0  $\hat{i} \cdot \hat{j} = \hat{j} \cdot \hat{k} = \hat{k} \cdot \hat{i} =$ A · B = IAIIBI cos  $i \cdot j = 1 \times 1 \times \cos 90$  $\hat{\mathbf{I}} \cdot \mathbf{j} = 1 \times 1 \times 0$ • i = 0 Similarly i•k = k•î = 0

Show that  $j \cdot i = k \cdot i = i \cdot k = 0$ Q19.  $\hat{\mathbf{i}} \cdot \mathbf{j} = \mathbf{k} \cdot \mathbf{j} = \hat{\mathbf{i}} \cdot \mathbf{k} = 0$  $A \cdot B = IAI IBI \cos\theta$ •  $\hat{i} = 1x1x \cos 90$ •  $\hat{i} = 1x1x0$  $\hat{i} = 0$  $j \cdot k = k \cdot \hat{i} = 0$ Similarly



the

SS: XI

so called ectors

that are

s be zero

## Q20. Give the mathematical form of vector product.

Consider two vectors A and B having angle '0' between them. Mathematically, vector product of A and B is given as

Where IAI & IBI are the magnitudes of the multiplied vector and  $\hat{\mathbf{n}}$  is the normal unit vector.



Q21. Show that the vector product of two parallel vectors always be zero. Show that the vector product of two vector products of two vectors that the magnitude of the vector product of two vectors that are equal in magnitude and are parallel to each other is equal to zero

IAIIBI sinθ ñ BL = IAIIBI sin0 Equal in magnit

parallel vectors IA x BI = IBIIBI sin 90  $= IBI^{2}(0) = 0$ 

 $\sin 0 = 0$ IA x BI = IAIIBI sin00  $IA \times BI = IAIIBI(0) = 0$ 

Q22. Show the vector product of two equal and perpendicular vectors is equal

The magnitude product of two vectors that are equal in magnitude and are to square of magnitude of any of them. rne magnitude product of two vectors that a square of magnitude of any of them perpendicular to each other is equal to the square of magnitude of any of them.

 $A \times B = IAIIBI \sin\theta \tilde{n}$  $IA \times BI = IBIIBI \sin \theta$ 

IAI = IBI ; Equal in magnitudes.

 $\theta = 90$ ; Perpendicular vectors.

IA x BI = IAIIAI sin 90

 $= IAI^{2}(1) = IAI^{2}$ 

IA x BI = IBIIBI sin 900 OR

 $= IBI^{2} (1) = IBI^{2}$ 

 $\sin 90 = 1$ 



SS : XI

he

ero. tors that Q23. Show the scalar product of two unequal and perpendicular vectors is equal to product of the vector product of two vectors that not equal in magnitude

The Ineganation and are perpendicular to each other is equal to the product of their

A x B = IAIIBI sin0 ñ IA x BI = IAIIBI sin0

YAI = IBI

; not Equal in magnitudes.  $\theta = 90$ ; Perpendicular vectors.

IA x BI = IAIIBI sin 90

= IAIIBI (1) sin 90 =

IA x BI = IAIIBI

Q24. Show that i x i = j x j = k x k = 0  $\hat{i} \cdot \hat{i} = j \cdot \hat{i} = k \cdot k = 0$  $A_{\bullet X} B = IAIIBI \sin \theta \tilde{n}$  $= 1x1x \sin 0 x n$  $i \times i = 1 \times 1 \times 0 = 0$ 



is equal

id are y of them.

# CHAPTER # 03 "MOTION"

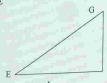
- Under what condition instantaneous velocity becomes equal to average Ans. When object is in a state of uniform motion i.e., moving with the uniform
- How the velocity can be determined from displacement-time graph.
- Q2. How the velocity can be determined from assistance and displacement in equal Ans. When body moves with uniform velocity, it travels equal displacement in equal travels expenses and the time will be equal. interval of time. The graph between the displacement and the time will be

straight line as shown in Fig (1)

If we take any point A on the graph and draw a perpendicular AB on the time a we take any point A on the graph and draw a perfect and OB represents the axis, It is clear that AB represents the displacement and OB represents the time taken.



The velocity of a body at any point A can be found by drawing a tangent EG on the curve at point A. Now draw a perpendicular GF on the time axis. The velocity of a body at A is given as





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How the acceleration can be determined from velocity-time graph. How the work with uniform acceleration the graph between its velocity when a body moves with uniform acceleration the graph between its velocity Ans.

From Fig. acceleration of a body is given as, Acceleration = Change in Velocity

If the acceleration of a body is variable then graph will not be straight line. It

The acceleration at any point 'P' is given as acceleration at



Rate of change of a body =  $m(v_f - v_i)$ 

Rate of change of a body= ma According to Newton's second law of motion. F = ma

Rate of change of a body = F It shows that " Rate of change of momentum is equal to force"

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09. State the condition for block remains at rest on the inclined plane.

Ans. Form vector diagram for  $R - W_x = 0$ Block to be rest  $R = W_{\star}$ 

 $f = mg \sin \theta$ 

 $R = w \cos \theta$   $Ax = A \cos \theta$  $R = w \operatorname{mg} \cos \theta$  (I)  $W = \operatorname{mg}$  $f - W_v = 0$  $f = W_{w}$  $f = W \sin \theta$  Ay = A sin  $\theta$ 

If conditions (I) & (II) are satisfied the block remains at rest on an inclined plane.

Q10. State the condition for block slides downward on the inclined plane.

Ans. The block to be slides downwards:

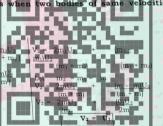
W Sin θ >

ition is satisfied then block slides down ward on the inclined

Q11. Describe the final velocities when two hodies of same velocities collide with each other.

Ans.

 $V_1 = (m - m)U_1$  $2mU_2$ 2m



(H)

Result:

When two bodies of same masses collide with each other elastically, then after collision they interchange their velocities

Q12. Describe the final velocities when two bodies of same velocities colli with each other such that target is at rest.

Ans.

 $V_1 = (m_1 - m_2)U_1 + 2m_2U_2$  $(m_1 + m_2)$   $(m_1 + m_2)$ Let  $m_1 = m_2 = m$  $V_1 = (m - m)U_1 + 2m(0)$ (m + m) (m + m)  $V_1 = (0)U_1 + 0$  $V_1 = 0$ 

 $V_2 = 2m_1U_1$ (m2  $m_1 | U_2$ (m = 154)  $(m_1 + m_2)$ Let  $m_2 = m_1 =$ (m - 量数)  $V_2 = 2mU_1$ (m + m)(m + m) $V_2 = 2mU_1$ 2m  $V_2 = U_1$ 

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Result::
When two bodies of same masses collide with each other in such a way that when two bodies of same masses collide with each comes to rest while body 2 body 2 in initially at rest then after collision body 1 comes to rest while body 2 starts its motion with the initial velocity of body 1.

Q13. Describe the final velocities when heavy body collides with the light body, which is initially at rest.

Ans.



When light body collide with heavy body which is initially at rest then after collision comes body 1 reflect back with same speed while body remains at



# CHAPTER # 04 "MOTION IN TWO DIMENSIONS"

ay that body 2

01.

02.

Ans.

03. Ans.

: XI

t body.

n after 2 starts

body,

PROJECTILE MOTION. Define projectile motion.

The motion of an object in the curved path with constant horizontal velocity The motion and variable vertical velocity is called projectile motion."

When an object is projected with certain angle  $\theta$  [0 <  $\theta$  < 90°] called angle of when an experimental with certain value of the projection, with certain velocity called velocity of projection then its moves in projection, the curved path called parabolic path with constant horizontal velocity, the curved path with constant horizontal velocity, variable vertical velocity and under the action of gravity. Such object is called projectile and its motion is called projectile motion.



Above expression shows that, for constant velocity of projection (ver and gravitational acceleration (g), horizontal range depends on the factor sin 20 and at the maximum value of sin20. The maximum value of sin is 1.

 $Sin 2\theta = 1$  $2\theta = \sin^{-1}(1)$  $2\theta = 90^{\circ}$  $\theta = 90/2$ 

 $\theta = 450$ 

It shows that, "when a projectile is projected with 45°, its horizontal range will be maximum."

Under what condition horizontal range will be equal to the maximum 04. height.

Ans. When the projectile is projected with 760



What is the value of the horizontal acceleration during projectile motion?

Ans. During projectile motion horizontal velocity always be zero because through out the projectile motion horizontal velocity always remains constant.

What are the values of the vertical acceleration during projectile metion? Ans. As projectile motion occurs under the influence of gravity therefore vertical acceleration is equal to the gravitational acceleration. For upward motion it is equal to "+ g" and for downward motion it is equal to "- g"

Q10. Define the trajectory of projectile motion. Give its mathematical form.

Ans. The curved path followed by the projectile during its motion is called trajectory of projectile motion.

For upward motion

$$Y = \tan \theta \times \frac{1}{2} \quad \frac{g}{V^2} \quad \sec^2 \theta \times x^2$$

For downward motion

$$Y = \tan \theta \times -\frac{1}{2} \quad \frac{g}{V^2} \quad \sec^2 \theta \times^2$$



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Suppose a body is revolving in a circle of radius r. Its linear and angular specific

change by Av and Aw in time At. Then

r Aw

 $\Delta t$ 

 $\Delta v = r \Delta w$ Dividing both sides by At we get

Δv

 $\Delta t$ 

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 $\Delta v$  is the average linear acceleration a and  $\Delta v$  is the

average angular acceleration  $\alpha$ . If time  $\Delta t=0$  then we get the instantaneous values of these accelerations i.e.

 $\Delta v = r \lim \Delta w$ Lim Δt Δt

a = ra

Express centripetal acceleration in terms of time period.

Ans. Considering

Suppose T is the time taken to complete one rotation. Distance covered in one Suppose T is the time taken to complete one rotation is given by 2rtr where r is the radius of the circle. Then speed v is given by.

Put this value in equation (i)

Q6. Express centripetal acceleration in terms of frequency. Ans. Considering

 $a_c = 4\pi^2 r$ 

It can also be written as

 $a_c = 4\pi^2 r \times 1$ 

But f = 1/T $a_r = 4\pi^2 r f^2$ 

4m2 f2 r





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CHAPTER # 05 "TORQUE, EQUILBRIUM & CLASS : XI ANGULAR MOMENTUM" ol. Define moment arm. Q1. The perpendicular distance from the point of application and the axis of

The perpendicular transfer from the point of a rotation is called moment arm. It is denoted by r.

Express torque in terms of vector product. Vector Form of Torque is given a. Ans. r F Sin 0 ñ

Where n is the normal unit vector vector used to indicate the direction.

 $A \times B = AB \sin \theta$  ñ Torque can also be written as

It show that," the vector product of moment arm and force is called Torque."

Which component of force is responsible to produce torque? 03. The perpendicular component of force is responsible to produce torque Ans. How the direction of torque be determined. 04. The direction of Torque is always perpendicular on both moment arm and force Ans. and can be determined by using right hand rule which is stated as and rule which is stated as a "If the figures of the right hand represent the direction of moment arm and applied force, then the direction of thumb which is perpendicular to the figures Define equilibrium and its types. 05. DEFINITION: If an object is in a state of rest or in a state motion, then it is said to be in a state of equilibrium. TYPES OF EQUILIBRIUM: There are two type of counlibrium Static equilibrium. Dynamic equilibrium 2.

Static equilibrium: 1. If an object is in a state of rest than it is said to be in a state of static equilibrium.

Dynamic equilibrium: If an object in a state of uniform motion, them if 2. is said to be in a state of dynamic.

There are two types of dynamic equilibrium

Translational equilibrium

Rotational equilibrium

i) Translational dynamic equilibrium. If an object is moving straight line with uniform velocity, them it is said to be in a street translational equilibrium.

ii) Rotational dynamic equilibrium: If an object is moving in a circular orbit with uniform speed, then it is said to be in a state of rotational equilibrium.

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"The momentum of an object  $\tau$  revolving gin a circular orbit is called angular 06.

OR

"The vector product of moment arm and linear momentum is called momentum momentum."

Derive the expression of angular momentum for the circular motion.

Ans. Angular momentum during Circular motion.

Angular momentum is given as

L = mvr Sin θ

During circular motion:

 $\theta = 90^{\circ}$ Sin 900 = 1

L = mvr Sin 900 L = mvr (1) L = mvr

Show that torque is equal to rate of change of angular momentum.

Ans. Angular momentum is given as dt But Rate of change of n

Rate of change of moment

But

: Torque : Momentum

dt

m(0)

It show that, "The rate of change of angular momentum is equals to torque.



m

A



"During uniform circular motion total angular momentum always remains

constant."

Mathematical Form:

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Mathematically it is given as



## CHAPTER # 06 "GRAVITATION"

- Ans. Gravitation means attraction. It is the property due bodies attracts each other It depends on the mass and the density of the body.
- Show that gravitational force is a mutual force.
- Ans. Gravitational force is a mutual force two bodies and in the absence of any body gravitational force will be zero.
- Show that two bodies exert equal and opposite forces on each other.

Ans. Vector form of gravitational force can be expressed as,

 $F = G m_1 m_2 \cdot r$ 

Where r'is a unit vector used to indicate the direction of unit vector. Force on Body 1 due to Body 2 is given as,

G m1m2 , r12

2 due to Body lis given as G m1m2 4 F21

same force on each other but in opposite direc  $F_{12} = -F_{21}$ 

wo bodies exert and opposite forces on each other."

- What happen with gravitational force if the masses are doubled? 04. Ans. Gravitational force becomes 4 times i.c. it becomes 4F
- What happen with the gravitational force if the distance between the 05. bodies is doubled?
- Ans. Gravitational force is decreased by 4 time i.e., it becomes What happen with the gravitational force if the masses as well 06.
- distance between the bodies are doubled? Ans. Gravitational force remains same.
- Q7. Calculate the value of the mass of earth.

Ans. Considering an object of mass 'm' radius 'r' placed at the surface of Earth having mass 'ME' and radius 'RE.

Let Mass of Earth = ME

mass of body = m

Radius of body = r/

Radius of Earth = RE

Body is at the surface of earth

Mean Distance between Centers of Earth and body = r = r/ + RE

A/c to Newton's Law of Gravitational

 $F = G m_1 m_2$ 

other

as the

On substitution of values F = G MEM

r/<<< R<sub>E</sub> therefore r/ is so small as compared  $r/\approx 0$  to R<sub>E</sub> that it can be

It is the force with which Earth attracts the body towards its centre and by definition it is equal to the weight of the body

Substituting values.

$$\frac{G_{\text{Mgm}}}{R_{\text{E}^2}} = \text{mg}$$

$$M_E = g R_E^2$$

$$G$$

expression for the mass of Earth.

= Grav. Const. 6.67 x 10 1 N.m2/kg2 ion of values, mass of Earth is found to be 5.98 x 10.4 kg

Calculate the value of the density of earth. 08. don of mass of the object with its volume is called Density of the object." Ans.

By definition, density is given as P = mFor Earth: OF =

Using relation for the mass of E  $M_E = g R_E^2$ 

Earth is considered as a spherical body. Volume of earth cab be given as

$$V_E = \frac{4 \pi R_E^3}{3}$$
 (3)

Substituting (2) & (3) in (1)

$$\rho_{E} = \frac{g R_{E}^{2}}{G}$$

$$\frac{4}{4}\pi R_{E}^{3}$$

$$\frac{3}{3}$$

$$\rho_{E} = g R_{E}^{2} \times \frac{3}{4\pi R}$$

$$\rho_{E} = \frac{3}{3}g$$

$$4\pi GR_{E}$$

This is the required expression for the density of Earth.

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We have

 $g = 9.8 \, \text{m/s}^2$ 

 $\pi = 3.142$ 

G = 6.67 x 10-11 N-m2/kg2

On the substitution of values, Density of Earth is found to be 5.5 x  $10^3$  kg/ $\rm m^3$ 

Ans. The value of g decreases because it is inversely proportional to the square of the distance away from the centre of the earth.

Ans. The value of g decreases because it has inverse effect with the depth.

Q11. What is artificial gravity and how it is produced?

Ans. The gravity which is developed due to rotation of the object in order of balance the gravitation of the earth is called artificial gravity.

Q12. What is meant by weightlessness in satellite?

Ans. See notes

Q13. Differentiate between real and apparent weight Ans. As discuss in the class

Q14. Calculate the apparent weight of a body lift is at rest.

Ans. When lift is at rest the acceleration is zero. The apparent weight W indicated by

tension T.

Therefore Result:-

W/ = T = mgThe apparent weight is equal to

Q15. Calculate the apparent weight of a body lift moves upward or downward with uniform velocity.

Ans. When lift is moving upward or downward with uniform velocity. The acceleration is zero

> T - W = 0T = W

But T = Fw

 $F_w = W$ 

The apparent weight is equal to the actual weight. Result -

Q16. Calculate the apparent weight of a body lift moves upward with uniform acceleration.

Ans. When elevator move upward with uniform acceleration than tension in string greater than its weight

T > W

Net force/weight with which it moves up

F = T - WA/c to Newton's 2nd Law

F = ma

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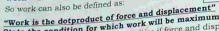
# CHAPTER # 07 "WORK, ENERGY & POWER"

Show that work is the scalar product of force and displacement. Q1. Show that work is the scalar product of local theorem of of local th If a force **F** acts on the body by making an angular components **FCos**0 and **FSin**0 a body can be resolved in to two rectangular components work done by the

a body can be resolved in to two rectangular work done by the force is Where **FSin0** can not perform any work therefore work done by the force is given by:

 $Work = (FCos\theta)(d)$ Work = FdCos0

Work = F · d So work can also be defined as:



State the condition for which work will be maximum. Q2. State the condition for which work will be and displacement are in the Ans. Work is said to be maximum or positive if force and displacement are in the

same direction



State the condition for which work will be minimum

Ans. Work is said to be minimum or zero if force and perpendicular to each other.

Under what condition work will be negative Work is said to be negative if force and displacement at opposite to cach 04. Ans.

Show that power is the scalar product of force and velocity. Show that power is the scalar product of the scalar product of work done by a body in unit time. Mathematically it can 05.

Work Power = Time

 $P = \vec{F} \cdot \vec{V}$ 



"Power is the dot product of force and velocity."

State the conditions of conservative field. 06. Ans. Such a field in which work done is independent of the path followed by the body.

OR

Such a field in which the total work done in a moving body along a closed part is equal to zero.





PHYSICS NOTES why gravitational field is said to be conservative field. CLASS : XI 07. Q7. Gravitational field is said to be conservative field.

Ans. required condition of conservative field because it satisfy the following Work done is independent of the path followed and only depends on the displacement between initial and final positions. orce of The total work done in a moving body along a closed path is equal to What is absolute gravitational potential energy? 08. The amount of work required to displace an object against the gravitational Ans. field to an infinite point stored in the object in the form of absolute State the law of conservation of energy. 09. Energy can neither be created nor can it be destroyed. It can only be Ans. Q10. When an object is dropped from certain height, why its potential energy is not completely converted into kinetic energy. Its potential energy is not completely converted into kinetic certain amount of energy is utilized to overcome the air y it can d path

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# CHAPTER # 08 "WAVE MOTION AND SOUND"

Q1. State the basic conditions of simple harmonic motion. Q1. State the basic conditions of simple harmonic management to execute simple.

Ans. Basic conditions for AHM. The basic condition for a system to execute simple. There must be an elastic restoring fore acting on the system

harmonic motion is:-

(ii)

The system must have inertia.

The acceleration of the system should be proportional to its measurement of the system should be proportional to its measurement. The acceleration of the system but opposite in direction, displacement (from the main position) but opposite in direction.

Give some examples of simple harmonic motion.

Ans. Examples of SHM.

The motion of the bob of a simple pendulum. The motion of the bob of a simple pendulum. The motion of a stretched string when it is plucked to disturb it from the

mean position.

The motion of a body (i.e. heavy mass particle) attached to the end of an

a clastic spring hanging vertically. astic spring hanging vertically.

motion of the projection of a particle moving round a circle with

uniform speed. The motion of an elastic metallic strip, held vertically in a rigid support with a heavy mass attached to its free end. V)

Q3. A certain simple pendulum has an iron bob. Would its behavior change if we replace the iron bob with a lead bob of the same size?

we replace the iron bob with a lead bob of the bobs of different materials.

Ans. Change in behaviour of a simple pendulum with bobs of different materials. c period of a simple pendulum is given but the relations

Where I = length of the pendulum, and g = acceleration due to gravity.

g - acceleration due to gravity.

The above relation shows that the time period of a simple pendiulum only depends upon its length and value of g at a certain place and its is independent of the mass of the bob. Therefore, if we replace the trop bob with a independent of the mass of the bob. lead bob, only the mass of the bob will change but h behavior of he pendulum will not be affected. It means that the time period and the frequency of the pendulum, having a certain length, will remain unchanged with the change of bobs

Will the period of a vibrating spring increase, decrease or remain constant 04. by addition of more weight?

Ans. Period of vibrating spring is given by

 $T = 2\Pi \sqrt{\frac{m}{k}}$ 

where m = mass attached to the free end of the spring, and K = spring constant.

Above relation shows that the period of a vibrating spring is directly proportional to the mass attached to its free end i.e.  $T\alpha\sqrt{m}$  period increases with the addition of mass. Thus with the addition of more weight (mg), mass m will increase and the period of the vibrating spring will also increase.

What happen to the time period if the length of the pendulum is changed?

What happen to the time period of the pendulum if the mass its bob is 06. Ans.

would you keep the amplitude of a simple pendulum small or large? Why? Amplitude of a simple pendulum. We should keep the amplitude of simple 07. Ampiruate pendulum, we should keep the ampiruate pendulum small because in deriving the relation for its time period. Ans.

$$(T=2\Pi\sqrt{\frac{I}{g}})$$

the distance through a which pendulum is displaced, son small that  $\sin\theta$  =0, '0'

What is the frequency of the second pendulum. 08. Ans.

prequency of a second's pendulum. A second's pendulum is that pendulum

But relation between the frequency and time period

frequency of a second's pendulum is given f = 1/2 0.5 vibration/second

Differentiate transverse wave and longitudinal wave. 09. DIFFERENCE BETWEEN TRANSVERSE & LONGITUDINAL WAVE: Transverse Waves Longitudinal Waves

Wave in which particles of the medium vibrates perpendicular to the direction of propagation is called transverse wave.

Transference of energy through perpendicular vibration of the particle of eh medium.

Crest and trough form due to perpendicular vibration.

Light waves, electromagnetic waves are some examples of transverse waves

Wave is which particle medium vibrates along the direction propagation is called longitudina Transference of energy

through parallel vibration of the particles of the medium.

Compression and rarefaction form due to parallel vibration.

Wave in stretched string, spring waves are some examples of longitudinal waves.

010. Is it possible for two identical waves traveling in the same direction along a string to give rise to a standing wave?

It is not possible for two identical waves traveling in the same direction along string to given rise to a standing wave. Two identical waves moving along the same string can only reduce standing waves when they are moving in the opposite directions.

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Q11. Define the terms: crest, trough, compression, rarefaction node and antinode.

Ans. Crest: The highest portion of the wave above the mean position is called crest. Crest: The highest portion of the wave below the mean position is called c Trough: The lowest portion of the wave below the mean position is called

trough.

Compression: The portion of the wave in which particles of the medium close

to each other is called compression.

to each other is called compression.

Refractions: The portion of the wave in which particle of the medium are away.

from each other is called rarefaction.

Node: The point of standing wave which lies on the mean position having

minimum displacement is called node.

Anti Node: The point of standing wave where displacement is maximum is

called antinodes.

Q12. How the speed of a transverse in the string will change if its tension is

Ans. The speed of a transverse wave in a string is given by



Where E = elasticity of the medium, and  $\rho$  = density of the medium through which sound travels.

It is true that the density of solids is larger than that for gases but the elasticity of the solids is much larger than gases, so the ratio E/ Speed of transverse becomes four times. Is much larger for solids is much larger than gases. That is why the sound travels faster in solids than is gases.

Q14. Why does the speed of a sound wave in gas change with temperature?

Ans. Speed of sound changes with the change in the temperature of a gas. The speed of sound in a gas is given by

$$v = \sqrt{\frac{p}{\rho}}$$

here P=pressure of the gas.

When the temperature of a gas rises its pressure increases and its density decreases, therefore the speed of sound increases. On the other hand with the

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CLASS: XI

decrease of temperature, the pressure of a gas decreases and factor P/  $\rho$ become less thus decreasing the speed of sound.

Q15. How are beats useful in tuning musical instrument?

We know that the number of beats produced per second is equal to the differences between the frequencies of two sounding bodies. If we know that difference of standard instruments, we can tune the other instruments to the desired frequency by counting the number of beats as compared to the desired desired the number of beats as compared standard instrument. In this way beats are useful for tuning a musical

Q16. What is meant by the quality of the sound? Ans.

It is the characteristics by which two sound waves of same pitch and possibly of the same intensity, given out by two different sources may be distinguished from each other .It is the internal characteristics of eh vibrating body depending on the nature of body, the quality of sound waves also depends on the shape of wave form produced b it, in turn it depends upon the number and

Q17. How the intensity of sound related with loudness. Relation between intensity and loudness:- Weber Fechner law Statement: loudness of a sound wave is directly proportional to the Mathematical form:-Mathematically, La Log I L = k log I

018. Differentiate between musical sound and noise. Musical sound. Sound which produces pleasent effect in our ear in calle

Sound in which there is uniform change in frequency

Sound which produce unpleasant effect tin our ear is called Noise

Sound in which there is a rapid change in the frequency is called Noise. Following are the point of distinguish between a musical sound and a Noise.

MUSICAL SOUND NOISE It produce pleasant situation upon 1 It do not produce pleasant situation the ear. upon the ear. It is smooth and agreeable It is jarring and disagreeable. If has periodicity i.e, waves follow Wave do not follow each other with each other at regular interval. regular interval All the waves are similar & there is All the wave are not similar and there no sudden change of loudness or is sudden change in Loudness frequency Change in frequency can be Change on frequency can be represented by the curve. represented graphically as

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# CHAPTER # 09 "NATURE OF LIGHT"

## What is the necessary condition on the path difference between $t_{W_0}$ $w_{av_{\psi_a}}$

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constructively (b) destructively.

interfere (a) constructively (b) destructive Interference Path

Ans. Condition for constructive interference: Condition for constructive interference:

difference between the two waves coming from different source should be

integral multiple of the wave length. 

For destructive interference path Where m = 0,1,2,3..... Condition for destructive interference:

different source should be odd
difference between two waves coming from different source should be odd integral multiple of the wave length. 

Where  $m = 0, 1, 2, 3, \dots$ 

Q2. Why we do not find interference in ordinary light? Q2. Why we do not find interference in ordinary and monochromatic sources.

Ans. Interference of light needs coherent waves from monochromatic sources. Ordinary light heams are not coherent.

Why the distant flash lights will not produce an interference pattern. Q3. Why the distant flash lights will not produce the source, at Ans. Two light pears which are coherent when they are closer to the source, at large distance they do not remain coherent thus distant flash lights are unable to produce an interference pattern.

Although we can hear but can not see around corners. How can you explain this in view of the fact that sound and light are both waves: 04.

Ans. The wavelength of sound waves in very large, of the order of several feet, or meters therefore they can diffract about corners and we can hear them. But the wavelength of light wave is much smaller, of the order of 10 therefore they can not diffract about large corners and we can not see light.

Q5. Explain, why it is said that the light wave fronts from sun are plane wave fronts.

Ans. The sun is at a large distance, wave fronts from sun when reach to earth, are spheres of large radii. Only a small portion is found plane, thus these wave fronts are called plane wave front.

Q6. Why central ring in the Newton's ring always be dark.

Ans. The interference pattern formed at center of the rings is due to path difference equal to zero, but in thin film an additional phase inversion occurs, it givers destructive interference. Hence central point in Newton's ring is always dark

What are the Newton's rings?

Ans. When a monochromatic ray of light incident on a Plano convex lens, which placed on a glass surface, then circular dark and bright consecutive circles, will be obtained, these rings are called Newton's rings

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What is the main cause of Newton's rings. 08. Ans.

Air in between Plano convex lens and a flat glass surface behave like air wedge film. The thickness of air wedge film is zero at the contact if such a film is film. centre. As we go away from the centre then dark bands is obtained gradually due to which alternative bright and dark rings are obtained.

Give the condition for the bright Newton's ring. Ans.

$$yn = \sqrt{(N-1+\frac{1}{2})R\lambda}$$

$$m = \sqrt{(N - \frac{1}{2})R\lambda}$$

this is the required expression for the radius of bright rings.

Q10. Give the condition for the dark Newton's ring,

Ans. For First dark ring: m=1  $\gamma_1 = \sqrt{1.R\lambda}$ For Second dark ring;  $2 \gamma_{21} = \sqrt{2.R\lambda}$ For nth dark ring; m = N

This is the required expression for the radius of the with dark ring.



Q11. Why the central point on the screen in Young's double slit arrangement is

The path difference for interference pattern at centre is zero then interference is constructive and image is bright.

Q12. Give the condition for the formation of bright fringes in the Michelson's

For constructive interference i.e., for the bright tringes the distance

 $P = m \lambda / 2$ 

Q13. Give the condition for the formation of dark fringes in the Michelson's

For destructive interference i.e., for the dark fringes the distance moved by

$$P = m \lambda / 4$$

014. What is the use of compensator in the Michelson's interferometer?

Ans. Compensator is used to avoid difference of the time interval produced in the two light waves coming from the two mirrors.



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## Q15. Differentiate Fresnel diffraction and Frunhoffer diffraction.

### FRESNEL DIFFRACTION

In Fresnel Diffraction the source of light and the screen where diffraction is formed are kept at finite distance from the diffracting obstacle



FRAUNHOFER DIFFRACTION

In Fraunhofer Diffraction the source of light and the screen where of light diffraction is formed are kept at infinite distance from the diffracting obstacle.



obstacle are not plane.

In Fresnel Diffraction the corresponding rays are not parallel

In Fresnel Diffraction the wave In Fraunhofer Diffraction the wave In Fresnel Diffraction the wave in Frauding and leaving the obstacle fronts falling and leaving the fronts falling and leaving the are plane. Fraunhofer Diffraction

corresponding rays are parallel to

Q16. State Bragg's Law.

Ans. "To determine the structure of crystal those hight can be used having wave length." the distance between atomic planes

Q17. What aspect of light is produced by the phenomena of polarization? Ans. The process of polarization proves that light is a transverse wave

Q18. Why diffraction is called special type of interference? Ans. Diffraction of light is due to the formation of source (spherical wave front) on the edge of the obstacle. Now the secondary waves interfere them selves obstructed portion in a special way that is only on one side.



lens then virtual and magnified image is formed on the same side of the lens.

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PHYSICS NOTES

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- 5. State the principle used for the construction of compound microscope. State the principle used for the construction of company to scope.

  It is based on the principal that" if object is placed within the focal length of the it is based on the principal that" if object is placed with a same side of the lens," lens then virtual and magnified image is formed on the same side of the lens,"
- 6. Why would be advantageous to use blue light with a compound
- 7. Why Objective of short focal length is preferred in microscope?
- 8. State the principle used for the construction of astronomical telescope. It is based on the principal that" if object is at infinite distance then parallel It is based on the principal that" if object is at minute or parallel rays enter into lens and form image will be formed at the principal focus of the lens."
- 9. What is length of astronomical telescope? The sum of the focal lengths of objective and image distances. i.e.,  $L = f_o + f_e$



